

AD-A033 691

NAVAL RESEARCH LAB WASHINGTON D C  
DIAGNOSTICS FOR INTENSE PULSED ION BEAMS.(U)  
OCT 76 F C YOUNG, J GOLDEN, C A KAPETANAKOS  
NRL-MR-3391

F/G 20/9

UNCLASSIFIED

NL

1 OF 1  
AD-A  
033691



END  
DATE  
FILMED  
2-17-77  
NTIS

U.S. DEPARTMENT OF COMMERCE  
National Technical Information Service

AD-A033 691

DIAGNOSTICS FOR INTENSE PULSED ION BEAMS

NAVAL RESEARCH LABORATORY  
WASHINGTON, D. C.

OCTOBER 1976

ADA033691

365117

NRL Memorandum Report 3391

# Diagnostics for Intense Pulsed Ion Beams

F. C. YOUNG

*Radiation Detection Group  
Radiation Technology Division*

and

J. GOLDEN AND C. A. KAPETANAKOS

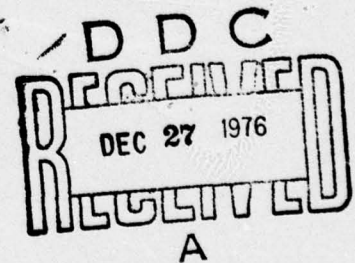
*Experimental Plasma Physics Branch  
Plasma Physics Division*

October 1976



REPRODUCED BY  
NATIONAL TECHNICAL  
INFORMATION SERVICE  
U. S. DEPARTMENT OF COMMERCE  
SPRINGFIELD, VA. 22161

NAVAL RESEARCH LABORATORY  
Washington, D.C.



Approved for public release; distribution unlimited.

SECURITY CLASSIFICATION OF THIS PAGE (When Data Entered)

REPORT DOCUMENTATION PAGE		READ INSTRUCTIONS BEFORE COMPLETING FORM
1. REPORT NUMBER NRL Memorandum Report 3391	2. GOVT ACCESSION NO.	3. RECIPIENT'S CATALOG NUMBER
4. TITLE (and Subtitle) DIAGNOSTICS FOR INTENSE PULSED ION BEAMS	5. TYPE OF REPORT & PERIOD COVERED Interim report on a continuing NRL problem.	
	6. PERFORMING ORG. REPORT NUMBER	
7. AUTHOR(s) F.C. Young, J. Golden and C.A. Kapetanakos	8. CONTRACT OR GRANT NUMBER(s)	
9. PERFORMING ORGANIZATION NAME AND ADDRESS Naval Research Laboratory Washington, D.C. 20375	10. PROGRAM ELEMENT, PROJECT, TASK AREA & WORK UNIT NUMBERS NRL Problem H02-28A	
11. CONTROLLING OFFICE NAME AND ADDRESS Office of Naval Research Arlington, Virginia 22217	12. REPORT DATE October 1976	
	13. NUMBER OF PAGES 62	
14. MONITORING AGENCY NAME & ADDRESS (if different from Controlling Office)	15. SECURITY CLASS. (of this report) UNCLASSIFIED	
	15a. DECLASSIFICATION/DOWNGRADING SCHEDULE	
16. DISTRIBUTION STATEMENT (of this Report) Approved for public release; distribution unlimited.		
17. DISTRIBUTION STATEMENT (of the abstract entered in Block 20, if different from Report)		
18. SUPPLEMENTARY NOTES		
19. KEY WORDS (Continue on reverse side if necessary and identify by block number) Plasma physics Relativistic electron beam technology Intense ion beams Plasma diagnostics		
20. ABSTRACT (Continue on reverse side if necessary and identify by block number) Diagnostic methods and techniques for intense pulsed ion beams are presented. Especially important is a detailed description of the measurement of delayed radioactivity from nuclear reactions induced in a target by the ions. This activation analysis provides the most precise, unambiguous means of determining the number of ions per pulse that is presently available. A compilation of yields and cross sections for several nuclear reactions is given. Included among the nuclear techniques is the measurement of prompt radiation such as gamma-rays and neutrons		

(Continued)

DD FORM 1 JAN 73 1473

EDITION OF 1 NOV 65 IS OBSOLETE  
S/N 0102-014-6601

i

SECURITY CLASSIFICATION OF THIS PAGE (When Data Entered)

20. Abstract (Continued)

from ion induced reactions. In addition a scintillator-photodiode detector is described which has been proven to be useful for the measurement of time-of-flight and which may be used to observe the relative pulse shape. Biased ion collectors and difficulties associated with their use are also discussed.

