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DETERMINATION OF ROCK THERMAL PROPERTIES

James F. Bacon, et al

United Aircraft Research Laboratories

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By: J. S. Bacon, S. Russell and J. P. Carstens

United Aircraft Research Laboratories  
East Hartford, Connecticut 06108

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Principal Investigator: J. P. Carstens (203) 565-7238

Project Scientists: Mr. J. Bacon (Viscosity, Conductivity) (203) 565-5870  
Mr. S. Russell (Heat of Vaporization) (203) 565-4949

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13. ABSTRACT The purpose of this project was to determine, for 10 rock types, the viscosity and electrical conductivity as a function of temperature in the molten state, and the heat of vaporization. The rock types are (1) St. Cloud gray granodiorite (charcoal granite), (2) Westerly granite, (3) Barre granite, (4) Dresser basalt, (5) Sioux quartzite, (6) Berea sandstone, (7) Tholeiitic basalt, (8) Duluth gabbro, (9) Newberry rhyolite, and (10) granodiorite. Viscosity and electrical resistivity measurements were made at temperatures as high as 2200°C, for all rocks except the quartzite. Using the resistivity data, an approximation of the thermal conductivity of the molten rocks was made using the Wiedemann-Franz-Lorenz law, which gives a relationship between the electrical and thermal conductivity. Heat of vaporization of the rocks was measured by vaporizing samples with a CO <sub>2</sub> laser beam. Samples were vaporized in a calorimeter, which measures the partition of input energy among rock heating, rock vaporization, and other losses. For certain rocks, uncontrollable heat losses from the system occur, causing inaccurate determination of heat of vaporization. Suggestions are made on (a) redesign of the experiment to control these losses, and (b) experiments to better identify the heat losses.		

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FOREWORD

The work described in this report was performed at the United Aircraft Research Laboratories, East Hartford, Connecticut, for the Department of the Interior, Bureau of Mines, under Contract No. H0220052. The work was initiated on May 24, 1972 and ended on December 22, 1972.

Participants in this work at UARL included:

- J. F. Bacon - Determination of Rock Properties in the Molten State
- S. Russell - Measurement of Heat of Vaporization
- J. D. Rockenfeller - Measurement of Heat of Vaporization
- J. P. Carstens - Program Management

The contracting officer for the work was Mr. Frank Pavlich at the Bureau of Mines in Denver, Colorado. Technical monitoring was provided by Mr. David Lindroth at the U. S. Bureau of Mines Twin Cities Mining Research Center in Minneapolis, Minnesota.

Determination of Rock Thermal Properties

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Determination of Rock Thermal Properties

REPORT SUMMARY

The purpose of the work described in this report is to determine the viscosity and electrical conductivity as a function of temperature in the molten state, and heat of vaporization for ten rock types. The rock types considered are:

1. St. Cloud gray granodiorite (charcoal granite)
2. Westerly granite
3. Barre granite
4. Dresser basalt
5. Sioux (Jasper) quartzite
6. Berea sandstone
7. Tholeiitic basalt
8. Duluth gabbro
9. Newberry rhyolite (fresh)
10. Granodiorite

The viscosity measurements were made using a Brookfield Synchro-Electric Viscometer, a widely-used, standard viscosity measuring device. This viscometer had been previously adapted by the United Aircraft Research Laboratories (UARL) to make viscosity measurements in melts at temperatures up to 2020 °C. Viscosity is determined by the degree of resistance to rotation felt by a cylindrical spindle being rotated in a cup of molten rock. Electrical resistivity was measured using the same furnace, by measuring the resistance between the walls of the tungsten crucible holding the molten rock, and an electrode in the middle of the melt. Viscosity and resistivity data were recorded for all the rock types except the quartzite. The temperature range of molten quartzite is above the temperature capability of the furnace, and no data were taken for that rock type. Measurements were taken successfully, however, on Berea sandstone over a temperature range of from 2090 to 2200 °C.

Using the electrical resistivity data, a first approximation was made to the thermal conductivity of the molten rocks using the Wiedemann-Franz-Lorenz law, which is a simple relationship between electrical conductivity and thermal conductivity which has been used primarily to relate properties of metals. The resulting thermal conductivity values are surprisingly low.

Measurement of heats of vaporization was first attempted by measuring rock vapor pressure as a function of temperature and inferring heat of vaporization from the Clapeyron equation. This method was unusable due primarily to problems

encountered in monitoring vapor pressure and vapor species at the temperatures of interest. Also, the use of the data thus generated in analyzing much faster vaporization processes, such as caused by an intense electron beam or laser beam, is questionable. Therefore, an attempt was made to measure the heat of vaporization directly by vaporizing rock with a high-intensity laser beam.

Using this approach, a small sample of rock was placed inside an instrumented calorimeter, and small amounts of rock (of the order of .05 grams) are vaporized directly by a pulse of laser energy added from a hole in the top of the calorimeter. The calorimeter is instrumented to read the amount of heat left in the rock sample, and the amount of heat reflected or reradiated from the sample (except for that amount that radiates directly out of the hole through which the laser energy is admitted). The results show good agreement between the measured total heat of vaporization of quartzite and published values for quartz. However, there are uncontrollably large amounts of heat lost from the system when testing the granites, granodiorites, sandstone and clear quartz test samples. The heat lost in these tests causes a very high and inaccurate indication of heat of vaporization. The heat lost is due either to (a) laser energy reflected directly out of the system from the layer of molten rock created by the laser pulse, (b) laser energy absorbed in a laser energy-initiated plasma shielding the interaction zone, or (c) laser energy reflected from this plasma.

To overcome this problem, the calorimeter can be redesigned to minimize the reflection or reradiation of laser energy from the calorimeter. Such a redesign is suggested, but was not built under this program. To help determine the nature of the energy losses, experiments are suggested to determine the reflection of CO<sub>2</sub> laser radiation from molten rock surfaces at various temperatures of the molten rock.

## INTRODUCTION

The Bureau of Mines has for years been pursuing a systematic investigation of thermal rock fracture techniques. In recent years this has included consideration of advanced thermal tools, such as electron beams and lasers. In addition to pursuing experimental work, a theoretical understanding of the heat interaction with the rock has also been sought. The extremely intense power density available with electron beams or lasers can cause substantial melting and vaporization of the rock. To theoretically model such interaction, rock thermal properties in the molten state and at vaporization temperatures are required.

The purpose of the work reported on below was to experimentally determine, for a selected set of rocks, the viscosity and electrical conductivity as a function of temperature in the molten state, and the heat of vaporization. In addition, an estimate of thermal conductivity in the molten state was to be made from the conductivity data. Rocks to be studied include:

- |  |                      |
|--|----------------------|
| 1. St. Cloud gray granodiorite<br>(charcoal granite) | 6. Berea sandstone   |
| 2. Westerly granite                                  | 7. Tholeiitic basalt |
| 3. Barre granite                                     | 8. Duluth gabbro     |
| 4. Dresser basalt                                    | 9. Newberry rhyolite |
| 5. Sioux quartzite                                   | 10. Granodiorite     |

## PROPERTY MEASUREMENTS IN THE MOLTEN STATE

## Measurement of Viscosity

The viscosity of the molten rocks was measured with a Brookfield Synchro-Electric viscometer from their melting point to a temperature about 300°C above their melting point. Samples were prepared by cutting rock cylinders from the government-furnished rock blocks with a diamond-core drill. (Two such samples were tested of granodiorite, charcoal granite, and Westerly granite; only one sample was tested of each of the other rock types.) The rock cylinders fitted loosely in the thin-wall tungsten crucible, which has a two-inch inside diameter and is three inches high. The tungsten crucible and rock were then placed in a tungsten element furnace as shown in Fig. 1 and heated under vacuum to about 1000°C. At this point, the vacuum was replaced by a 4 psi purified argon atmosphere and the tungsten spindle shown in Fig. 2 was suspended on the central axis of the crucible. Heating was then continued in the argon atmosphere until the rock was molten. At this point the tungsten spindle and attached rod were inserted into the molten rock until the center of the spindle coincided with the center of the crucible. The rod was brought out of the furnace through a special low friction fitting to the Brookfield viscometer used as the measuring mechanism.

This Brookfield Synchro-Electric Viscometer\* is a widely used, standard viscosity measuring device. A cylinder or disc or spindle is rotated in the fluid under test through a beryllium-copper spring whose deflection is read on a dial. The dial reading is multiplied by a single constant to obtain the viscosity at the particular rotational speed. When special-design spindles are used, the device is calibrated through the use of oils of known viscosity. Measurements made at different speeds are used to describe the complete flow properties of the material at hand.

The Brookfield viscometer is not customarily used at temperatures as high as those experienced in this work. Therefore, the device was equipped with a special long shaft entering the furnace and with a spindle of suitable high-temperature material. Tungsten was selected as the material for both the spindle and shaft because of its known compatibility with all the molten oxide systems investigated to date. The tungsten spindle (Fig. 2), designed by the Brookfield Engineering Laboratories, and the viscometer were calibrated using the National Bureau of Standards' standard viscosity oil by placing an exact silica replica of the tungsten crucible normally used in the constant temperature bath shown in Fig. 3, filling the silica crucible with oil "P" and running the tungsten spindle in the crucible in such a way as to exactly simulate high-temperature operations. In this manner, the calibration data are obtained for the tungsten spindle as shown graphically in Fig. 4.

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\*Registered Trademark

The viscosity data were verified by taking the information furnished on the NBS certificate accompanying oil "P", plotting it as shown by the dotted line in Fig. 5, taking the data furnished in the article by Shartsis and Spinner (Ref. 1) and plotting it as the solid line of Fig. 5 to give a displaced similarly-shaped curve. Experience gained in measuring the viscosity of fused silica (Ref. 2) has shown this procedure to be reliable. The complete apparatus is shown in Fig. 6.

To demonstrate repeatability of the viscosity measurements, several tests were made wherein viscosity was measured at a given temperature several times as the sample temperature is cycled up and down. Comparative viscosity measurements generated in this manner are shown in Table I. As shown in the table, the results thus generated could vary by as much as  $\pm 18$  percent. These data establish the accuracy of repeatability of the measurements. Actual accuracy of the readings can only be checked against some "known" rock viscosity data, which are unavailable.

Limitations on the reading accuracy of the viscometer prevent accurate measurement of viscosity at less than about 80 poises. For this reason, viscosity measurements were not taken at temperatures much beyond the point at which the viscosity falls below 80 poises.

The data obtained on the molten rocks with this device are shown in Figs. 7 through 15. No viscosity data were taken on the Sioux quartzite, since the melting point was above the temperature capability of the system. Specifically, the viscosity of the quartzite at  $2200^\circ$  was above the range of measurement at that temperature (i.e.,  $\approx 2600$ ) with the above-described apparatus.

#### Measurement of Electrical Resistivity

The rock sample to be studied was again prepared by using a diamond-core drill to produce a rock cylinder that loosely fitted the two-inch-wide, three-inch-high, thin-wall tungsten crucible. The crucible and rock were then placed in a tungsten element furnace and heated under vacuum to about  $1000^\circ\text{C}$ . At this point, argon was admitted to a pressure of 4 psi and a tungsten ball (1/2-inch-diameter), hung on a thin tungsten rod, was suspended on the central axis of the crucible. Heating was then continued in the argon atmosphere until the rock melted. After melting, the tungsten ball was inserted in the molten rock until it reached the center of the liquid body. The rod supporting the tungsten ball and a rod fastened to the outside of the tungsten crucible were brought out of the furnace through appropriate electrically insulated seals. These rods formed the leads which were connected to the resistance measuring device.

Originally, it was thought that the resistance of the molten rocks might drop to values similar to those found for metals at high temperatures, and a Kelvin double bridge was employed as the measurement device. However, the molten rock resistance was too great to be read on the Kelvin double bridge so a laboratory

model Wheatstone bridge was substituted. The Wheatstone bridge was satisfactory but the measurements were tedious and slow. The instrument finally used was a General Radio Type 1650-A Impedance Bridge, which proved both rapid and accurate. With this bridge the AC resistance of the nine molten rocks at one kilocycle/second was determined as a function of temperature. These data were then converted to specific resistivity and are shown on Figs. 16 through 24.

Errors in the resistivity data could result from errors in temperature measurement or errors in the resistivity measurement at a given point. The accuracy of the impedance bridge is  $\pm 1\%$ , as specified in the bridge manufacturer's literature. Large errors in the thermocouple temperature measurement are unlikely, as calibrated thermocouple wire was utilized in their construction. However, it is possible that the errors in the reproducibility of the viscosity data could be all due to the thermocouples, in which case the same range of error could exist in the resistivity data. On this basis, the accuracy of the resistivity data may be conservatively estimated to be  $\pm 18\%$ .

#### Approximate Prediction of Thermal Conductivity of Molten Rocks

The measurement of thermal conductivity, especially of a molten material at high temperatures, is slow and expensive. On the other hand, the measurement of the electrical conductivity of a liquid at high temperatures is relatively simple, cheap and rapid. In 1853, Wiedemann & Franz formulated an empirical law relating the thermal conductivity and electrical conductivity which stated that the ratio of these two conductivities for a metal are a constant for all metals. In 1872, Lorenz discovered that the Wiedemann-Franz ratio is proportional to temperature and the result was the Wiedemann-Franz-Lorenz law stating

$$\frac{K}{\sigma} = K\rho = LT$$

where  $\sigma$  = electrical conductivity  
 $\rho$  = electrical resistivity  
 T = absolute temperature  
 L = Lorenz number  
 K = the thermal conductivity

This relationship can readily be derived from Boltzmann statistics as well as from quantum statistics. It is accurate for metals at temperatures well above the Debye temperatures and where the electronic conductivity is considerably larger than the lattice conductivity. As a rock is melted, its electrical resistivity rapidly decreases and any lattice conductivity it may possess is largely destroyed. This phenomenon has been employed to predict the thermal conductivity of metallic alloys at normal temperatures (Ref. 3).

For the present case, a theoretical prediction of the thermal conductivity of the molten rock is made, based on the assumption that the electrical conductivity and thermal conductivity of the magma are largely electronic in nature at these very high temperatures. The results of the calculations are tabulated in Table II and must be regarded only as a first approximation until confirmed by actual measurement of the thermal conductivity.

Although a small thermal conductivity is predicted for amorphous solids or molten liquids since the mean free path of the phonons is approximately constant at short wavelengths and the long wavelengths are not scattered so effectively, the fact that such low values of thermal conductivity are found (Table II) is still surprising and indicates the need for further research.

## HEAT OF VAPORIZATION MEASUREMENTS

## Heat of Vaporization from Clapeyron Equation

An attempt was made to determine heats of vaporization by measuring rock vapor pressure as a function of temperature, and deriving the heat of vaporization from the Clapeyron equation. After several attempts to generate the necessary experimental data, it was determined that this approach would not yield the necessary information for the following reasons:

1. The UARL isoteniscope test facility available could not be adapted for accurate vapor pressure measurement due to vapor condensation in the system.
2. Container materials and reliable temperature measuring devices were not available for operation in the temperature range required.
3. Procedures and equipment for determining the constituents of the vapor phase were not available. This shortcoming also prevented use of alternate effusion or transpiration methods of estimating heat of vaporization from vapor pressure data.
4. The sterwise application of heat, as would be used in any conventional vapor pressure measuring technique, is expected to lead to fractional vaporization in the multicomponent rock systems. Thus, the results would not readily correspond to vaporization energy requirements per unit of typical volume of the rock samples, and consequently the results would have limited application to analysis of very high heat-rate rock fracture devices, such as lasers or electron beams.

An alternate technique was therefore pursued to measure rock vaporization energies directly by vaporizing small amounts of rock with a high-power laser pulse.

## Heat of Vaporization from Laser Vaporization Tests

In this technique, a high quality laser beam is used to vaporize a portion of a rock sample, within a system which is instrumented to allow monitoring of the energy partition of the input laser pulse among vaporization of the rock, heating of the rock, heating of the container, etc. The heat of vaporization is then determined directly from the weight of material vaporized, and the measured heat energy associated with the vaporization process. This approach has several basic advantages over the vapor pressure measurement approach. For one thing, since the high-energy laser pulse completely vaporizes a small volume of the rock sample, the problem of fractional vaporization of various rock components is avoided. Thus, a

breakdown and knowledge of the molecular weights for the various vaporized species is not required as it is in the conventional method. Also, since only a localized section of the rock sample is intensively heated, the rock sample acts as its own container for the vaporization experiment. Therefore, the rest of the system remains comparatively cool, allowing the use of conventional materials for holders, shields, and other system components. Finally, the simplicity of the approach and the apparatus allows an extensive amount of data to be taken in a relatively short time and for relatively small cost, once the apparatus is fabricated and appropriately calibrated.

#### Test Apparatus and Test Procedures

A sketch of the "laser vaporization" test apparatus is shown in Fig. 25. The laser beam (B) enters through a small port (P) at the top whence, after being defocused slightly, it strikes the test sample (S). The test sample is contained in a small copper cup (H) that is supported by a quick release mechanism (M) so that cup and test sample may be quickly dropped into a dry calorimeter (D). The dry calorimeter consists of a glass sleeve (G) with a thin-walled copper end cap (E) cemented at the bottom. The end cap is immersed in a small volume of water contained within an evacuated thermos flask (F). Provisions for stirring and monitoring the temperature of the water are present. The cup and test samples, while supported in the quick release mechanism, are surrounded by a thin-walled copper cone (C) which is instrumented for temperature measurements. This shield is blackened on the inside with a light coating of carbon soot and serves to capture heat deflected or otherwise lost from the truncated sample surface. It also serves as a site on which the rock vapors might condense. The sleeve is readily removable from its supporting collar (R) for weighing as part of each test. Another thin-walled copper sleeve (L) lines most of the inner wall of the glass sleeve. It is blackened also and instrumented for temperature measurements. It serves to monitor any stray heat losses. At the top of the apparatus a gas port (A) is provided in order to permit a sweep of the test sample environment with argon gas before each test.

The assembled apparatus is shown in Fig. 26. It is shown disassembled in Fig. 27. The removable elements, i.e., the specimen holder, specimen, shield, and liner (left to right), are shown in Fig. 28.

The laser beam is aimed from above. Final alignment of the high-energy laser beam with respect to the sample target is made with the aid of an auxiliary helium-neon laser beam. This alignment is facilitated by having the test apparatus mounted on a stage which is movable in all directions. The diameter of the high-energy beam that will strike the sample is controlled by the distance the stage is moved beyond the focal point of the beam. For all tests, the rock surface was located sufficiently far from the focal point to allow a beam "spot size" of the order of 1/8 inch. The duration of the laser pulse is controlled by a mechanically

operated shutter. The power level is measured and set using well-tested calorimeters which are integral with the laser unit used. During these tests the power was varied between .05 and 4.0 kilowatts. The wavelength of the beam was  $10.6\mu$ .

The following test procedure was followed. The sample (S), sample holder (H), blackened cone (C), and blackened liner (L) are preweighed and installed in the test apparatus. A small measured volume of water is added to the thermos. Final beam alignment adjustments are made using the helium-neon beam and sighting through mirrors to assure that the high-energy beam will strike the sample properly. The water stirrer is turned on. The sample environment is flushed with argon for about 30 seconds. Then, with all temperature recorders on, the high-energy beam is pulsed in using a preselected shutter speed. The sample and sample holder are then immediately released into the dry calorimeter. All system temperature changes are recorded. As would be expected from the poor heat conductivity of the sample, the slowest response is found in the dry calorimeter, where it takes from three to five minutes for the temperature to stabilize. The other temperatures stabilize almost immediately.

The sample, sample holder, shield and liner are retrieved and reweighed. The water is drained from the thermos and replaced with fresh water at room temperature. A new set of sample, sample holder, shield and liner is installed for the next test run.

#### Data Reduction

The energy that enters the calorimeter system shown in Fig. 25 is either absorbed by the rock sample or reflected from the rock either (a) into the heat shield assembly or (b) out of the hole at the top of the calorimeter. Of the energy absorbed by the rock, some of this is expended in vaporizing the rock, and the rock vapors may then either condense within the calorimeter or be carried out of the system. Additional heat losses can be due to heat lost from the system by convection from the shield or rock sample either during the laser pulse or after the pulse when the system is coming to equilibrium. Thus:

$$H_{\text{input}} = H_{\text{rock}} + H_{\text{shield}} + H_{\text{argon}} + H_{\text{liner}} + H_{\text{loss}} \quad (1)$$

The final heat content in the rock is measured by the temperature change in the dry calorimeter, as measured by the maximum temperature of the water bath. This temperature change is applied to the entire rock-holding system, as indicated in Eq. (2):

$$H_{\text{rock}} = H_{\text{water}} + H_{\text{copper end cap}} + H_{\text{rock sample}} + H_{\text{rock sample holder}} \quad (2)$$

The final heat content of the shield assembly is determined from the average temperature change of the shield as sensed by thermocouples positioned at various points on the shield.

$$H_{\text{shield}} = H_{\text{cone}} + H_{\text{collar}} \quad (3)$$

In a similar manner, the heat deposited in the shield liner and the argon blanket are calculated from their temperature rise.