CONTENTS

I. INTRODUCTION ..... 1

II. NUCLEAR ACTIVATION TECHNIQUES ..... 2

III. SCINTILLATOR-PHOTODIODE DETECTOR ..... 20

IV. BIASED ION COLLECTOR (BIC) ..... 22

REFERENCES ..... 26

ACCESSION for		
NTIS	White Section	<input checked="" type="checkbox"/>
DDC	Bull Section	<input type="checkbox"/>
UNANNOUNCED		<input type="checkbox"/>
JUSTIFICATION.....		
BY.....		
DISTRIBUTION/AVAILABILITY CODES		
Dist.	AVAIL.	pub./or SPECIAL
A		

## DIAGNOSTICS FOR INTENSE PULSED ION BEAMS

### I. INTRODUCTION

Within the last two years the production of intense pulsed ion beams has advanced from beams of current density,  $J_i \sim 10 \text{ A/cm}^2$  with peak ion currents  $I_p \sim 0.5 \text{ kA}$  at 150 keV energies<sup>1</sup> to ultra-high-power ( $> 10^{11} \text{ W}$ ) beams with  $J_i > 1 \text{ kA/cm}^2$  and  $I_p > 200 \text{ kA}$ , containing more than  $4 \times 10^{16}$  ions per pulse<sup>2,3</sup> at energies of 1 MeV. This report is about the diagnostic techniques and methods used to analyze these intense ion beams.

Determination of the parameters of an intense ion beam is more difficult than for a relativistic electron beam for which a plethora of techniques has been developed. In part, this is due to the fact that intense ion beams are generally space-charge and current neutralized. These traits preclude many electrical measurements involving charge collection or the measurement of self-magnetic fields. It also makes uncertain the use of ion spectrometers.

Presently, the most unambiguous method for the determination of the identity, number and spatial distribution of light ions is by nuclear activation of a target.<sup>4</sup> Another useful tool, a scintillator monitored by a fast photodiode, can be used to measure time-of-flight and, if the particle energies are approximately known, also yields information about the pulse shape. In fact, by using masks of various thicknesses less

Note: Manuscript submitted October 6, 1976.

than a particle range, the energy can be approximately determined. In combination, these two diagnostic methods furnish information about the current of the ion pulse.<sup>4</sup>

In the following discussion, the details of these two diagnostic methods are presented. The application of Faraday cups is also described, although this technique can only be used with some degree of certainty when a transverse magnetic field is present inside the Faraday cup.

## II. NUCLEAR ACTIVATION TECHNIQUES

When a pulse of energetic ions strikes a suitable target, a small fraction of the ions induces nuclear reactions in the target. If the cross-section for a given reaction is known, then the number of incident ions in the pulse can be determined from a measurement of the decay of any radioactive reaction products or by the detection of any prompt radiation. Observation of the prompt radiation -- typically neutrons, gamma-rays, protons, or alpha particles -- is usually difficult because the signal to background ratio is very small. However, for ions of the light elements, there are a number of reactions which produce radioactive nuclei that decay with half-lives of a few minutes by emitting positrons. Coincident counting the pair of gamma-rays associated with the annihilation of the positrons offers an extremely sensitive means of detecting a relatively small number of reactions. In particular, this discussion shall concentrate on the (p, $\gamma$ ) and the (d,n) reactions with  $^{10}\text{B}$ ,  $^{12}\text{C}$  and  $^{14}\text{N}$  targets because ultra-high power, intense beams of protons and deuterons have already been produced in the laboratory. These

reactions are listed in Table I with the half-lives of the reaction products. (A cursory summary of reactions for other ions is also given below.) Because the cross-sections for these reactions are fairly well known, a relatively precise determination of the ion number/pulse can be made. Moreover, since the ions are required to have a minimum energy for the reaction to occur, this method is insensitive to low energy ions. Thus, there is no interference from low energy plasma or debris that might strike the target.

There are two complications which occur when using nuclear activation analysis of high power, high current density beams. One is interference from different ions causing reactions which produce the same radioactivity. For example, in proton beams there may be a small quantity of deuterium present in the proton source. Although the natural abundance of deuterium is  $1.5 \times 10^{-4}$ , the (d,n) reaction yields are of the order of  $10^4$  times greater than the (p, $\gamma$ ) reaction yields. To separate the contributions of the two components of the beam either different material targets must be used or the relative abundance of protons and deuterons must be known. The second complication is caused by the loss of reaction products due to heating and evaporation of the surface of the target by the intense beam. Typically, the radioactive nuclei are produced a few microns into the target. This target "blow-off" can be avoided by attenuating the ion beam with metal screens of known transmission.