Finally, as discussed above, the heat lost from the system may be described as

$$H_{\text{loss}} = (C_p \Delta T + H_f + H_v)(W_v - W_c) + H_{\text{refl.}} + H_{\text{other}} \quad (4)$$

where  $\Delta T = T_{\text{vaporization}} - T_{\text{room}}$

$H_f$  = Heat of fusion

$H_v$  = Heat of vaporization

$C_p$  = Average specific heat of rock between room temperature and vaporization temperature

$W_v$  = Weight of rock vaporized (= weight loss of sample, assumes negligible amount of rock vapors condensed on sample)

$W_c$  = Weight of rock condensing on parts of calorimeter (measured)

$H_{\text{refl.}}$  = Laser pulse energy reflected out of top of calorimeter cone during rock-heating

$H_{\text{other}}$  = Other losses from the system due to convection or radiation from cone or sample during heating or cooling

All of the terms in Eqs. (2) and (3) are measured during the experiment.  $H_{\text{input}}$  is known from the laser beam power and pulse time. In Eq. (4),  $W_v$  and  $W_c$  are measured, and  $C_p$ ,  $\Delta T$  and  $H_f$  must be known to predict  $H_v$ .  $H_{\text{refl.}}$  and  $H_{\text{other}}$  are not monitored, and must be small relative to  $H_{\text{loss}}$  if the method is to be accurate.

Equation (1) may be solved for  $H_{\text{loss}}$  (since all other terms are known by direct measurement), and this value substituted for the left-hand side of Eq. (4), which may then be solved for  $H_v$ . The result of these manipulations gives:

$$H_v = \frac{(H_{\text{input}} - \Sigma H_{\text{measured}}) - (H_{\text{refl.}} + H_{\text{other}})}{(W_v - W_c)} - (C_p \Delta T + H_f) \quad (5)$$

where  $\Sigma H_{\text{measured}} = H_{\text{rock}} + H_{\text{shield}} + H_{\text{liner}} + H_{\text{argon}}$ .

It should be noted that this presumes an identity between the heat of vaporization and the heat of condensation, and also neglects the possibility of any superheating of the rock vapor. Equation (5) also implies that the condensed rock, which is caught in the system, is chemically similar to the volume of rock initially vaporized.

### Test Results

A preliminary series of tests was run on quartz to determine the effect of power level and pulse time on the system heat balance. The laser power level was varied between 200 and 2800 watts, and the pulse time varied from 0.5 to 60 seconds. The tests indicated that the amount of sample vaporized per unit of input energy was maximized by using short pulses (0.5 sec was the shortest pulse used). This trend is shown by the data in Fig. 29. The heat inputs to the rock system and the shield are given in Figs. 30 and 31, respectively.

Based on this preliminary test series, test conditions were chosen at which vaporization tests were run for quartz and for each of the ten rock types of interest. The amount of rock material vaporized, the weight of material condensed in the system, and the heat distribution in the system, are listed in Table III.

Values for heat capacity used in calculating heat contents of samples and copper elements are shown in Table IV. Values for quartz were derived from Kelley (Ref. 4). Values obtained by Lindroth, et al (Ref. 5), for Jasper quartzite were used for Sioux quartzite. A mean average of the values for quartz and the Jasper quartzite was used in estimating values for Berea sandstone. Values obtained also from Lindroth, et al, for Dresser basalt were used directly. These same values were applied to tholeiitic basalt. Values used for Westerly granite, Barre granite, granodiorite, St. Cloud granodiorite, and Newberry rhyolite were based upon a mean average of data for Rockville granite and charcoal gray granite also taken from Lindroth, et al. Values used for Duluth gabbro were similar to those used for the basalt materials. Heat contents of all  $H_{\text{rock}}$  components were determined using values for 25°C. Heat contents of  $H_{\text{shield}}$  elements were determined using the appropriate value for the final temperature. A value for quartz at vaporization temperature was extrapolated from handbook data.

For the quartz specimen in column 1 of Table III, using Eq. (5) (assuming  $H_{\text{loss}} = 0$ ), with the following constants:

$$\begin{aligned} C_p &= .325 \text{ cal/gm } ^\circ\text{C} \\ T_{\text{vap}} &= 2500^\circ\text{C} \\ H_f &= 33 \text{ cal/gm} \end{aligned}$$

The heat of vaporization is 9,722 cal/gm. This compares with a calculated value for  $H_v$  of 1400 cal/gm, based on vapor pressure data given in Ref. 6, and using the

Clapeyron equation. This indicates that about 113 calories of heat must have been lost from the system. However, for the pure quartzite case (column 5 of Table III) the calculated value of  $H_V$  (using Eq. (5)) is 1247 cal/gm (assuming  $H_{loss} = 0$ ), which agrees quite well with the 1400 cal/gm figure. Calculations of  $H_V$  for the other ten rock types were not made due to lack of data on average  $C_p$  and vaporization temperature,  $T_V$ .

However, it is interesting to observe the measured total heat of vaporization, assuming no losses in the system, as calculated from the data in Table III. This calculation is shown in Fig. 32. The calculated total heats of the rocks vary from just under 2,000 cal/gm for tholeiitic basalt to approximately 9,680 cal/gm for the St. Cloud granodiorite. These values can be compared to a theoretical total heat of vaporization of 2148 cal/gm for quartz, as mentioned above. Also shown in Fig. 32 is the amount of material vaporized in each test, which does not exactly correlate with the increase of the measured total heat of vaporization.

It is interesting to note the large difference among the  $H_{VT}$  of pure quartz, quartzite, and sandstone, all of which consist mostly or all of  $SiO_2$ . This difference cannot be explained, other than to note that differences in surface reflectivity and/or plasma formation and shielding, and hence heat lost from the system, may have existed. With this uncertainty, the accuracy of the values presented for  $H_{VT}$  in Fig. 32 cannot be specified other than to say that the values are probably within a factor of 10 of their true amounts. The ordering shown in Fig. 32 may be considered a first approximation to the proper ranking of these rocks with respect to their total heats of vaporization.

#### Additional Tests with Quartz

The large apparent heat loss from the quartz experiment in column 1 of Table III may have been caused by reflectivity of laser energy from the sample out the top of the hole. If the problem were reflectivity of the molten surface, this could perhaps be modified by introducing different specimen surface shapes. Therefore, several runs were made using differently-shaped specimens. Some of these are shown in Fig. 33. They are shown diagrammatically in Fig. 34. Truncated specimens were used in attempts to control the direction of laser beam deflection. A deep cylindrical hole and a funnel-shaped hole were used in attempts to trap the reflected energy. In all these cases considerable energy loss from the sample persisted, as indicated by the white ray exiting upwards out the throat of the shield. Also, in all cases the vaporized hole patterns were similar.

In order to study the phenomenon further, the laser beam was directed at a number of very low angles of attack onto the side of a quartz specimen suspended in the open so that the deflected path of the beam might be continuously observed. The results of one of these tests are diagrammatically illustrated in Fig. 35. The beam is initially reflected downward. As a hole is vaporized in the specimen, the

direction of the very strong white light changes from downward to straight upwards. The lower the angle of attack, the longer it took for the angle of the white light to change. Noteworthy, at the same time, greater amounts of sample were vaporized.

It was the short-range objective of the above experiments to determine how the test apparatus might be modified to bring the system heat loss under control and to better elucidate the phenomenon.

It is evident that several apparatus design changes would be necessary in order to bring heat losses under greater control and thereby provide for more accurate values for heats of vaporization. These changes would allow a very low angle of attack on the specimen, and controlled capture of lost energy. This could be accomplished in an apparatus of a design such as shown in Fig. 36. In this design, the external cone-shaped calorimeter and the sample holder are water-filled (details not shown). The shield is not water-jacketed but it might be if this later proved desirable.

Relative to the phenomenon of heat loss, it is unclear how much of the heat lost from the system is due to actual reflection off the molten surface, and how much is due to energy absorption in or reflection by a surface-shielding plasma plume. Reference 7 indicates that the reflection of energy at  $10.6\mu$  off solid quartz is less than 20%. However, it is possible that the reflectivity of quartz could change in the molten state relative to the solid state. Also, an increase in direct reflectivity could most easily cause energy to be lost from the system out of the top entrance cone. On the other hand, the strong white light observed in the tests, and the increased material vaporization rate at low laser beam angles to the sample, suggest the presence of a radiating plasma.

The above tests are insufficient to determine the relative importance of the different loss modes. In the future, experiments to determine the reflectivity of molten rock at different temperatures could help explain the situation. These tests could involve measurement of a low-power laser beam reflected off a molten rock puddle uniformly heated by nonlaser means (such as the furnace used in the present viscosity experiments) to different temperatures.

## CONCLUSIONS

1. Viscosity and electrical conductivity of the molten phase of nine of the ten test rocks are determined. The melting point of the tenth rock type, Sioux quartzite, is too high to allow these measurements. A first approximation to the thermal conductivity in the molten state, based on the electrical resistivity, gives surprisingly low values.

2. Conventional means for evaluating vaporization energies by determining vapor pressure-temperature relationships using isoteniscope, effusion, or transpiration methods, and then deriving a value for heat of vaporization from the Clapeyron equation, have been deemed unsuitable for rock. This is primarily due to problems caused by partial vaporization of components of the nonhomogenous rock mixture which cause (a) problems in monitoring vapor pressures and species, and (b) difficulties in applying the results to rapid vaporization of rocks by electron beams or lasers.

3. A direct measurement of vaporization energy by flash vaporizing a section of rock sample using a known energy input by a laser beam and determining the amount of rock vaporized and the residual heat in the rock was not possible because a sizable (but unspecified) portion of the total energy from the laser was not absorbed by the rock, and accurate values for average rock specific heats and vaporization temperatures are not known.

4. The present method could be used for measuring total vaporization energies if the input energy not absorbed by the sample could be measured in the experimental device. A concept for a calorimeter which might achieve such measurement is presented.

## REFERENCES

1. Shartsis, L. and S. Spinner: Viscosity and Density of Optical Glasses. Journal of Research of the National Bureau of Standards, Vol. 56, No. 3, March 1951.
2. Bacon, J. F., et al: Viscosity and Density of Molten Silica and High Silica Content Glasses. Physics & Chemistry of Glasses, Vol. 1, No. 3, June 1960, pp. 90-98.
3. Hust, J. G. and A. F. Clark: The Lorenz Ratio as a Tool for Predicting the Thermal Conductivity of Metals and Alloys. Materials Research and Standards, August 1971.
4. Kelley: U. S. Bureau of Mines Bulletin 584, 1960.
5. Lindroth, D. P. and W. G. Krawza: Heat Content and Specific Heat of Six Rock Types at Temperatures to 1000°C. Bureau of Mines Report of Investigations RI 7503, April 1971.
6. Kelley: U. S. Bureau of Mines Bulletin 383, 1935.
7. Hovis, W. A. and W. R. Callahan: Infrared Reflectance Spectra of Igneous Rocks, Tufts and Red Sandstone from 0.5 to 22 $\mu$ . Journal of the Optical Society of America, Vol. 56, No. 5, May 1966.

TABLE I  
REPRODUCIBILITY OF VISCOSITY DATA

<u>Rock Type</u>	<u>Temperature</u>	<u>Viscosity in Poises*</u>	<u>Average Viscosity</u>	<u>Variation in Viscosity Measurements</u>	
				<u>Low</u>	<u>High</u>
Duluth Gabbro	1250 °C	190,193,190,200,215	197.6	4.0 %	8.81%
	1200 °C	790,775,810	791.7	.2 %	2.32%
Westerly Granite	1564 °C	1106,1040,1000	1048.7	4.87%	5.47%
	1583 °C	850,800,800	816.7	2.08%	4.08%
	1695 °C	170,200,235	201.7	18.6%	16.5 %
	1650 °C	650,620,575	615.0	6.97%	5.69%
Charcoal Granite	1674 °C	145,140,145,144.5,145	143.9	2.79%	.76%
	1417 °C	1250,1275,1130,1220	1218.75	7.85%	2.56%
	1540 °C	340,375,383	366.0	7.65%	4.64%
Granodiorite-Lunar	1583 °C	1250,1130,1010	1130.0	11.88%	10.62%
	1706 °C	300,325,250	291.667	16.67%	11.43%
Tholeiitic Basalt	1244 °C	200,230,200,206	209.0	4.5 %	10.05%
	1282 °C	160,164,161.5	161.833	1.15%	1.34%
Altered Rhyolite	1840 °C	837,820,845	834.0	1.71%	1.32%
	1879 °C	700,700,707	702.33	.33%	.66%

\*Viscosity measured at different points in heating cycle where the temperature is the same.

TABLE II

## ESTIMATED THERMAL CONDUCTIVITY OF TEST ROCKS

Temp. in °Kelvin

K = thermal conductivity in cal. cm/sec °C cm<sup>2</sup>

Temp.	Barre Granite		Westerly Granite		Duluth Gabbro		Charcoal Granite		Granodiorite Lunar		Tholeiitic Basalt		Newberry Rhyolite		Dresser Basalt		Berea Sandstone	
	K	Temp.	K	Temp.	K	Temp.	K	Temp.	K	Temp.	K	Temp.	K	Temp.	K	Temp.	K	Temp.
1493	3.82	1513	1.267	1479	3.95	1603	6.844	1673	2.668	1512	1.291	1779	1.232	1463	1.75	2251	2.136	2251
1539	4.29	1513	1.337	15	4.887	1626	8.33		1.788	1537	1.788	1884	1.687	1484	2.055	2263	2.366	2263
1561	4.65	1501	1.326	1531	5.447	1653	8.82	1.702	2.250	1581	2.250	1873	2.399	1492	2.135	2295	2.556	2295
1693	5.23	1544	1.465	1553	5.94	1695	10.59	1.948	2.988	1633	2.988	1892	3.029	1509	2.355	2325	2.905	2325
1625	5.78	1573	1.679	1580	6.979	1735	12.01	2.142	3.571	1673	3.571	1931	7.061	1526	2.572	2345	3.47	2345
1647	6.21	1617	1.954	1611	7.787	1773	13.76	2.297	3.798	1705	3.798	1979	11.266	1558	3.168	2361	3.877	2361
1696	7.24	1615	1.970	1651	8.999	1792	14.57	2.638	4.447	1736	4.447	1998	11.374	1581	3.682	2404	4.967	2404
1716	8.45	1587	1.890	1679	9.775	1807	15.69	3.034		2034		2034	23.684	1607	4.288	2438	6.246	2438
1747	9.73	1601	1.993	1701	10.5	1817	16.62	3.351		2060		2060	23.987	1629	4.742			
1785	11.43	1646	2.108	1728	11.67	1852	18.98			2088		2088	24.313	1657	5.442			
1815	13.68	1683	2.395	1771	12.1	1863	19.89							1683	6.340			
1855	14.85	1703	2.493	1793	12.4	1893	22.04							1706	6.623			
		1731	2.534	1811	12.54									1739	7.425			
		1770	2.834											1777	8.130			
		1815	3.0997											1793	8.538			

TABLE III

## SUMMARY OF TESTS ON TEN ROCK SAMPLES

Laser Power Level = 2.8 kw Pulse Time = 0.5 sec

	1	2	3	4	5	6	7	8	9	10	11
QUARTZ (CONTROL)	327	327	327	327	327	340	327	327	327	327	327
Westerly Granite	.02673	.05342	.05012	.08742	.09901	.04528	.07572	.07110	.05420	.05070	.05790
Wt. condensate on shield, g	.01305	.03416	.02527	.02486	.01780	.02299	.02540	.01729	.02910	.03561	.02957
<u>H<sub>rock</sub></u> , calories	99.200	65.000	92.500	77.500	82.500	67.500	95.000	90.000	87.500	57.500	62.500
H calorimeter water	.770	.498	.708	.593	.632	.517	.727	.689	.670	.440	.478
copper end cap (E)	4.280	3.921	4.992	6.230	3.960	2.330	5.260	5.275	4.701	2.717	2.631
H sample (S)	2.900	1.965	2.788	2.334	2.488	2.011	2.896	2.697	2.647	1.730	1.850
H sample holder (H)	107.150	71.384	100.988	86.657	89.580	72.358	103.883	98.661	95.518	62.387	67.459
SUBTOTAL	51.200	97.100	96.000	72.500	59.000	101.200	105.800	95.400	79.600	95.800	90.800
<u>H<sub>shield assembly</sub></u> , calories	7.050	13.290	13.300	10.100	8.280	14.150	14.920	13.510	11.150	13.550	12.600
H cone (C)	20.400	6.447	6.317	6.314	6.400	6.490	6.393	6.367	6.230	6.412	6.399
H collar (R)	.180	.925	.589	.531	.271	.650	.770	.405	.573	.840	.779
H copper liner (L)	2.000	1.500	1.500	1.500	1.500	1.500	1.500	1.500	1.500	1.500	1.500
H condensate on shield	81.102	120.502	118.626	91.635	75.853	124.880	130.413	117.822	100.010	119.422	113.098
H argon blanket	188.252	191.886	219.614	178.292	165.433	197.236	234.296	216.483	195.528	181.809	180.557
SUBTOTAL	138.748	135.114	107.386	148.708	161.567	142.762	92.704	110.517	131.472	145.191	146.443
TOTAL: H <sub>rock</sub> + H <sub>shield assembly</sub>											
<u>H<sub>loss</sub></u> , calories											

TABLE IV

## SPECIFIC HEAT VALUES\*

Specific Heat in cal/g °C

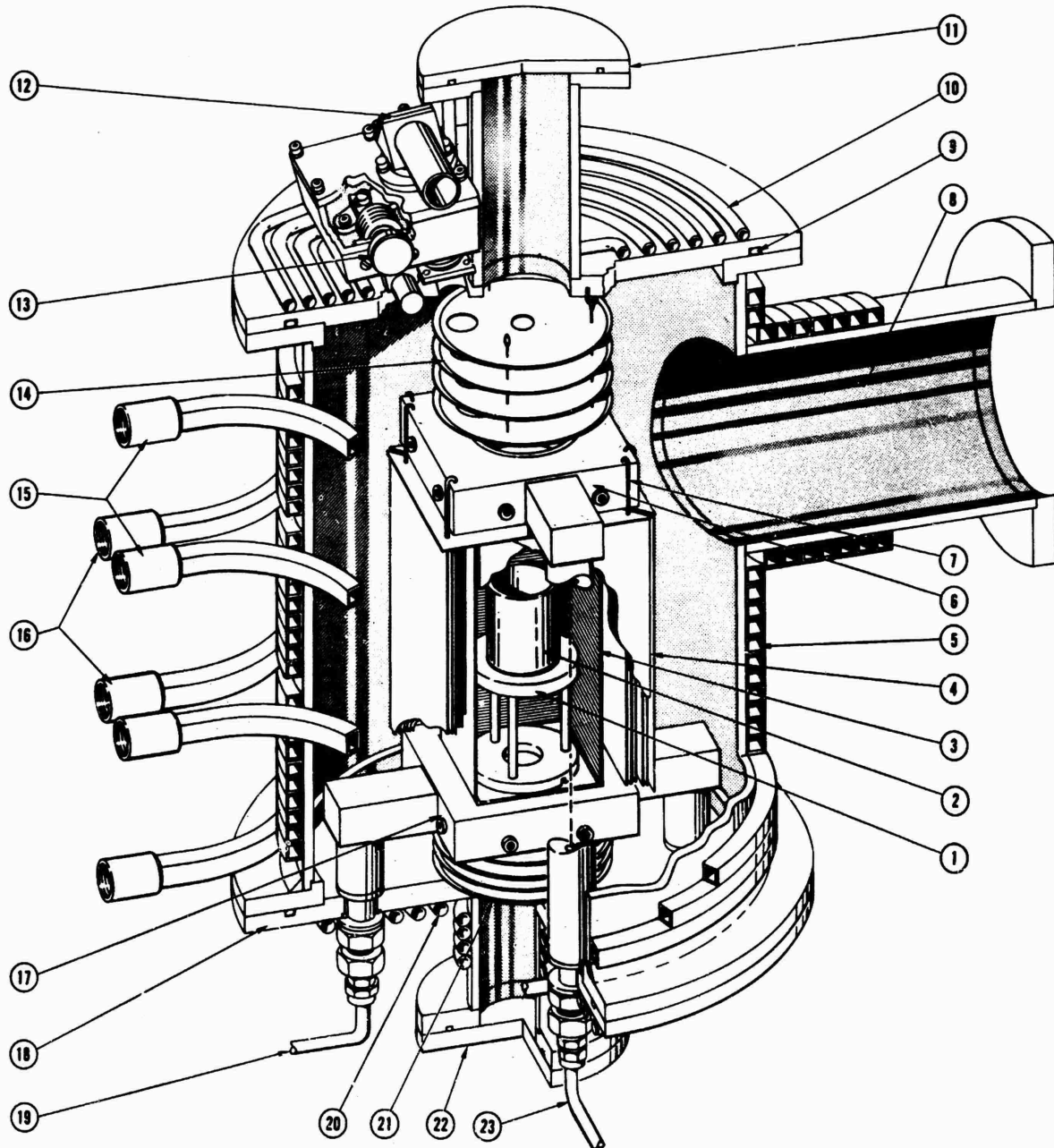
## MATERIAL

MATERIAL	TEMPERATURE, °C	25	100	300	625	900	1500	2200
QUARTZ		.198	.213	.250	.267	.275	.299	.311
SIOUX QUARTZITE		.203	.219	.259	.291	.285	-	-
BEREA SANDSTONE		.200	.216	.254	.279	.280	-	-
DRESSER BASALT		.224	.230	.255	.257	.256	-	-
THOLEIITIC BASALT		.224	.230	.255	.257	.256	-	-
WESTERLY GRANITE		.212	.222	.248	.265	.282	-	-
BARRE GRANITE		.212	.222	.248	.265	.282	-	-
GRANODIORITE		.212	.222	.248	.265	.282	-	-
ST. CLOUD GRANODIORITE		.212	.222	.248	.265	.282	-	-
NEWBERFY RHYOLITE		.212	.222	.248	.265	.282	-	-
DULUTH GABBRO		.224	.230	.255	.257	.256	-	-

\*Values for quartz from Kelley, Bureau of Mines Bulletin 584, 1960.

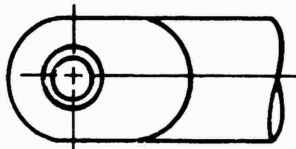
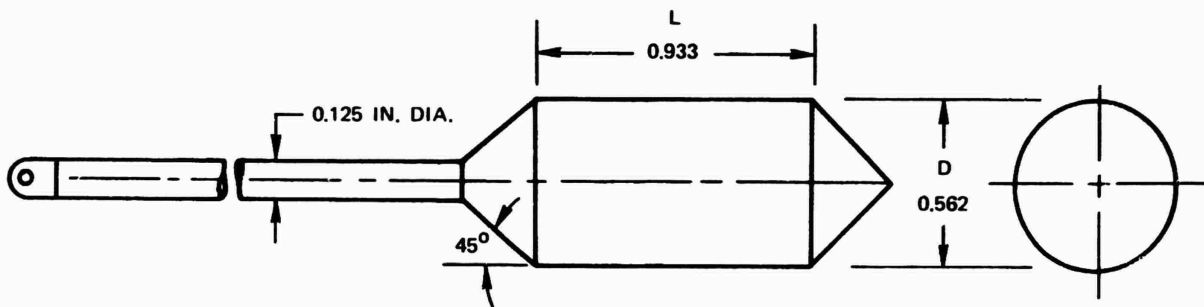
Values for Dresser basalt from Lindroth, et al. Bureau of Mines Report of Investigations RI 7503, April 1971. All other values estimated from values reported for similar materials by Lindroth, et al, same reference.

## HIGH TEMPERATURE TUNGSTEN RESISTANCE FURNACE



- |   |  |
|---|--|
| ① TUNGSTEN PEDESTAL FOR CRUCIBLE                    | ⑪ PROTECTOR MECHANISM FOR SIGHT GLASS                  |
| ② TUNGSTEN CRUCIBLE                                 | ⑫ TOP TANTALUM RADIATION SHIELDS                       |
| ③ FLAT TUNGSTEN HEATING ELEMENT (4)                 | ⑬ COOLING WATER IN                                     |
| ④ TANTALUM RADIATION SHIELDS                        | ⑭ COOLING WATER OUT                                    |
| ⑤ SIDE COPPER COOLING COILS                         | ⑮ BOTTOM WATER COOLED ELECTRODE SUPPORT CONDUCTOR      |
| ⑥ TOP WATER COOLED ELECTRODE SUPPORT CONDUCTOR      | ⑯ BOTTOM PLATE FOR MOUNTING                            |
| ⑦ SUPPORT PIN FOR TANTALUM SHIELDS                  | ⑰ WATER IN BOTTOM ELECTRODE                            |
| ⑧ TO VACUUM SYSTEM                                  | ⑱ BOTTOM COPPER COOLING COILS                          |
| ⑨ "O" RING GASKET SEALS                             | ⑲ BOTTOM TANTALUM RADIATION SHIELDS                    |
| ⑩ TOP COPPER COOLING COILS                          | ⑳ BOTTOM INTERCHANGEABLE COVER FOR MEASURING APPARATUS |
| ⑪ TOP INTERCHANGEABLE COVER FOR MEASURING APPARATUS | ㉑ WATER IN TOP ELECTRODE                               |
| ⑫ SIGHT GLASS                                       |  |

## LARGE TUNGSTEN SPINDLE USED FOR HIGH TEMPERATURE VISCOSITY MEASUREMENT

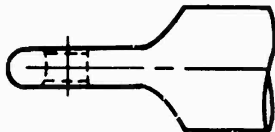


BROOKFIELD VISCOMETER MODEL: RVT

CONTAINER DIAMETER: 2 IN.

MINIMUM CONTAINER DEPTH: 2 IN.

SPEED (R.P.M.)	RANGE (CPS)
100	0 - 3000
50	6000
20	15,000
10	30,000
5	60,000
2.5	120,000
1	150,000
0.5	600,000



BROOKFIELD VISCOMETER AND CONSTANT TEMPERATURE BATH USED  
FOR CALIBRATION



CALIBRATION DATA FOR LARGE TUNGSTEN SPINDLE, BROOKFIELD VISCOMETER,  
AND STANDARD OIL "P" FROM N.B.S.

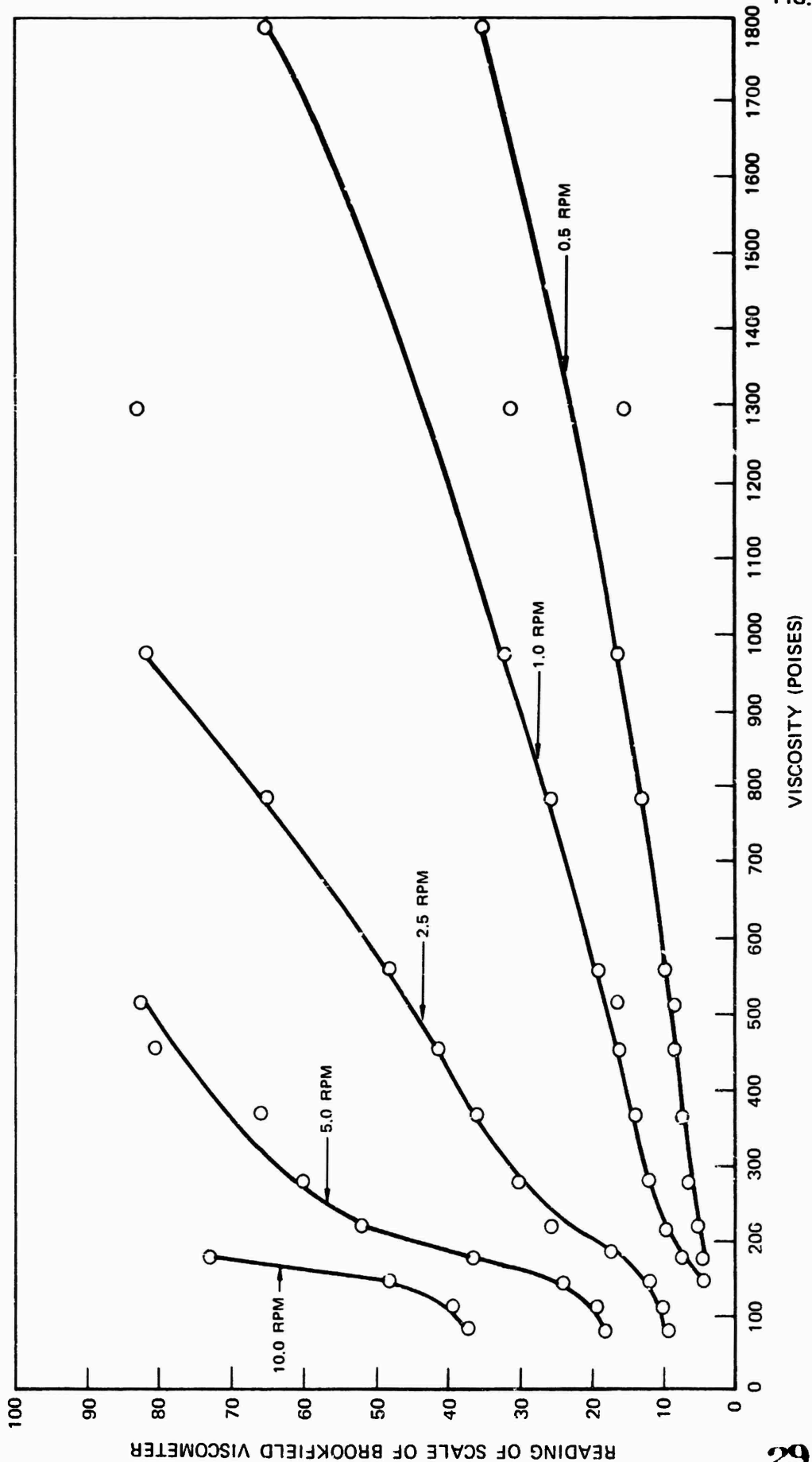
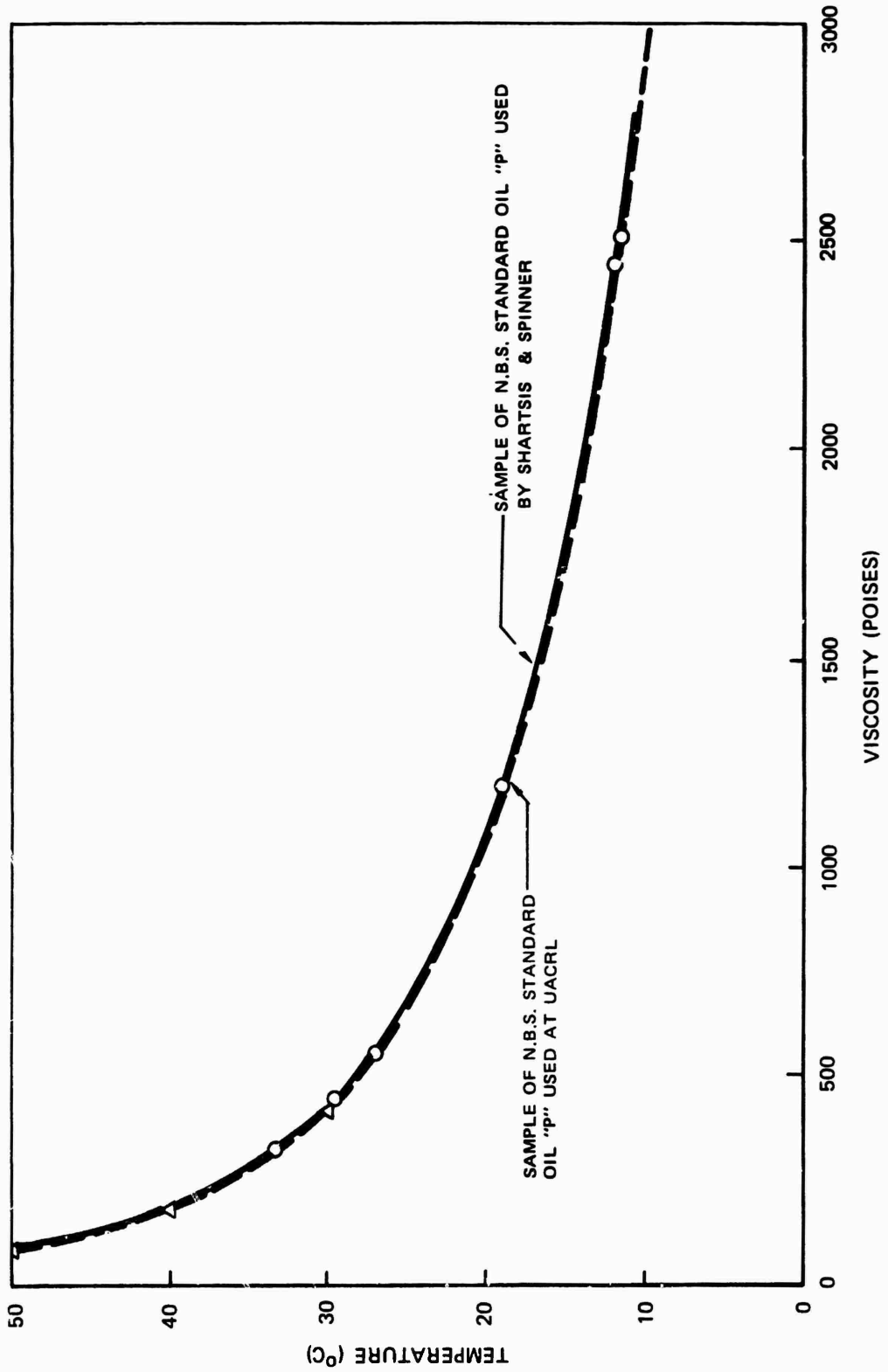


FIG. 4

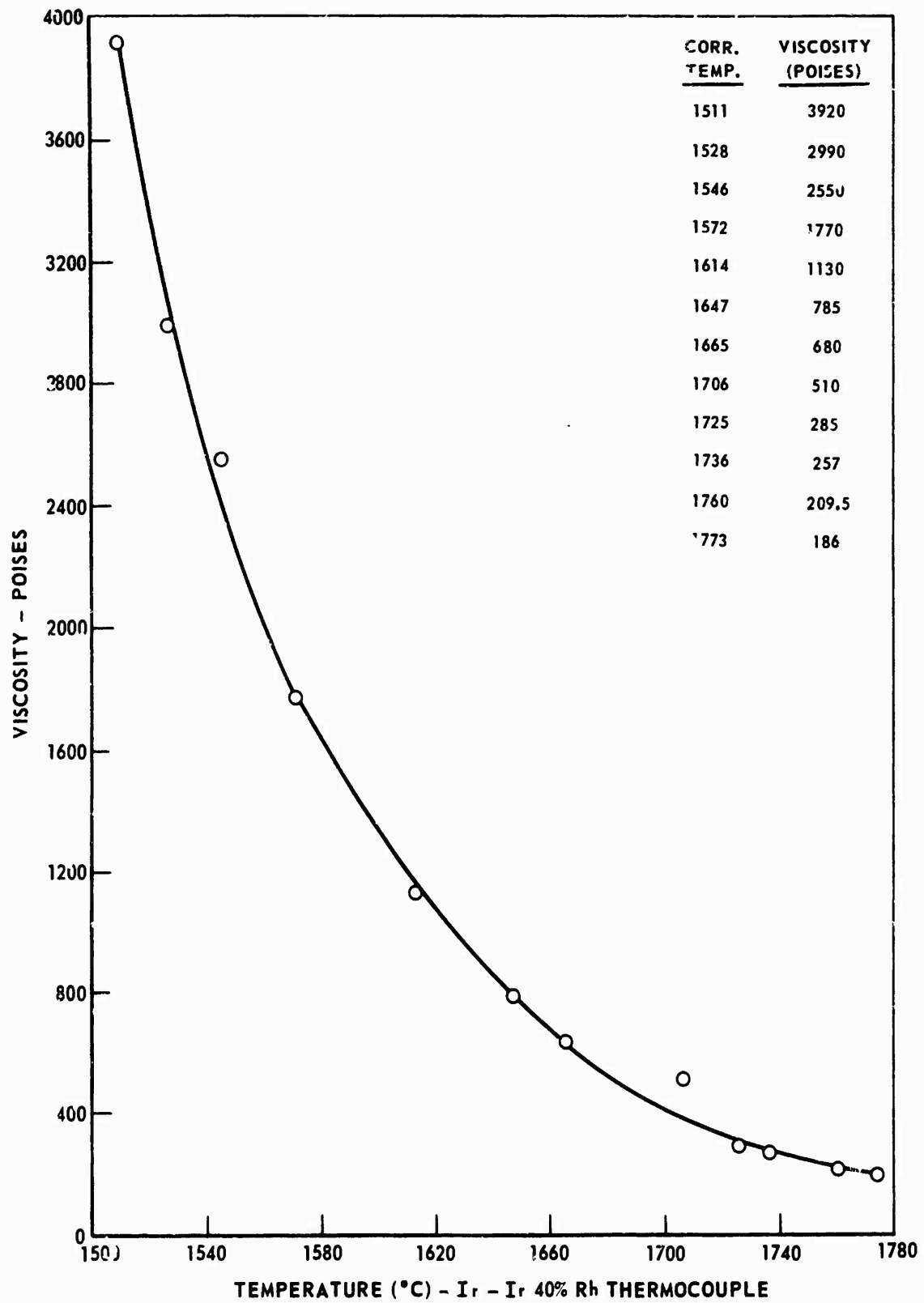
EXTRAPOLATED CALIBRATION CURVE FOR N.B.S. VISCOSITY STANDARD "P"



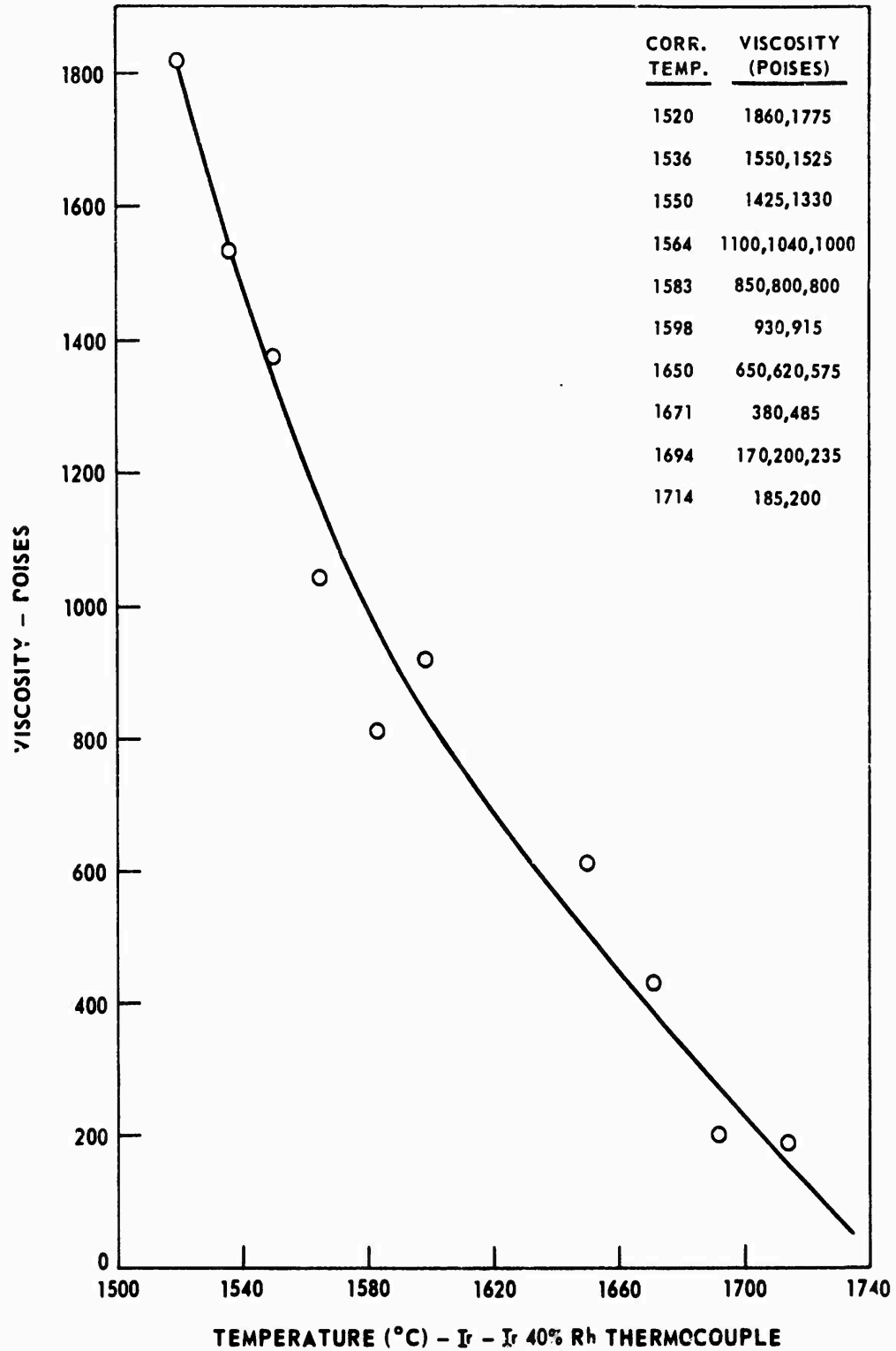
**BROOKFIELD VISCOMETER INSTALLED ON TUNGSTEN FURNACE  
FOR HIGH TEMPERATURE VISCOSITY MEASUREMENTS**