## II.1 Detection Apparatus for Coincidence Counting

It is presently possible to detect as few as 100 radioactive nuclei produced by the reactions listed in Table I. To do this, standard commercial electronic instrumentation can be used to perform both pulse-height discrimination and coincidence counting so that only 0.51 MeV gamma-rays from the positron annihilation are detected. A block diagram of the apparatus is shown in Fig. 1.

After activation, the target is placed between two NaI(Tl) crystals which are coupled to photomultiplier tubes. Each pulse is amplified by a double-delay-line (DDL) amplifier which provides a bipolar pulse with a fast crossover at a precise time. Pulse height analysis is then performed by a fast timing single-channel-analyzer (SCA) which gives an output pulse only if the input pulse amplitude is between two adjustable values (pulse-height window). Also this output pulse is precisely timed relative to the fast crossover of the input pulse. The output of one SCA is delayed (typically 50 ns). The earlier SCA output then starts a time-to-amplitude converter of a time analyzer (a time-to-amplitude converter and SCA) which is then stopped by the delayed timing-SCA output. If the time interval between the start and stop commands is within a specified time window (e.g., 100 ns) then the SCA of the time analyzer is triggered to produce an output pulse which is counted by a scaler. The sample is counted for a present time.

To optimize the coincidence counting, the NaI crystals should be placed as close together as possible aligned at  $180^\circ$  to each other. This provides the maximum solid angle for intercepting gamma-ray pairs by the crystals. Because the response of the detector depends on the radial

position of the source from the cylindrical axis of the NaI(Tl) crystals, the crystals should be much larger than the activated target. (3" dia. and 5" dia. are commercially available). The thickness of the crystals should be chosen for optimum response to 0.511 MeV gamma-rays (e.g., NaI thickness 2" to 3"). The crystals and photomultipliers must be shielded from background radiation such as cosmic ray showers and other environmental radiation. A few inches of lead is generally sufficient. If the apparatus is in the neighborhood of high power pulsed high voltage generators, it is also necessary to shield the PM tubes and their preamplifier output cables from electromagnetic interference. Magnetic shielding of the PM tubes is recommended to minimize the effect of stray magnetic fields. Moreover, to prevent a drift of the amplifier gains, the electronics should be protected from temperature fluctuations.

The detection apparatus may be absolutely calibrated with a positron emitting source of known activity. For example, 90% of the decays of  $^{22}\text{Na}$  are by positron emission and 10% are by electron capture. A 1  $\mu\text{Curie}$  source is sufficient to provide about  $3 \times 10^4$  positrons/second. A typical detection efficiency is 5% yielding  $1.5 \times 10^3$  counts/sec. To set the pulse-height windows on the timing-SCA's, an oscilloscope, triggered by the output of the SCA, is used to monitor the DDL amplifier output (or if available, the DL output of the DDL amplifier). Thus that part of the pulse height spectrum which triggers the timing SCA is observed; the windows can be set on the 0.511 MeV peaks and narrowed to an appropriate width (e.g.  $\pm 50$  keV).

## II.2 Analysis

The number of radioactive nuclei  $N_0$  produced via a nuclear reaction of cross section  $\sigma$  by  $N$  particles of energy  $E$  incident on a target of thickness  $\Delta x$  with  $n$  target nuclei/cm<sup>3</sup> is given by  $N_0(E) = N\sigma(E)n\Delta x$  providing that the thickness  $\Delta x$  is sufficiently small so that  $E$  does not change appreciably as the particles transverse the target. The reaction characteristics of this expression can be consolidated into a reaction yield given by  $dY = \sigma(E)ndx$  where  $dx$  is a differential target thickness. If this yield is known and  $N_0$  is experimentally measured, the number of incident particles can be determined.