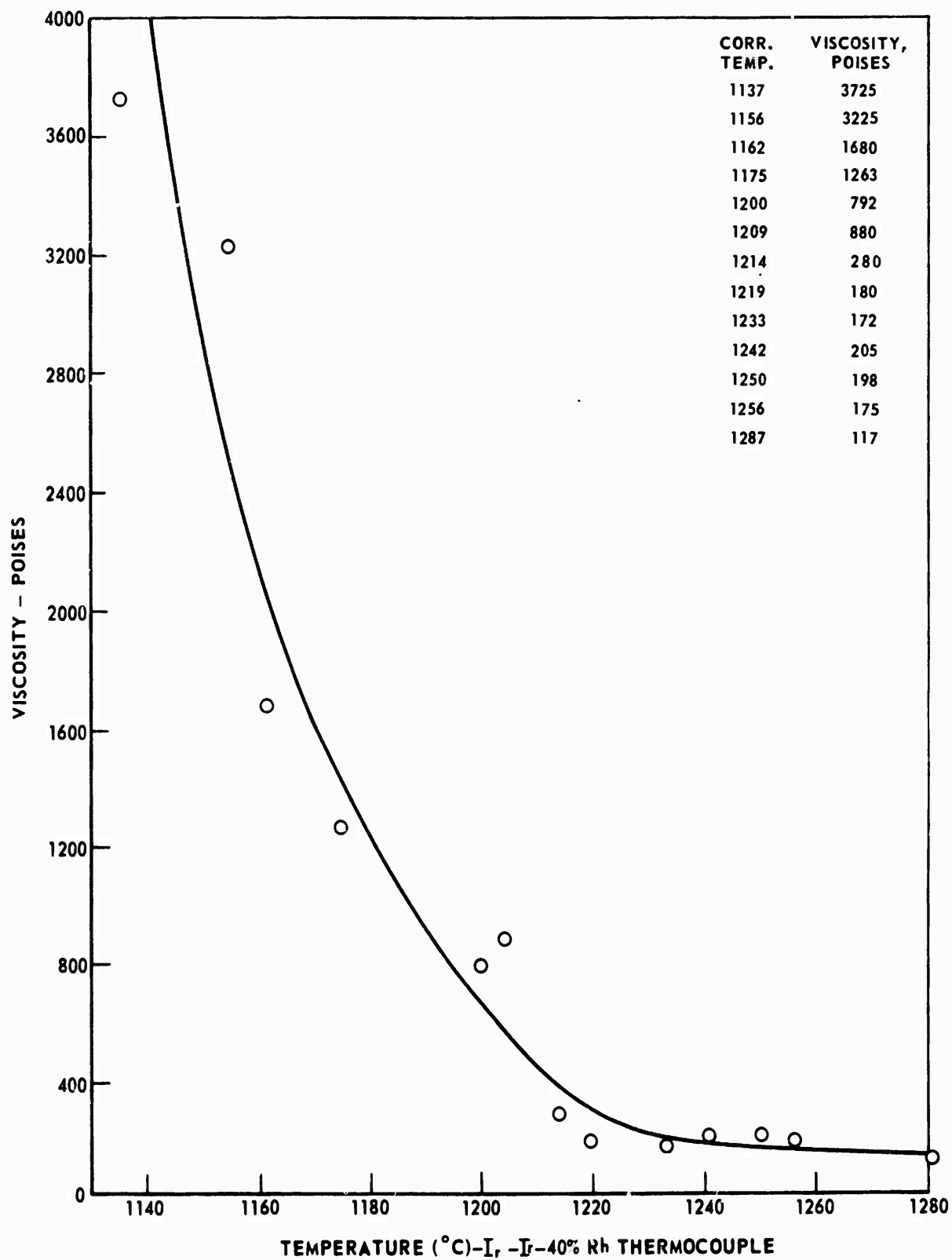
### VISCOSITY - TEMPERATURE CURVE FOR BARRE GRANITE



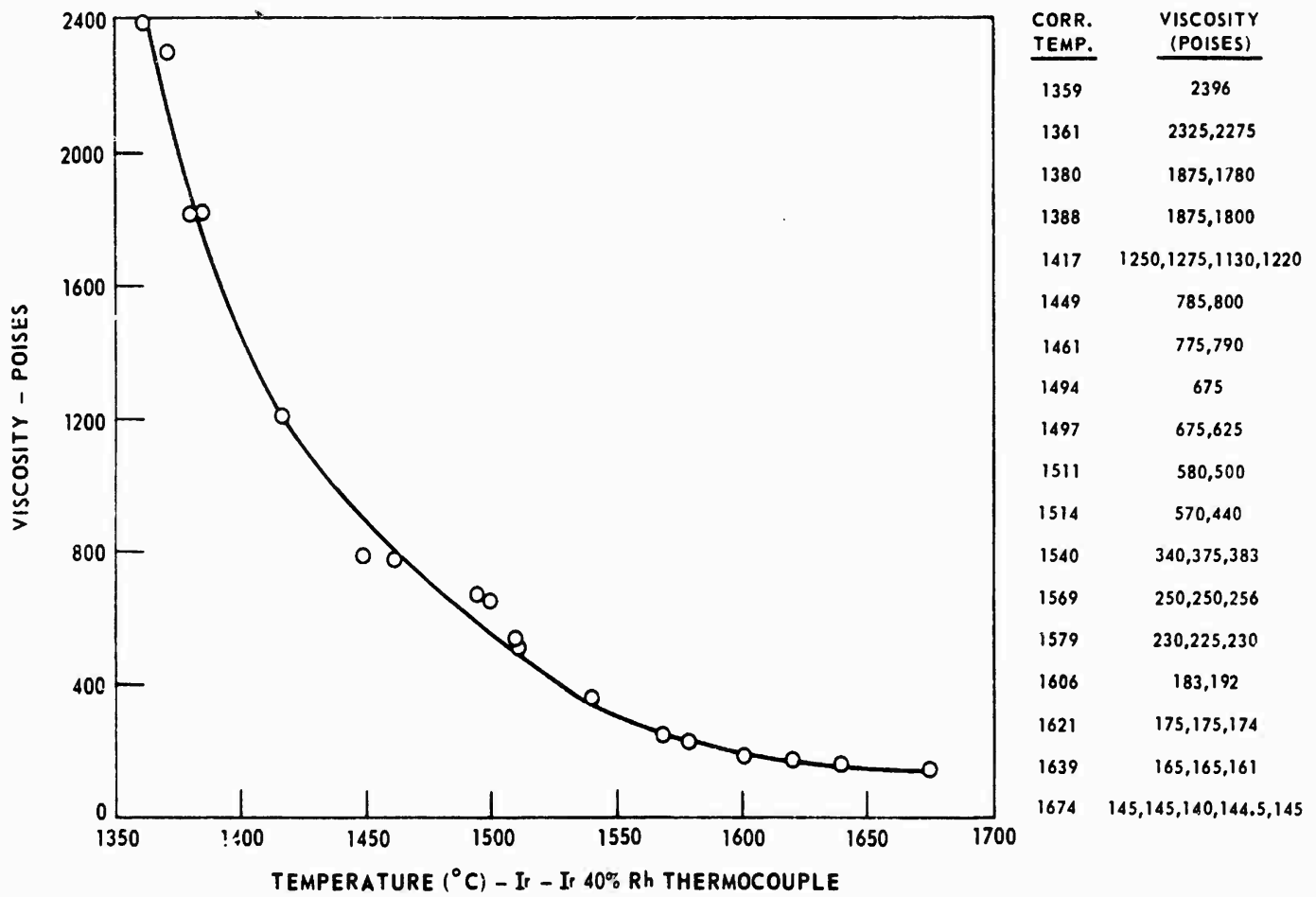
### VISCOSITY - TEMPERATURE CURVE FOR WESTERLY GRANITE



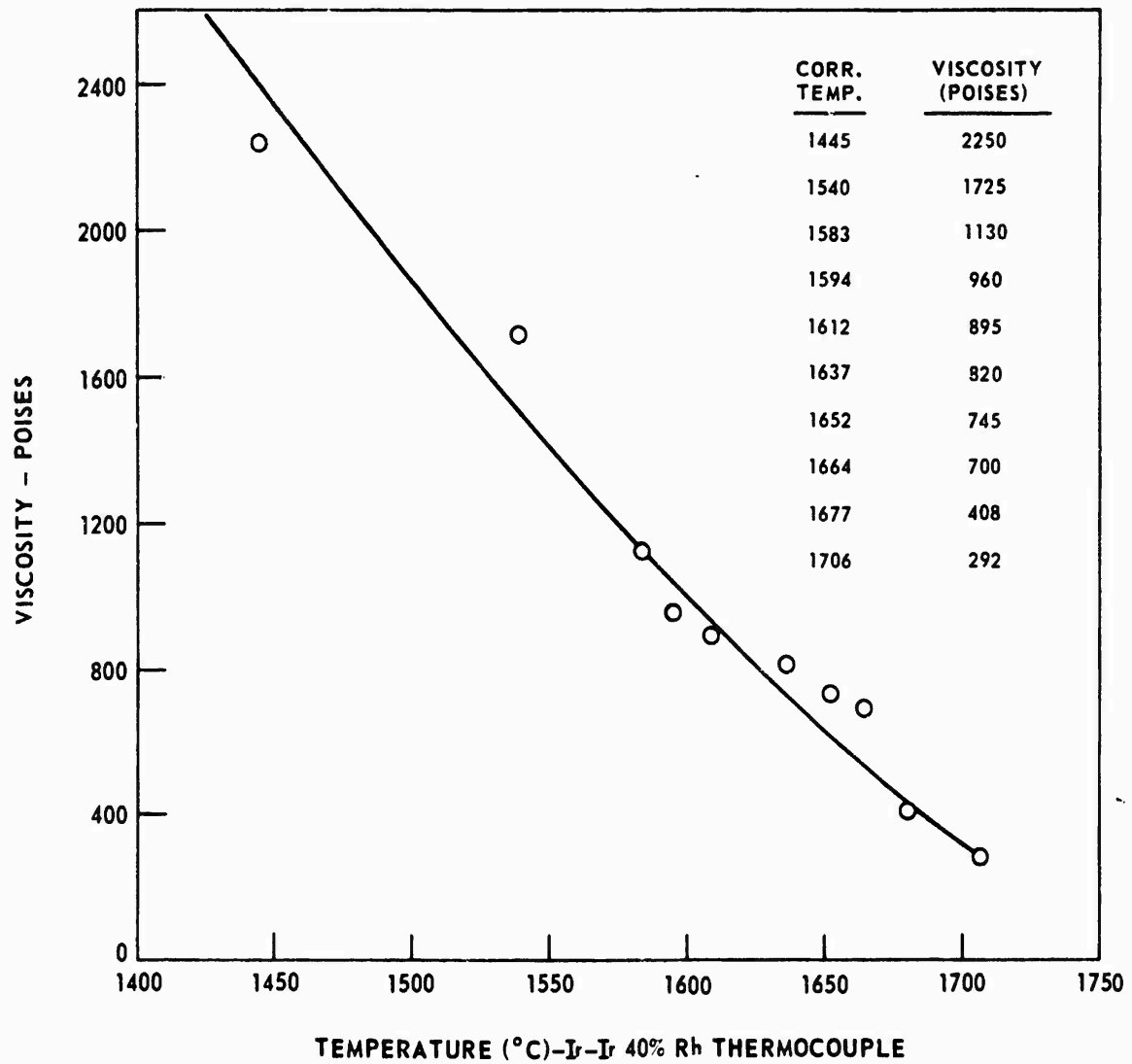
## VISCOSITY-TEMPERATURE CURVE FOR DULUTH GABBRO



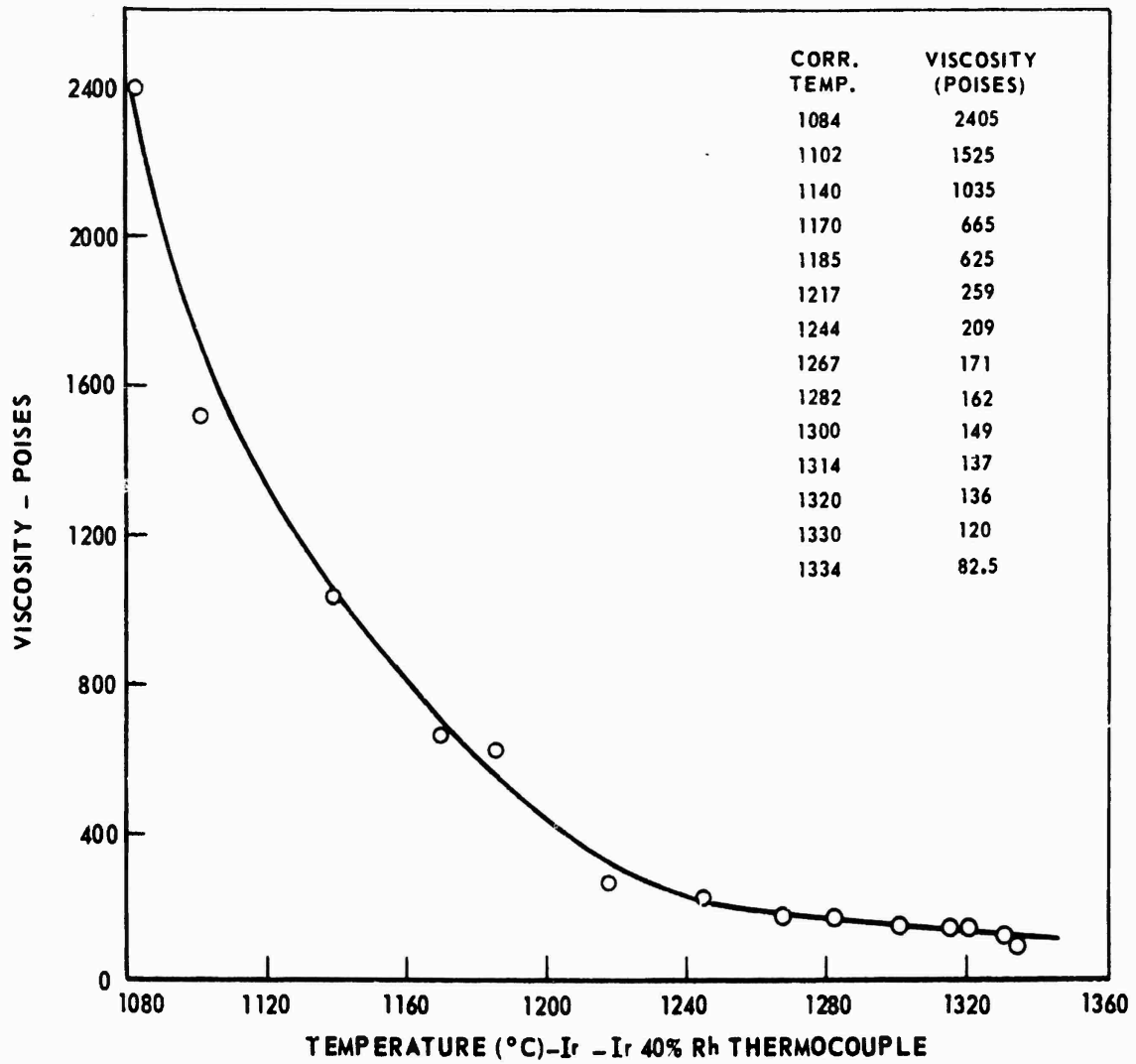
### VISCOSITY - TEMPERATURE CURVE FOR CHARCOAL GRANITE



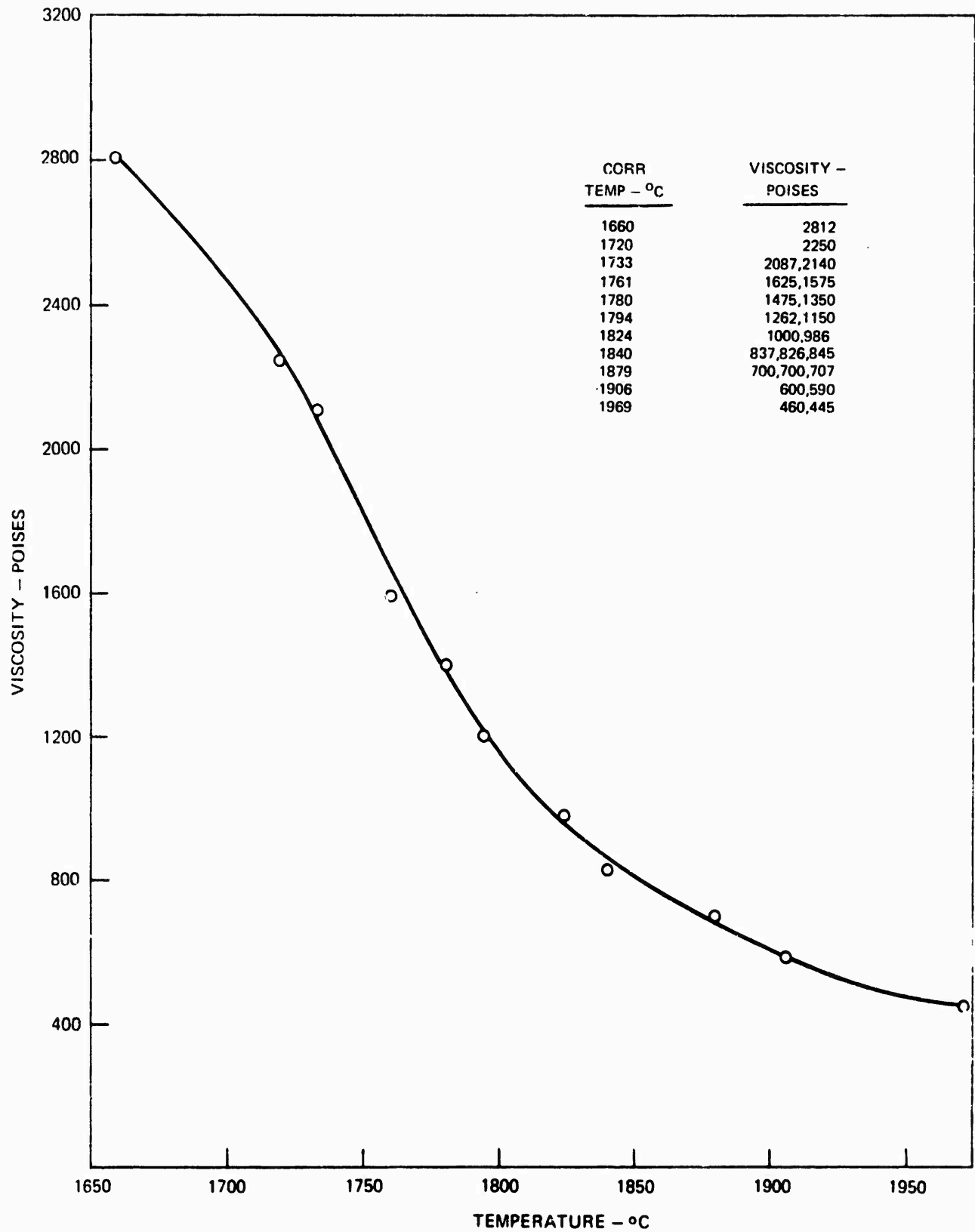
### VISCOSITY-TEMPERATURE CURVE FOR GRANODIORITE-LUNAR