For measurements with intense pulsed beams, thick targets are used. The targets are thicker than the range of the incident particles. Therefore, the reaction yield must be integrated over the target thickness  $l$  in order to obtain the thick target yield,

$$Y(E_i) = \int_0^l \sigma(E) ndx = n \int_0^{E_i} \frac{\sigma(E)}{\left| \frac{dE}{dx} \right|} dE = \int_0^{E_i} \frac{\sigma(E)}{\epsilon(E)} dE, \quad (1)$$

where  $E_i$  is the incident energy of the ions and  $\epsilon(E) = \frac{1}{n} \left| \frac{dE}{dx} \right|$  is the stopping cross section. The stopping cross section is a slowly varying function of energy so that this expression for  $Y(E_i)$  can be evaluated by numerical integration if the cross section is known. For (d,n) reactions at low energy the cross sections are rapidly increasing with energy and numerical integrations are readily carried out. For resonance reactions, such as (p, $\gamma$ ) reactions, the resonant behavior of the cross section simplifies the evaluation of the integral in Eq. (1).

The cross section of a resonance reaction is peaked at the resonance energy  $E_R$ . The cross section in the vicinity of a resonance of width  $\Gamma$  is given by

$$\sigma(E) = \frac{\Gamma^2}{4} \frac{\sigma_R}{(E - E_R)^2 + \Gamma^2/4}, \quad (2)$$

where  $\sigma_R$  is the cross section at the peak of the resonance. For a resonance with a narrow width, Eq. (1) may be approximated by

$$Y = \frac{1}{\epsilon(E_R)} \int_0^{\infty} \sigma(E) dE = \frac{1}{\epsilon} \frac{\pi}{2} \sigma_R \Gamma, \quad (3)$$

provided the ion energy is well above the resonance energy, i.e.,  $(E_i - E_R) \gg \Gamma$ . The quantity  $Y_{\infty} = \pi \sigma_R \Gamma / 2\epsilon$  is called the "thick-target step" of a resonance. This quantity is characteristic of a particular nuclear reaction resonance and target composition. In this case the number of incident particles with energies greater than the resonance energy is given by  $N = N_0 / Y_{\infty}$

For a mixed beam of protons and deuterons, the number of radioactive nuclei induced in the "target" is given by

$$N_0 = Y_p N_p + \int Y_d(E) \frac{dN_d}{dE} dE, \quad (4)$$

where  $Y_p$  is the  $(p, \gamma)$  resonance thick-target step, and  $N_p$  is the number of protons with energy greater than the resonance energy. If the deuteron component of the beam is mono-energetic, or if the yield from the  $(d, n)$  reaction is approximately independent of energy over the energy

spread of the deuteron beam, then

$$N_o = Y_p N_p + Y_d N_d . \quad (5)$$

If the fraction of deuterons in the beam is known, (e.g., an isotopic abundance,  $N_d/N_p = 1.5 \times 10^{-4}$ ), then  $N_p$  is given by

$$N_p = N_o \left( Y_p + \frac{N_d}{N_p} Y_d \right)^{-1} . \quad (6)$$

The number of radioactive nuclei is determined by measuring the induced activity as described in Section II.1. During the time interval  $t_1$  between activation and the beginning of counting, some of the radioactive nuclei decay. The fraction of nuclei remaining after a time  $t_1$  is given by  $\exp(-t_1/\tau)$  where  $\tau$  is the lifetime. If the activity is measured for a time interval,  $\Delta t = t_2 - t_1$ , beginning at a time  $t_1$ , the fraction of nuclei present at  $t_1$  which decays during this interval is  $[1 - \exp(-\Delta t/\tau)]$ . Of these decays, the detector measures only a fraction  $\hat{\epsilon}$  given by the efficiency of the detector. Therefore the number of counts tallied is

$$k = \hat{\epsilon} e^{-t_1/\tau} \left( 1 - e^{-\Delta t/\tau} \right) N_o , \quad (7)$$

and the number of protons in the beam is given by

$$N_p = k e^{t_1/\tau} \left[ \left( 1 - e^{-\Delta t/\tau} \right) \left( Y_p + \frac{N_d}{N_p} Y_d \right) \hat{\epsilon} \right]^{-1} . \quad (8)$$

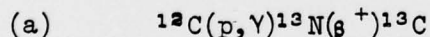
A similar equation results for deuteron beams containing a small fraction of protons. However, in this case  $N_p/N_d$  must be determined by other means, such as comparison with other reactions or theoretical

considerations. Often it is very difficult to measure a small flux of protons in the presence of a large flux of deuterons since the deuteron yield is much larger than the proton yield.