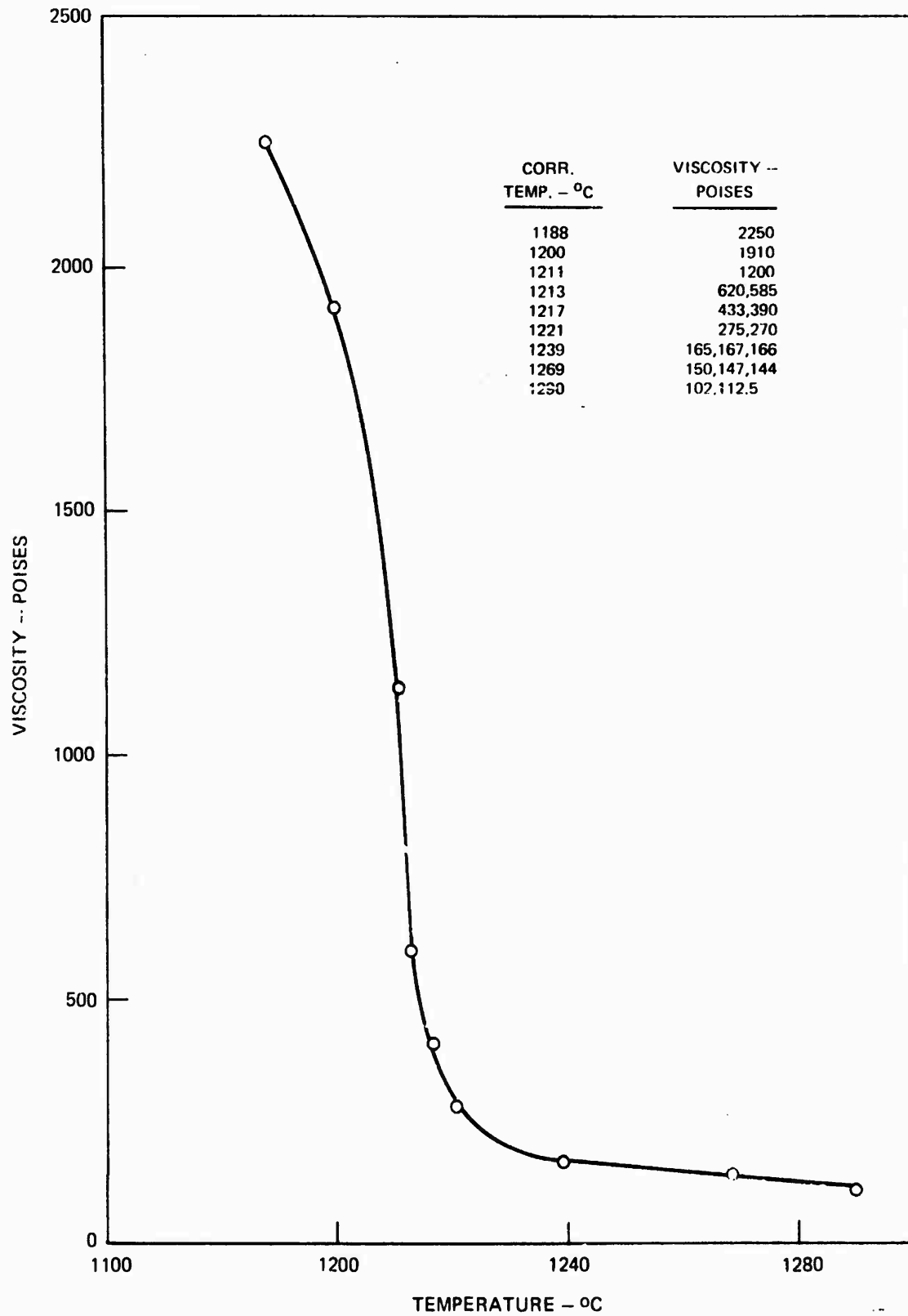
### VISCOSITY-TEMPERATURE CURVE FOR THOLEIITIC BASALT



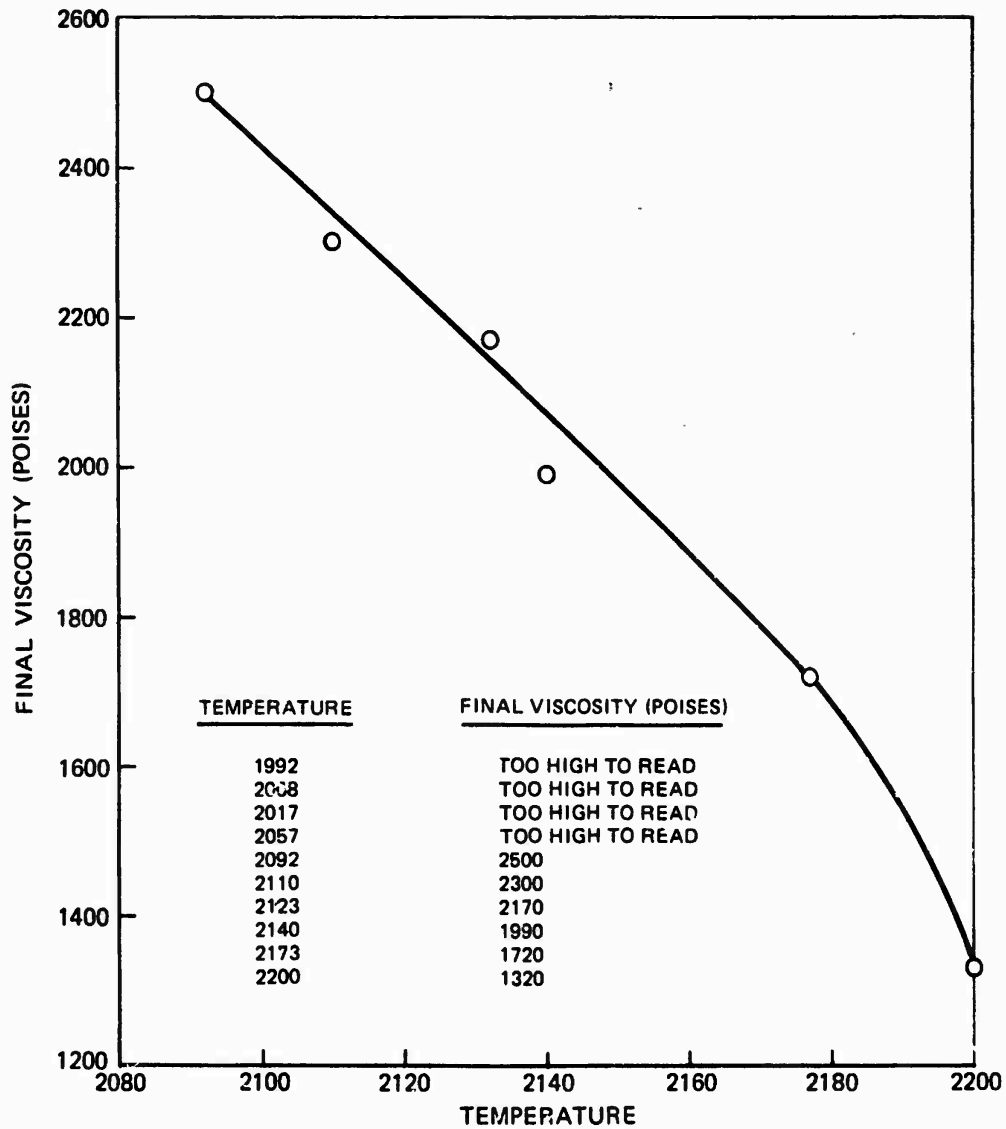
VISCOSITY-TEMPERATURE CURVE FOR NEWBERRY RHYOLITE ( FRESH)



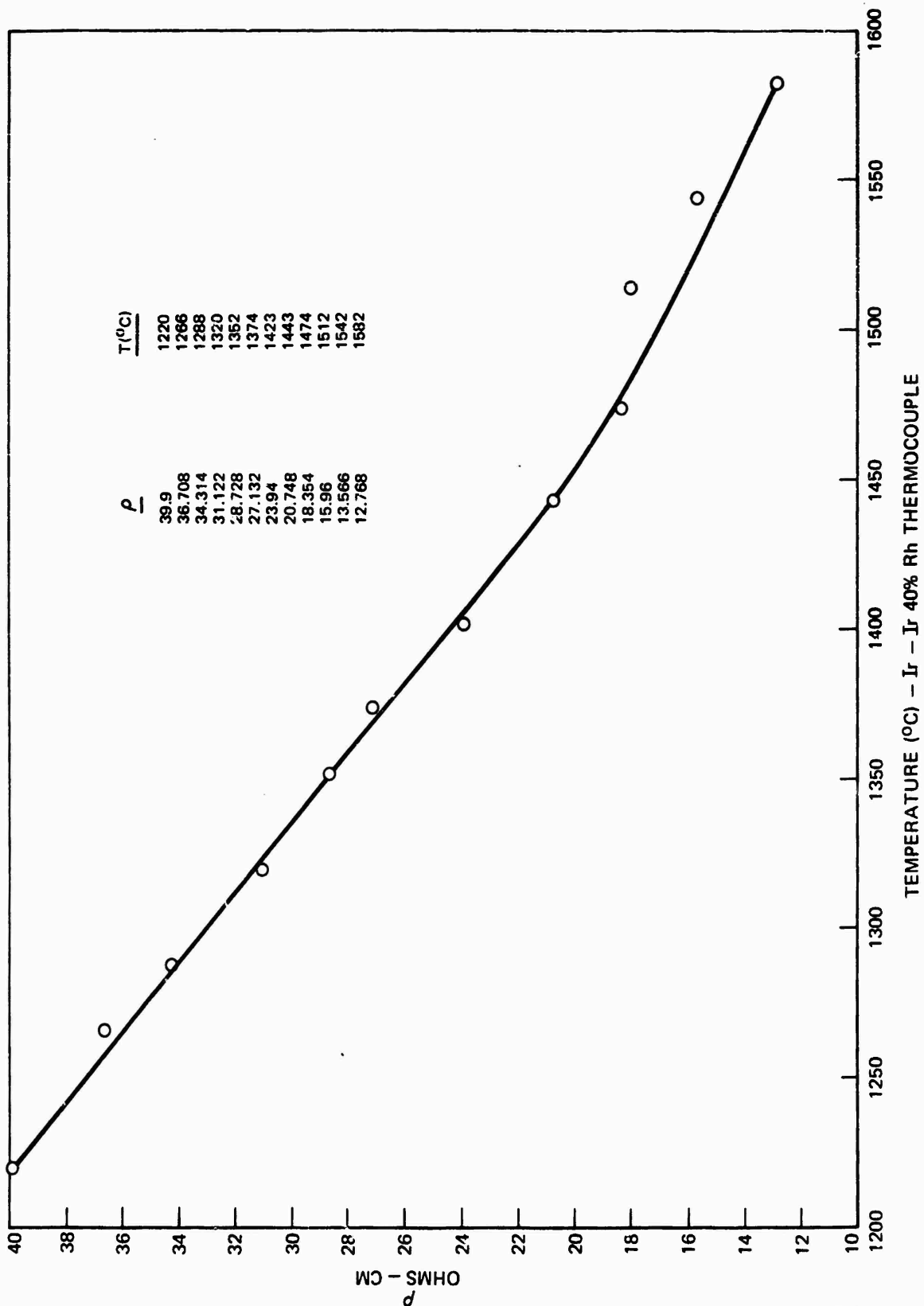
### VISCOSITY-TEMPERATURE CURVE FOR DRESSER BASALT



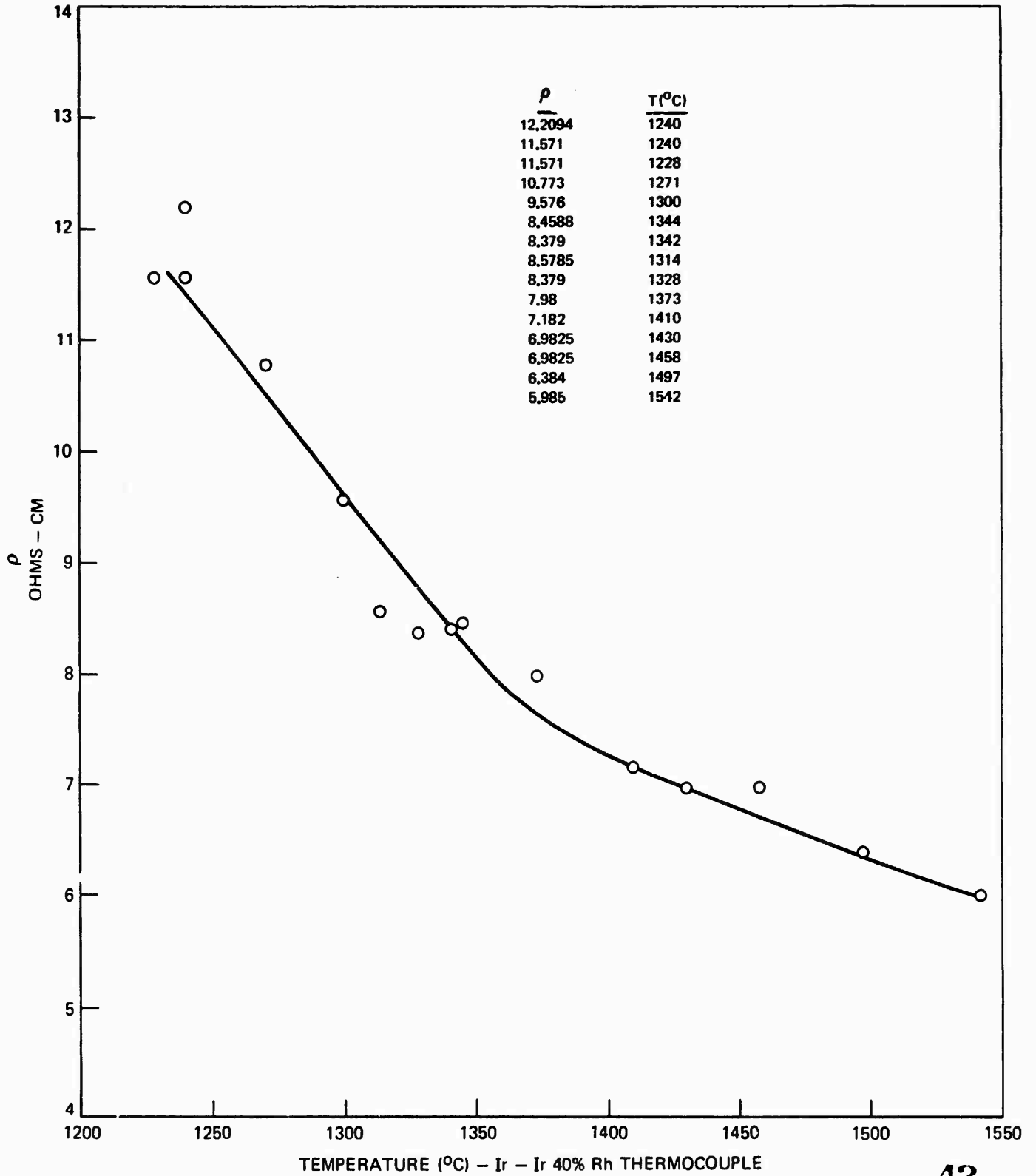
VISCOSITY - TEMPERATURE CURVE FOR BEREA SANDSTONE



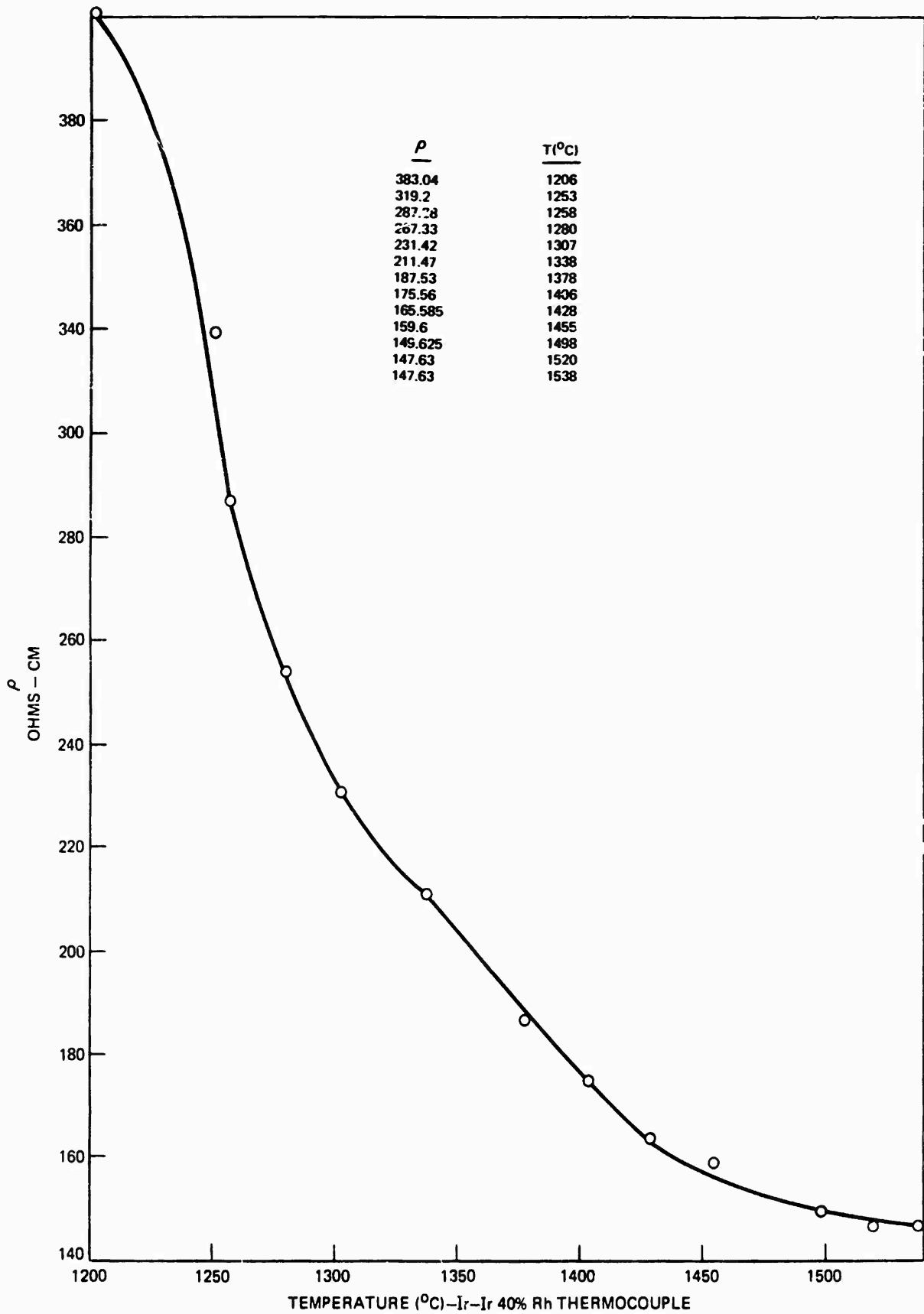
SPECIFIC RESISTIVITY OF MOLTEN BARRE GRANITE AT HIGH TEMPERATURES



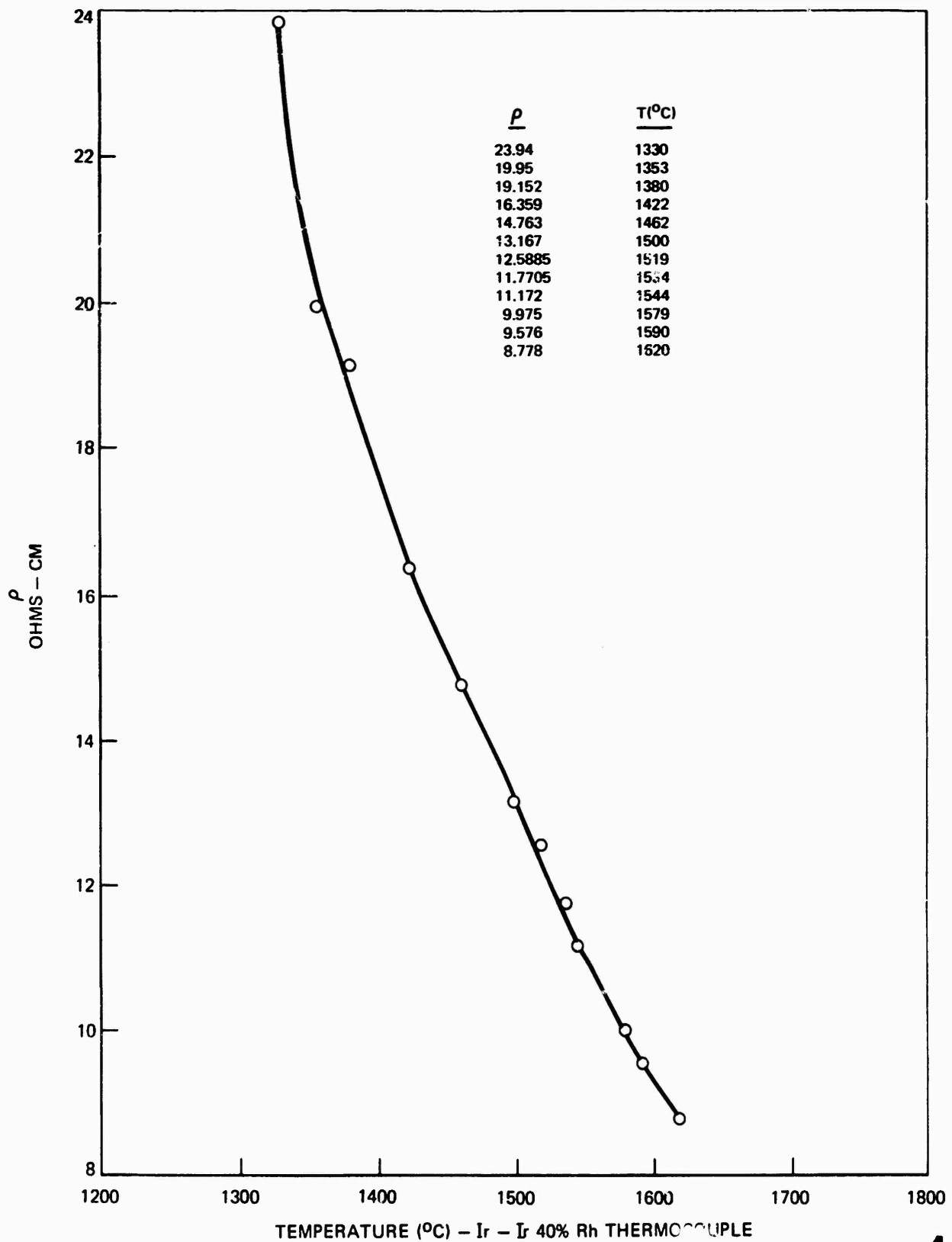
**SPECIFIC RESISTIVITY OF MOLTEN WESTERLY GRANITE AT HIGH TEMPERATURES**



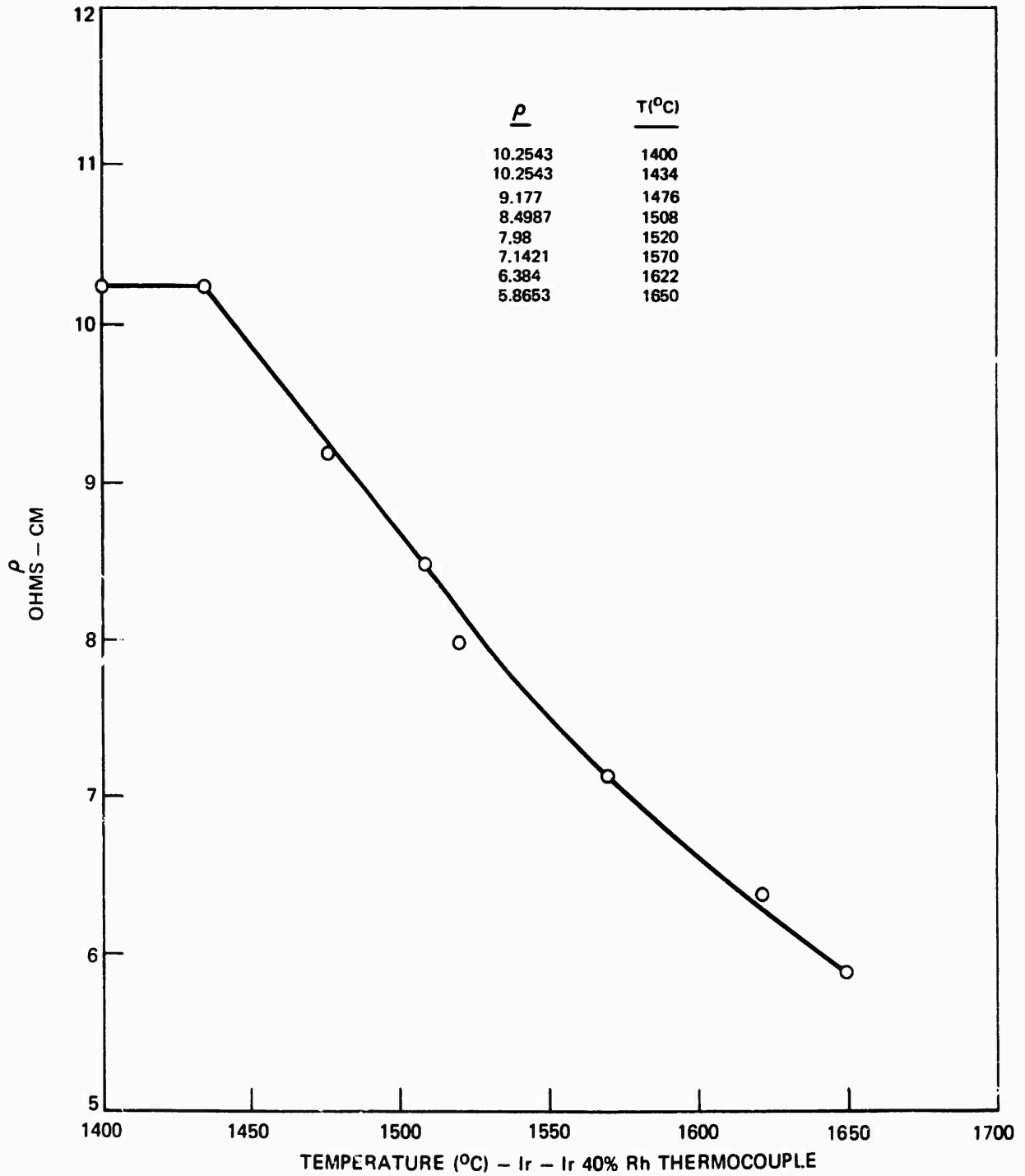
SPECIFIC RESISTIVITY OF MOLTEN DULUTH GABBRO AT HIGH TEMPERATURES



## SPECIFIC RESISITIVITY OF MOLTEN CHARCOAL GRANITE AT HIGH TEMPERATURES

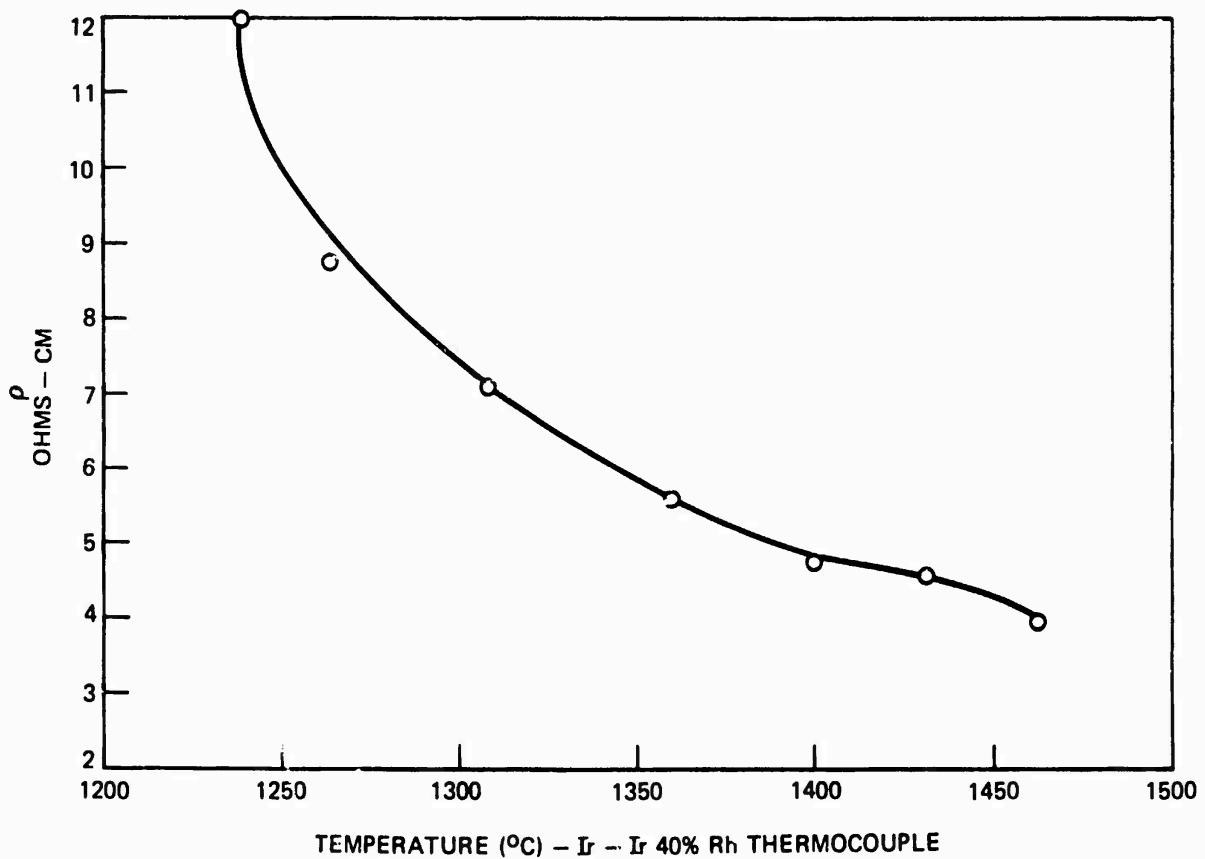


SPECIFIC RESISTIVITY OF MOLTEN GRANODIORITE-LUNAR AT HIGH TEMPERATURES

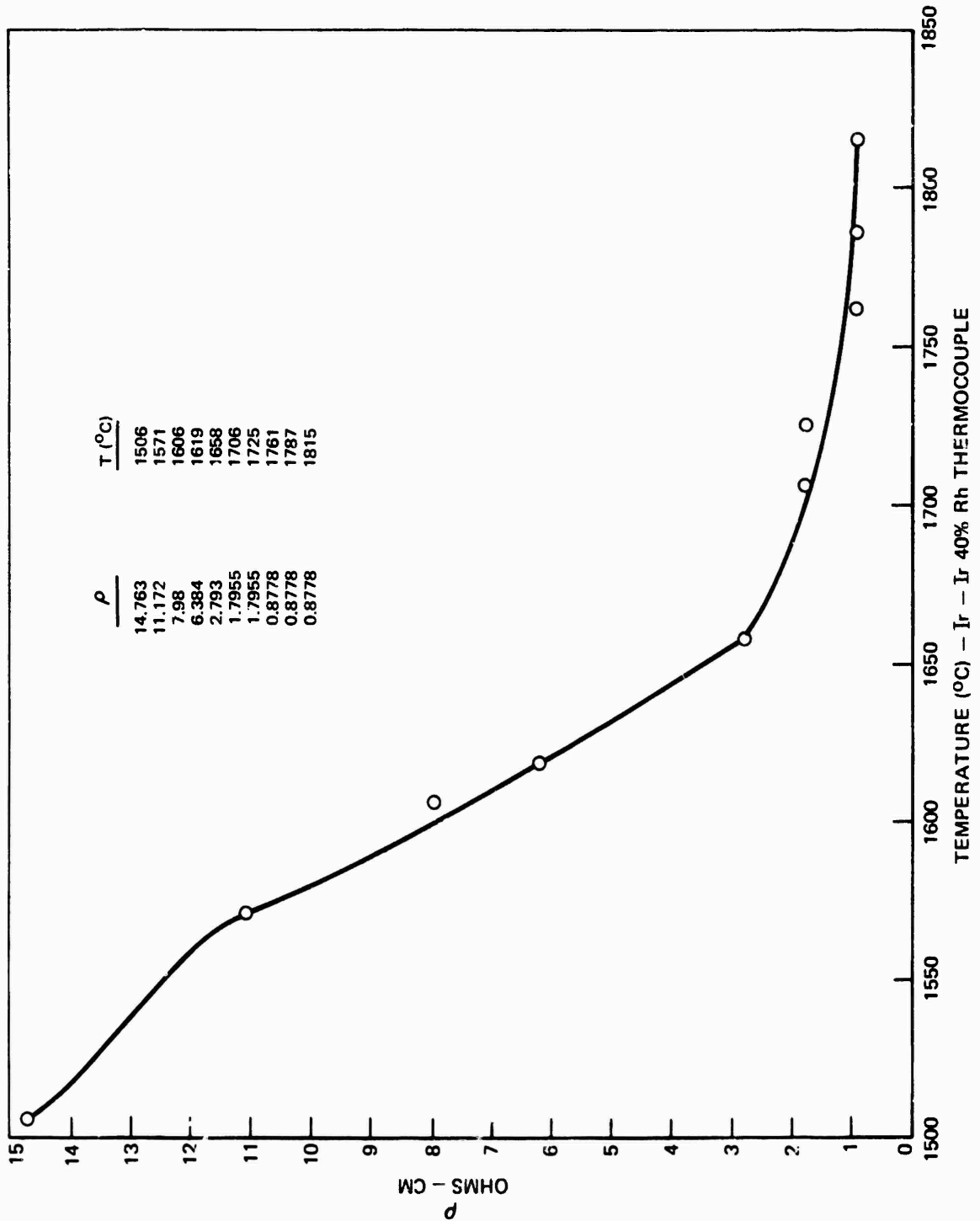


## SPECIFIC RESISTIVITY OF MOLTEN THOLEIITIC BASALT AT HIGH TEMPERATURES

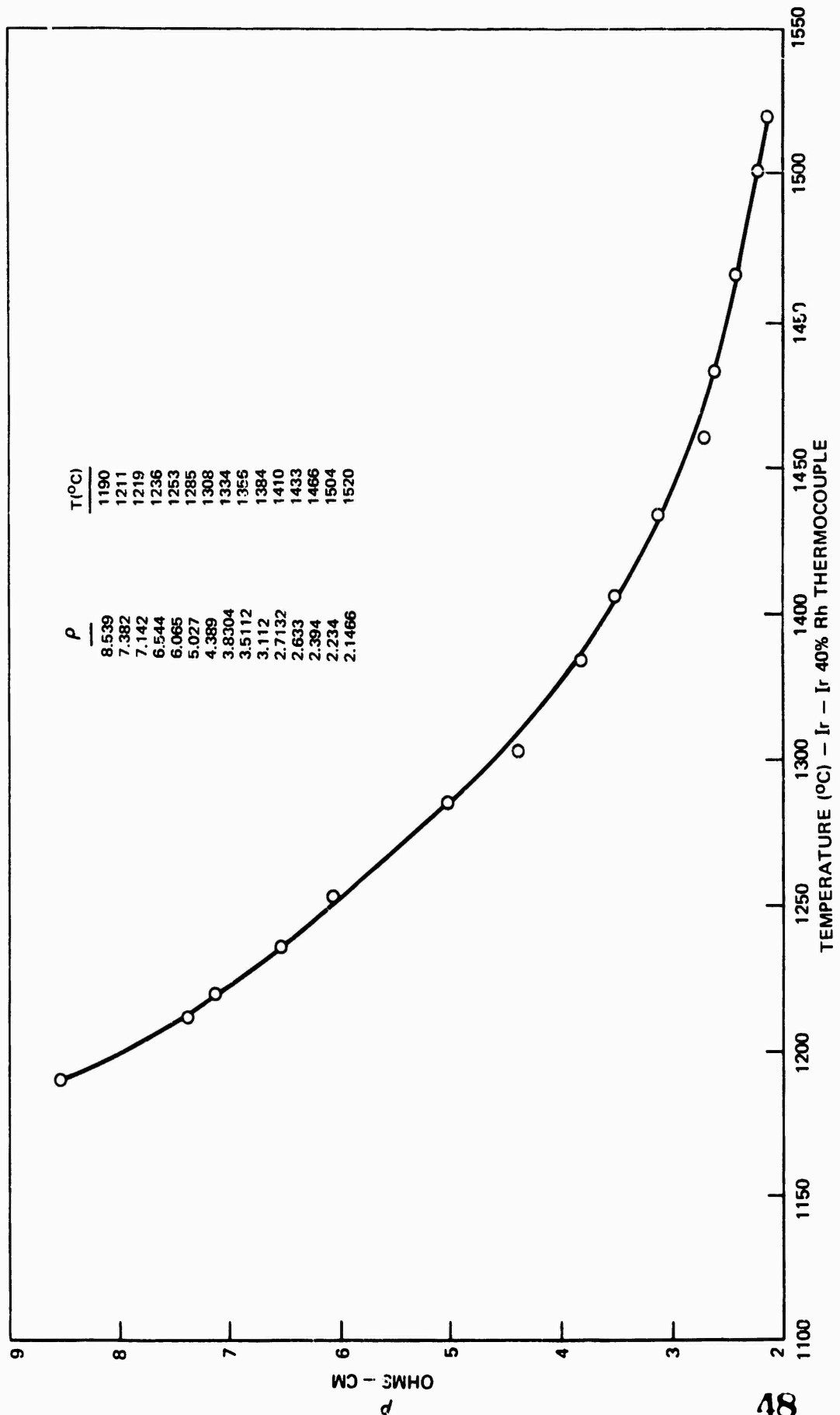
$\rho$	T(°C)
11.97	1239
8.778	1264
7.182	1308
5.586	1360
4.788	1400
4.5885	1432
3.99	1463



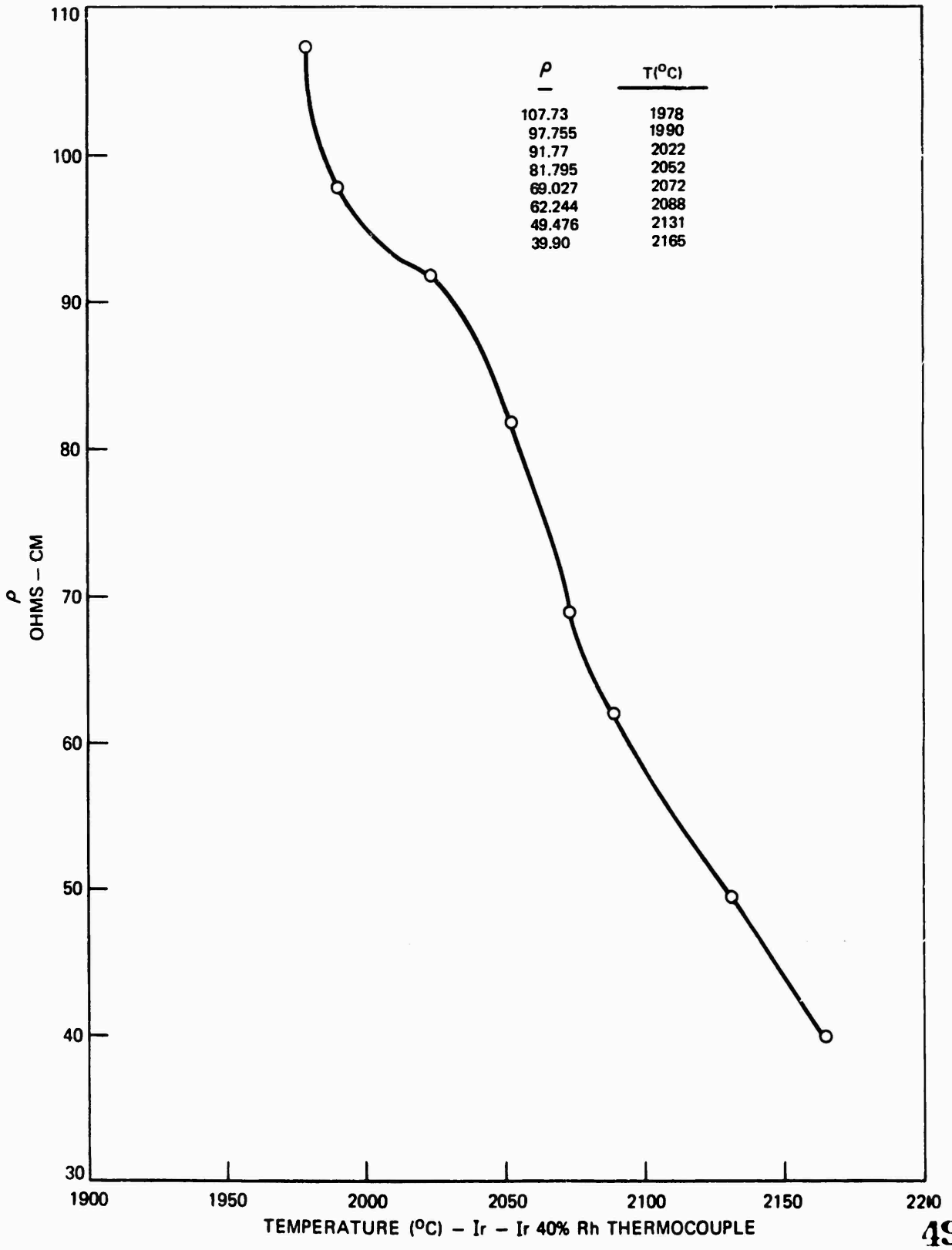
SPECIFIC RESISTIVITY OF MOLTEN NEWBERRY RHYOLITE ( FRESH ) AT HIGH TEMPERATURES



SPECIFIC RESISITIVITY OF MOLTEN DRESSER BASALT AT HIGH TEMPERATURES

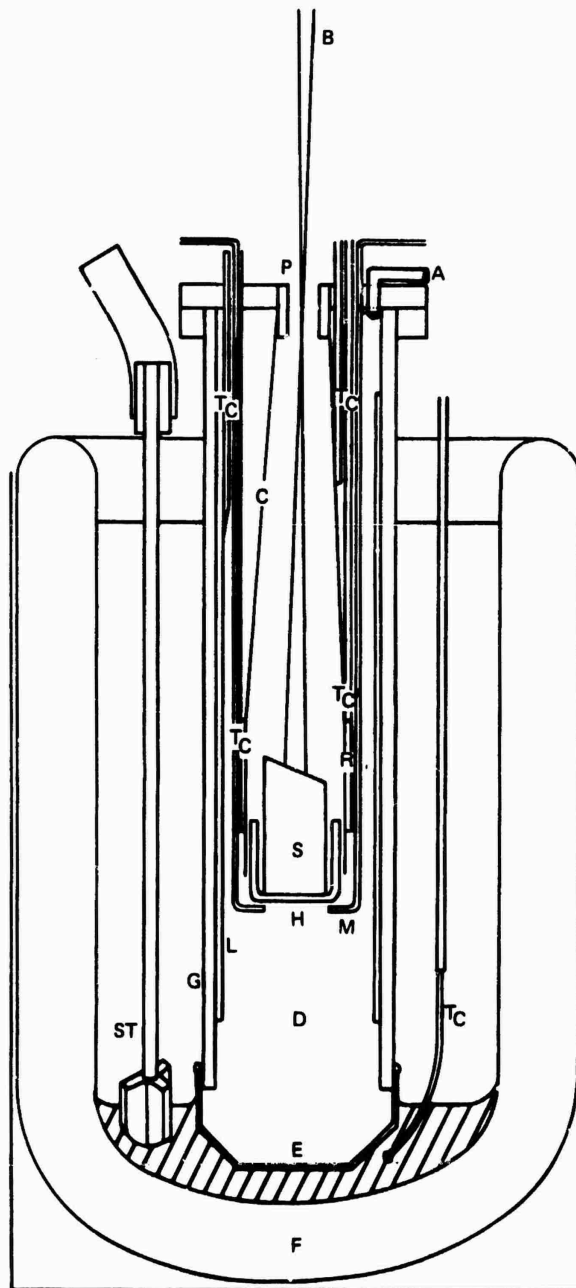


**SPECIFIC RESISITIVITY OF MOLTEN BEREA SANDSTONE AT HIGH TEMPERATURES**

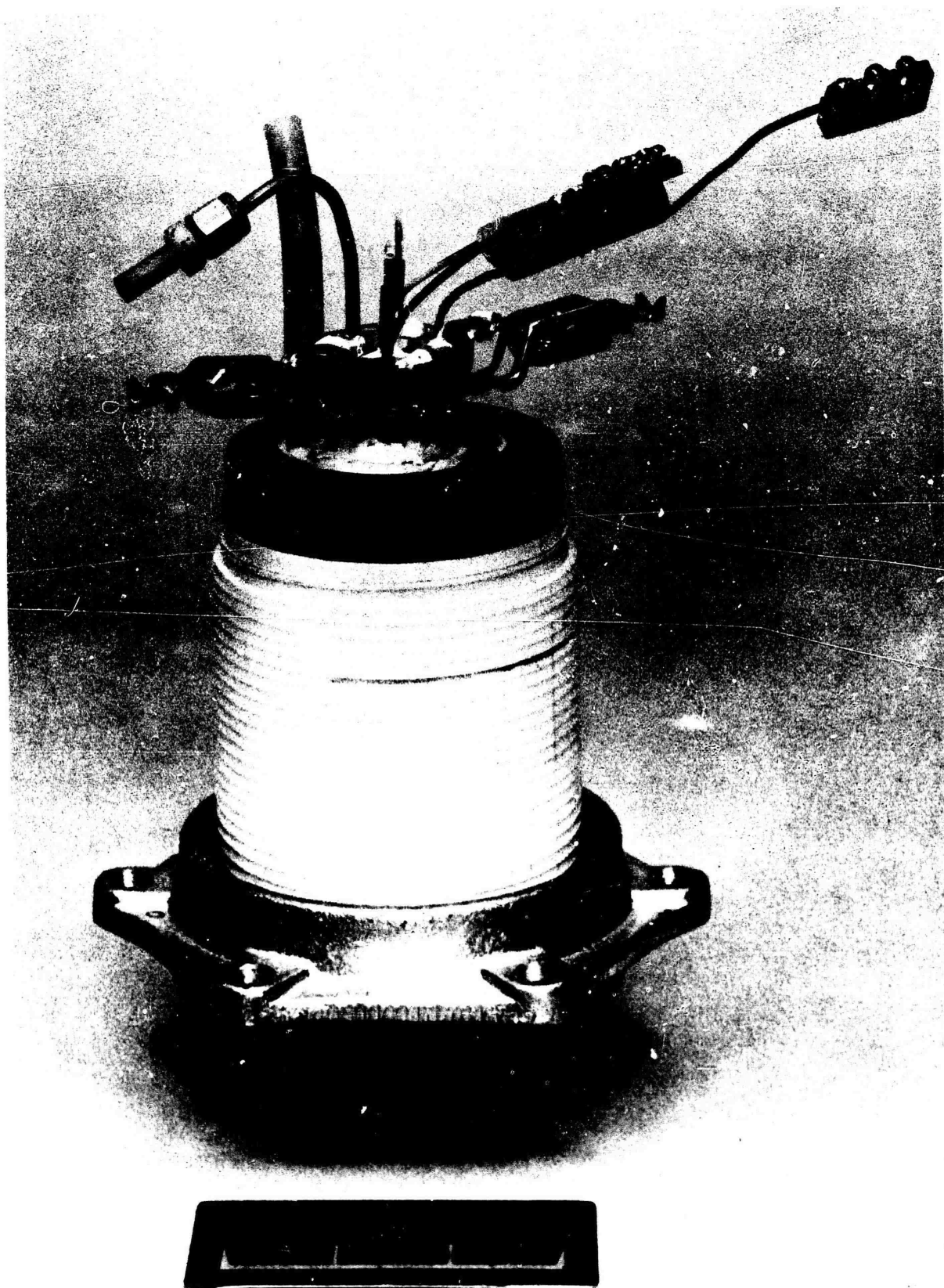


## LASER VAPORIZATION APPARATUS

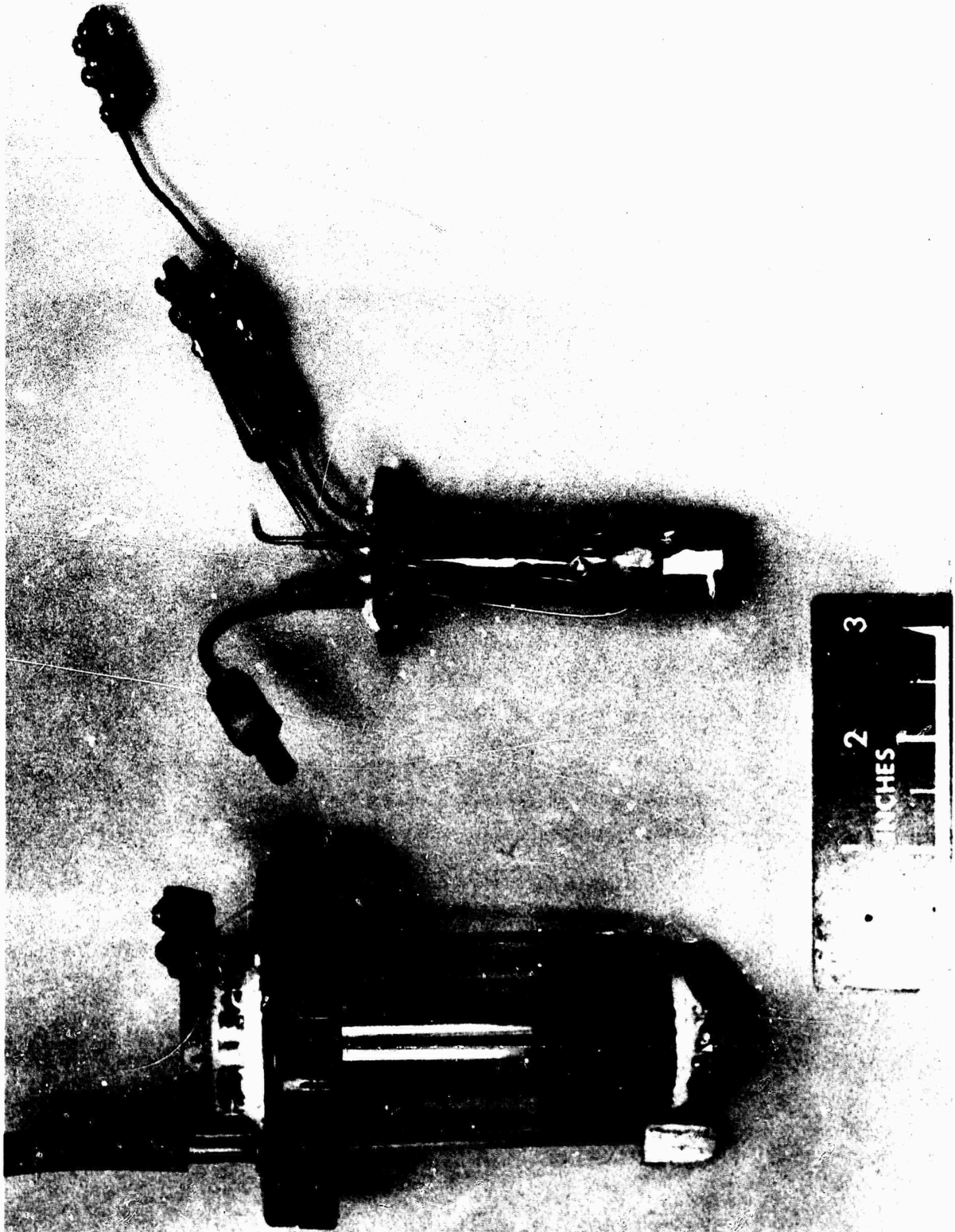
- B - LASER BEAM
- P - ENTRANCE PORT
- S - SAMPLE
- H - SAMPLE HOLDER
- M - RELEASE MECHANISM
- D - DRY CALORIMETER
- G - GLASS SLEEVE
- E - COPPER END CAP
- F - THERMOS FLASK
- C - COPPER SHIELD
- R - SUPPORTING COLLAR
- L - COPPER LINER
- A - GAS PORT
- T<sub>C</sub> - THERMOCOUPLE
- ST - STIRRER



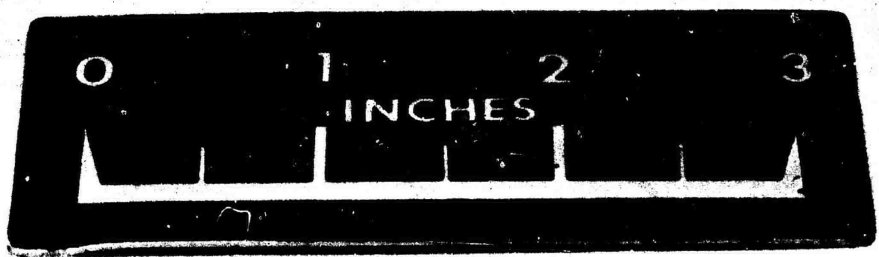
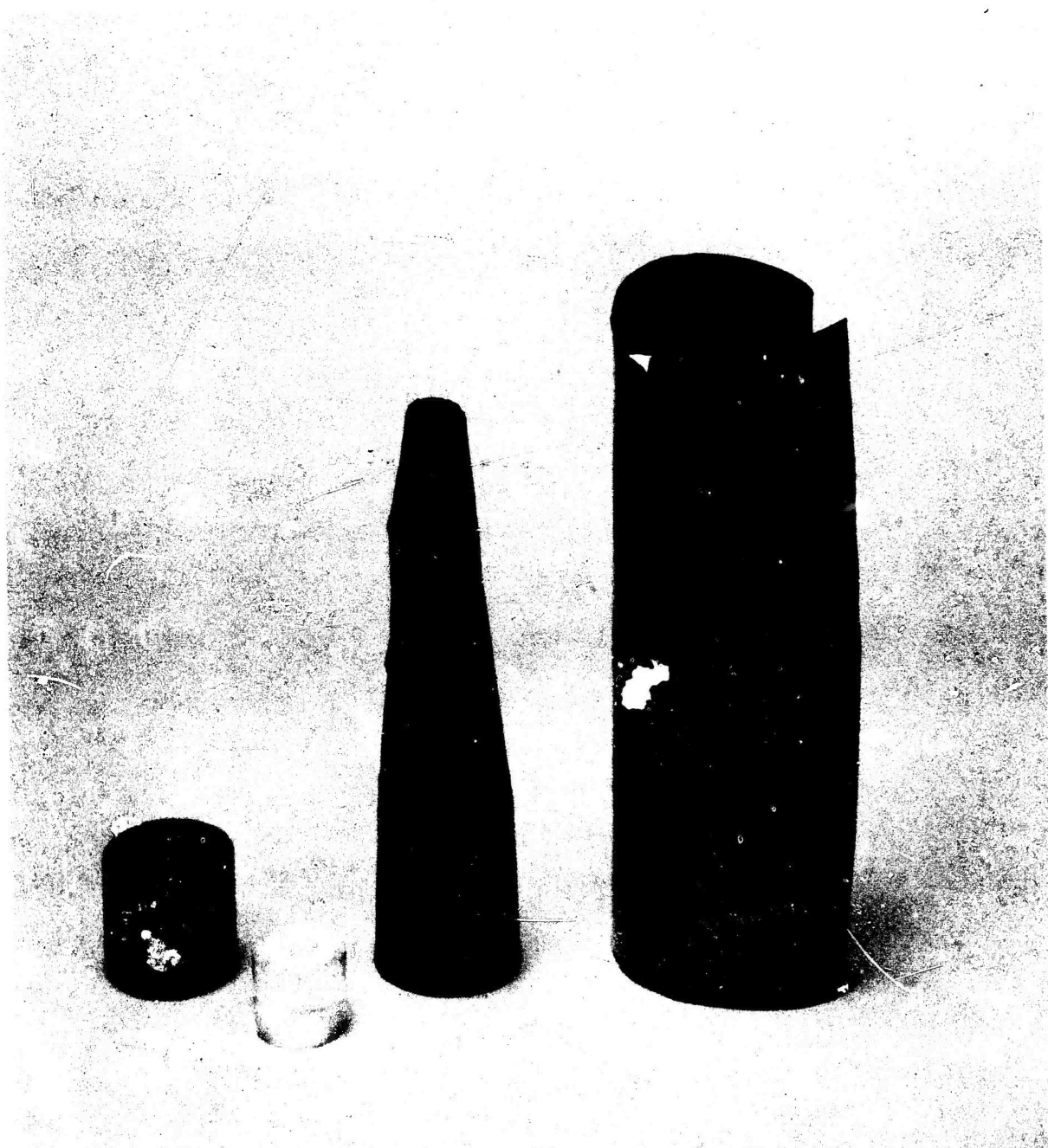
ASSEMBLED APPARATUS



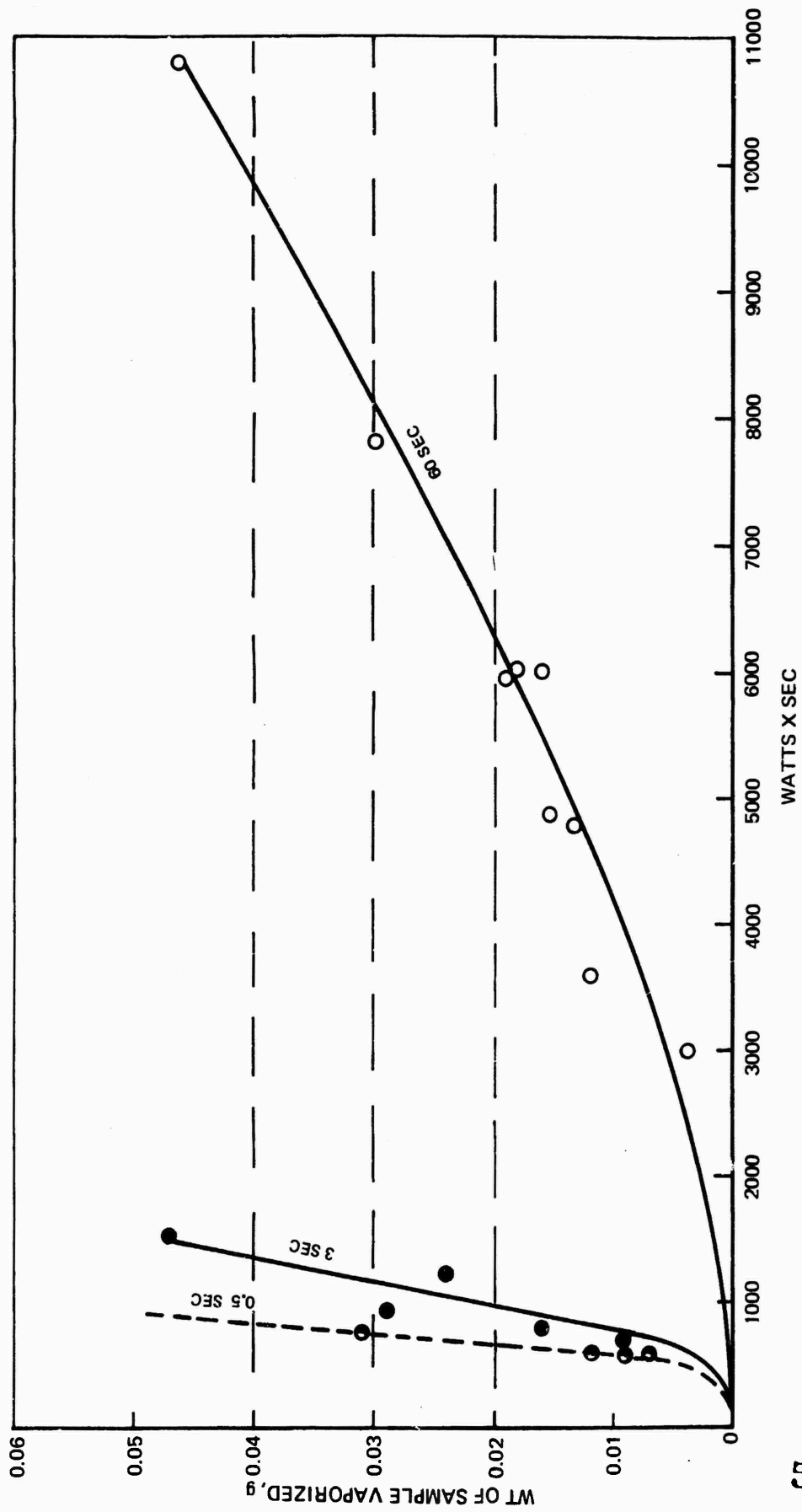
DISASSEMBLED APPARATUS



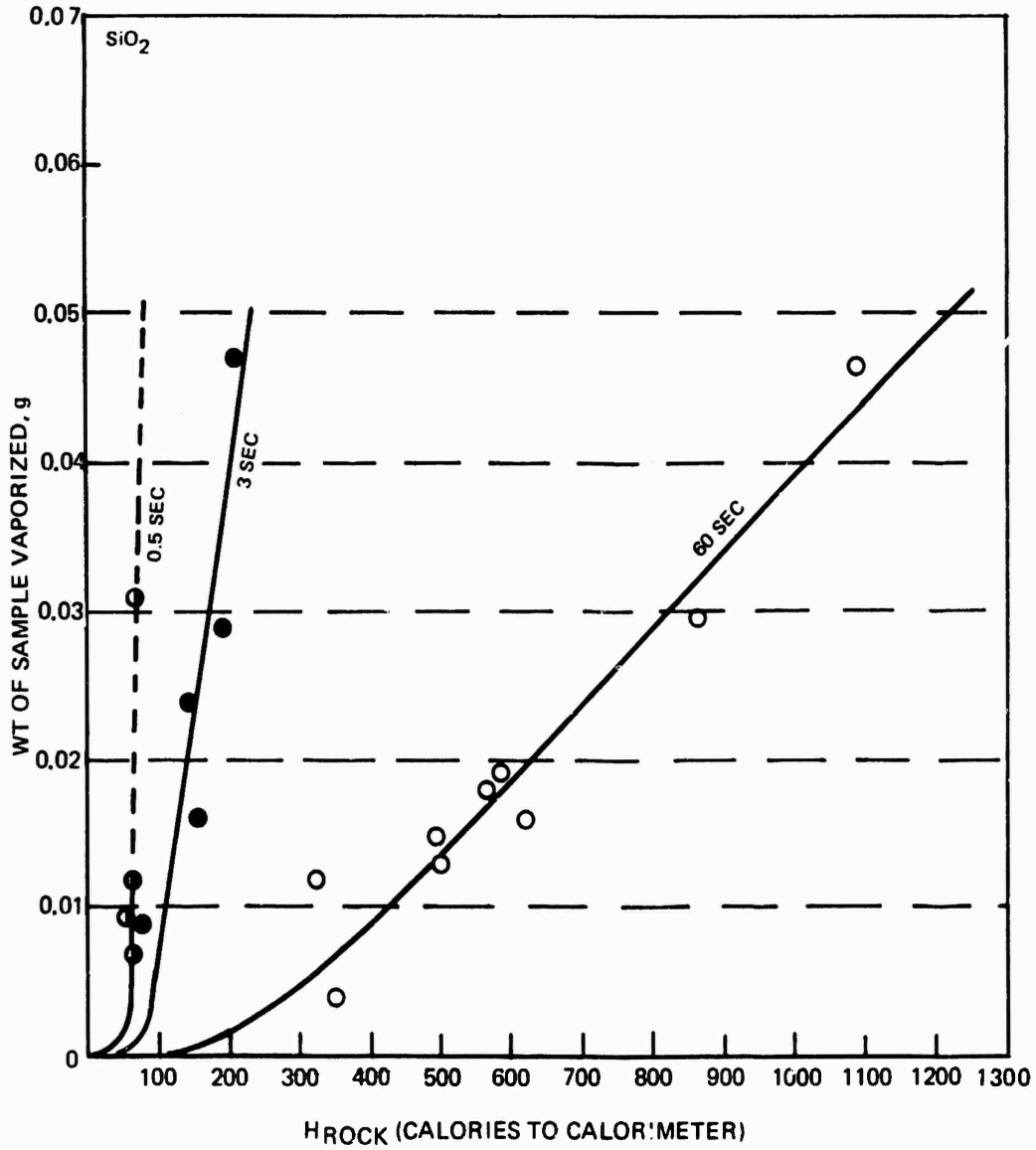
REMOVABLE ELEMENTS



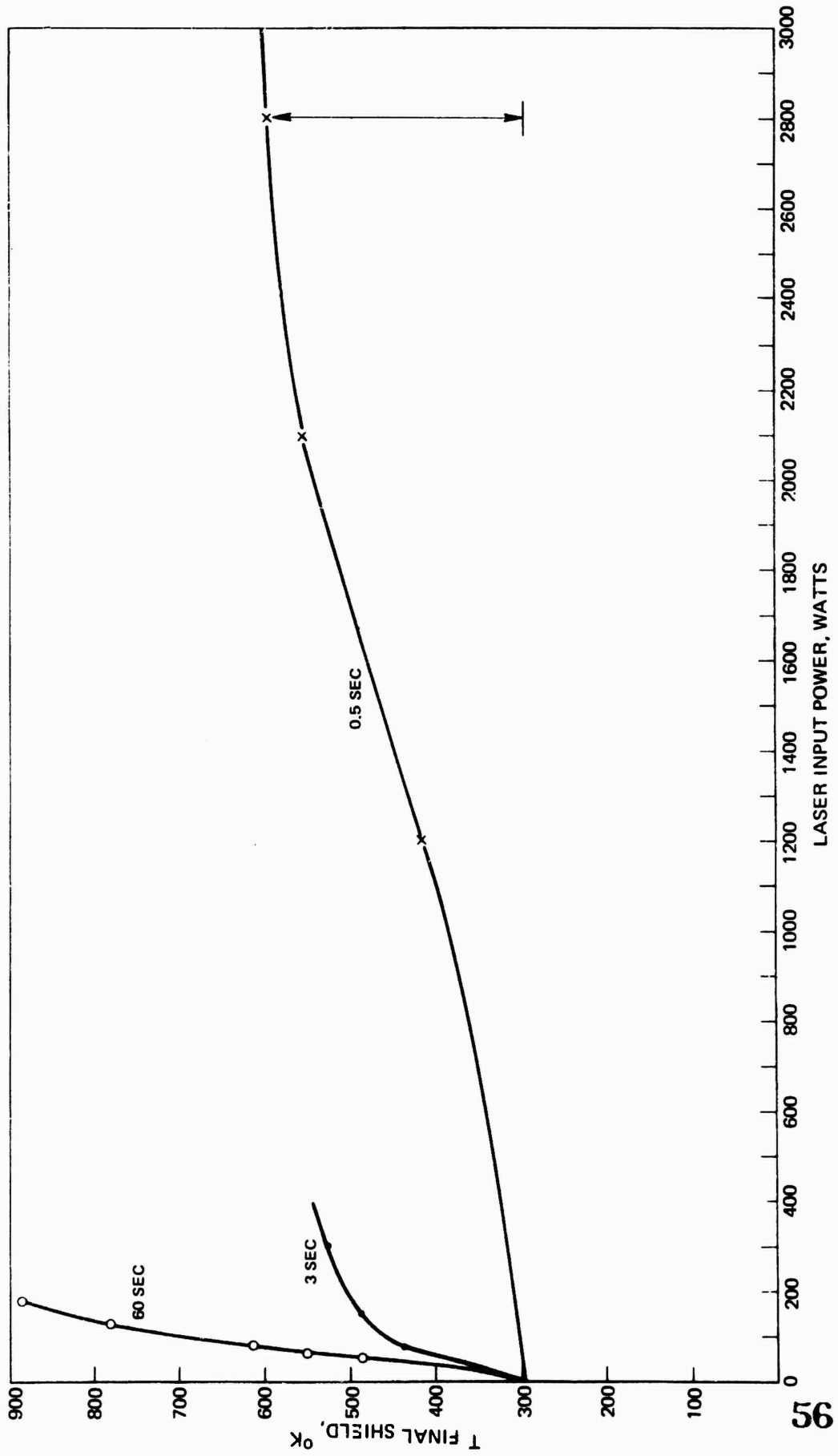
WEIGHT OF SiO<sub>2</sub> VAPORIZED VS LASER INPUT POWER AT VARIOUS RUN TIMES



### WEIGHT OF SiO<sub>2</sub> VAPORIZED VS HEAT TO CALORIMETER FOR DIFFERENT RUN TIMES



FINAL TEMPERATURE OF SHIELD VERSUS LASER INPUT POWER AT VARIOUS RUN TIMES



ESTIMATED TOTAL HEAT OF VAPORIZATION

$$H_{VT} = C_p \Delta T + H_f + H_V = \frac{H_{IN} - H_{MEASURED} - H_{LOSS}}{W_V - W_C}$$

WHERE  $C_p$  = AVERAGE SPECIFIC HEAT

$H_{IN}, H_{MEASURED}$  = GIVEN IN TABLE I

$\Delta T = T_{VUP} - T_{ROOM}$

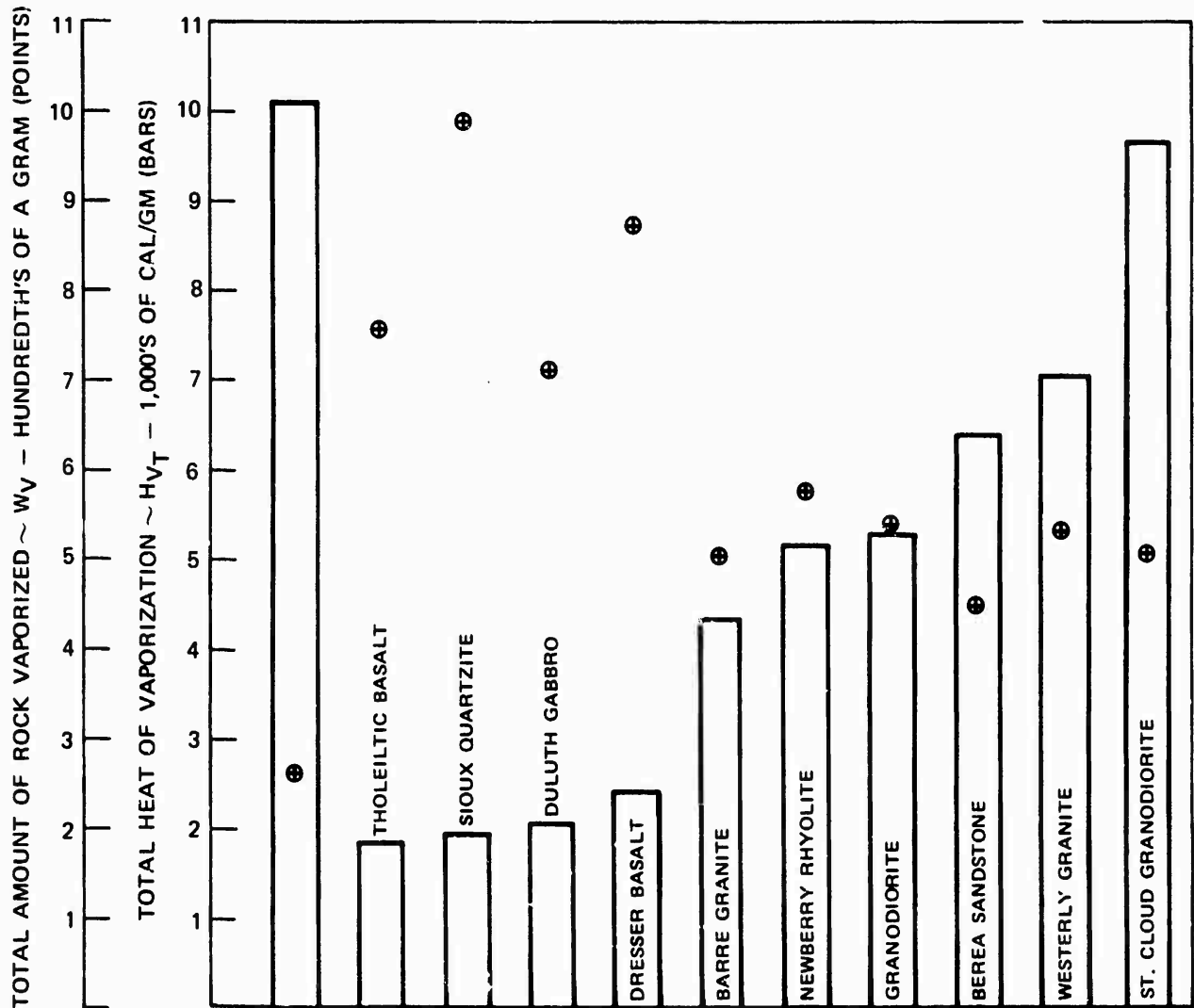
$H_{LOSS} = 0$  (ASSUMED)

$H_f$  = HEAT OF FUSION

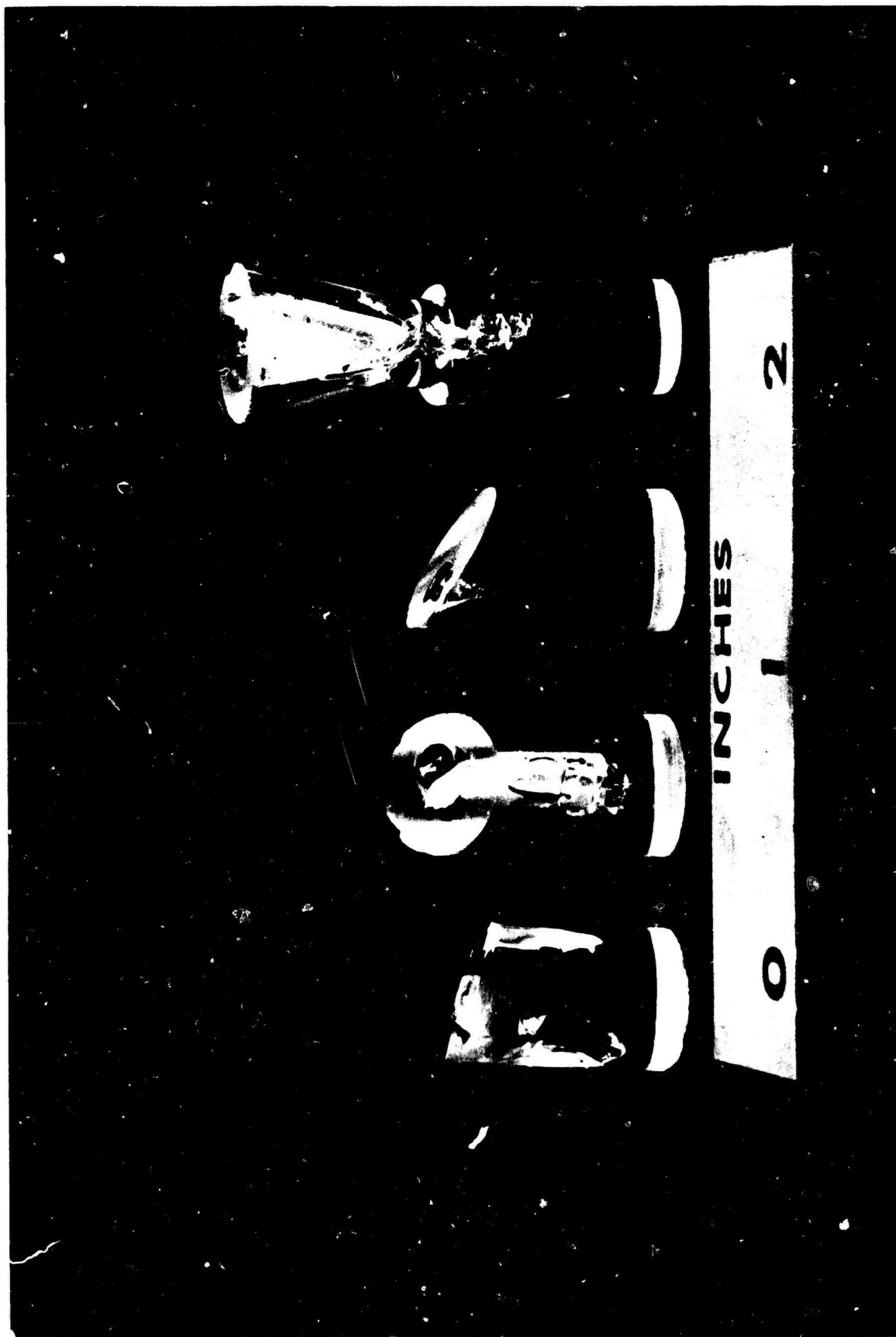
$W_V$  = WT. OF ROCK VAPORIZED

$H_V$  = HEAT OF VAPORIZATION

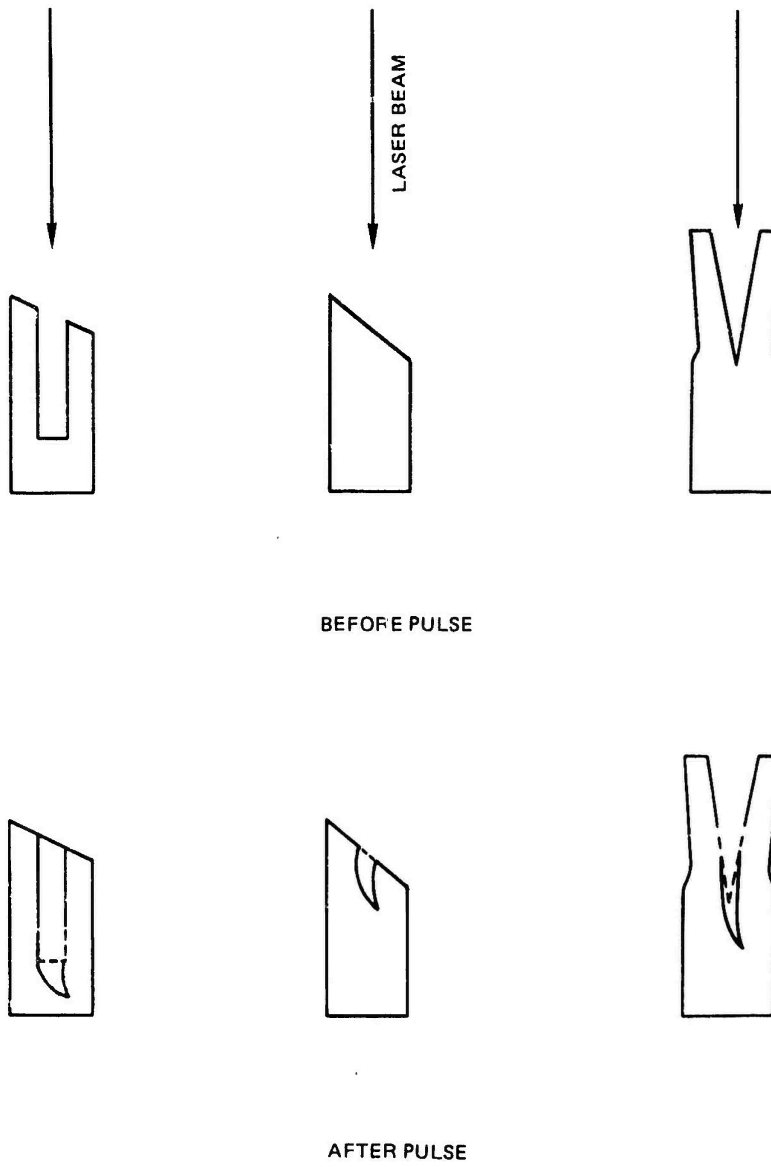
$W_C$  = WT. OF ROCK CONDENSED ON SHIELD

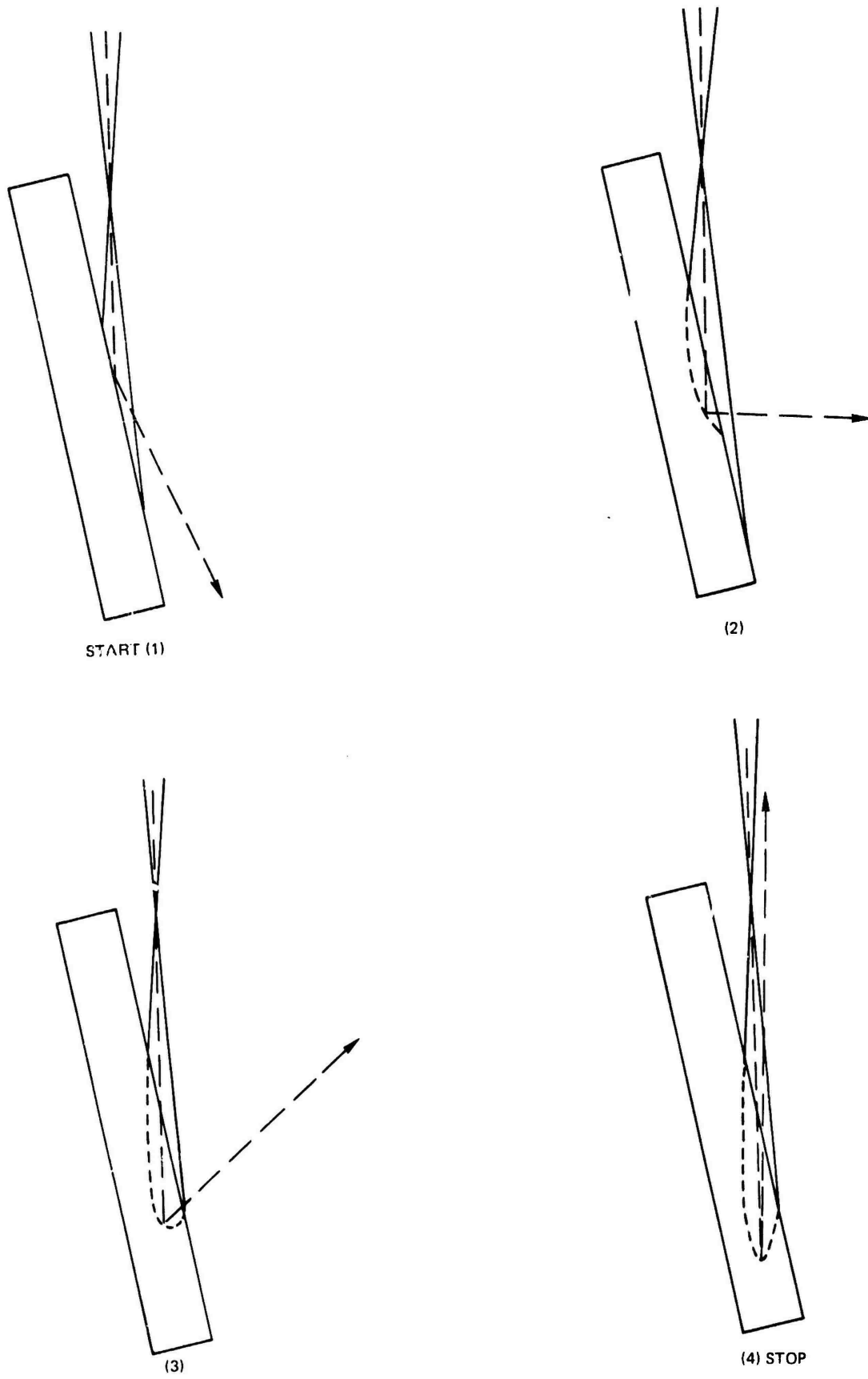


SPECIMEN SHAPES



SPECIMEN SHAPES TESTED





## REVISED APPARATUS DESIGN