### II.3 Evaluation of Reaction Yields

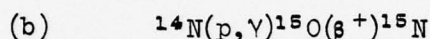
Reactions yields for thick targets may be calculated according to Eq. (1) if the cross sections are known as a function of energy. However the integration of the cross sections is not necessary for several (p, $\gamma$ ) reactions because there are experimental measurements of the thick target steps. The following sections are devoted to evaluations of the reaction yields for several different reactions.

When measurements are made on targets of different compositions, the stopping cross sections must be appropriately corrected. For targets of chemical formula  $X_a Y_b$ , the composition rule<sup>5</sup> is  $\epsilon = a \epsilon_x + b \epsilon_y$ , where  $\epsilon_x$  and  $\epsilon_y$  are the atomic-stopping-cross-sections. Some proton stopping cross sections are given in Figs. 2 & 3 from curves by Demirlioglu and Whaling.<sup>5</sup> These curves can be used for deuterons by noting that the stopping-cross-section for a deuteron of energy 2E is equal to that of a proton of energy E.

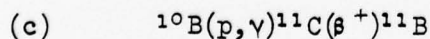


This reaction<sup>7</sup> has a resonance at 0.457 MeV with  $\Gamma = 37$  keV and a resonance at 1.698 MeV with  $\Gamma = 67$  keV. The yield of positrons from this reaction with protons of energy up to 2.5 MeV on a thick natural carbon target has been measured by Seagrave.<sup>8</sup> The thick target step of the 0.46 MeV resonance is  $(7.5 \pm 0.5) \times 10^{-10}$   $^{13}\text{N}$ /proton (measured at 1 MeV).

The step of the 1.70 MeV resonance is  $1.45 \pm 0.03$  times that of the lower resonance. A thick-target step for the 0.46 MeV resonance  $\frac{1}{3}$  smaller than the value above is deduced from the measurements of Reiss, et al.<sup>9</sup> The useful energy range of this reaction to avoid the high energy resonance is from 0.6 to 1.5 MeV as shown in Fig. 4. The only major interference reaction is  $^{12}\text{C}(d,n)^{13}\text{N}$  which is discussed in Section (d) below.

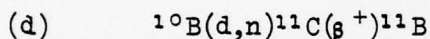


Below 2 MeV this reaction has five resonances.<sup>7</sup> The resonance energies, half-widths and thick-target yields are given in Table II. The thick target yields are calculated for resonance parameters taken from Ref. 7. For the 0.278 MeV resonance, Hebbard and Bailey<sup>10</sup> compare thick-target yields measured by a number of investigators corrected to a pure atomic nitrogen (N) target. Their measurement gives  $Y = (2.1 \pm 0.3) \times 10^{-11}$   $^{15}\text{O}/\text{proton}$  which is in good agreement with the value calculated in Table II. For a practical target such as boron nitride (BN) the yield from atomic nitrogen must be multiplied by the ratio of the stopping cross sections in nitrogen to the stopping cross section in BN, i.e.,  $\epsilon_{\text{N}}/\epsilon_{\text{BN}} \sim 0.56$ . The computed thick-target steps for each resonance for a BN target are given in Table II. Also the total yield for this reaction between any two resonances for a thick BN target is given in the right hand column of Table II.



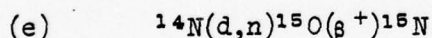
The cross section for this reaction below 2 MeV has been measured in three independent laboratories.<sup>11-13</sup> This reaction has a broad resonance

( $\Gamma = 500 \pm 50$  keV) at 1.145 MeV proton energy.<sup>14</sup> The most accurate and complete cross sections are reported by Chadwick, Alexander, and Warren<sup>13</sup> and their absolute cross section is displayed in Fig. 5. To determine the thick target yield for this reaction it is necessary to carry out the integration described in Eq. (1). If a BN target is used, the stopping cross section for BN must be evaluated and weighted by the isotopic abundance of  $^{10}\text{B}$ ,  $\xi(^{10}\text{B}) \sim 19.8\%$ . Yields computed by integrating the cross sections of Chadwick et al.<sup>13</sup> combined with stopping cross sections obtained from Ref. 5 are listed in Table III.



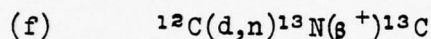
Cross sections for neutron emission from this reaction have been measured in the forward direction from 0.2 to 2 MeV by Burke et al.<sup>15</sup> and from 0.3 to 4.5 MeV by Marion et al.<sup>16</sup> These results are consistent with each other. For deuterons with energies above 1.9 MeV, the neutron cross sections may not be a good measure of positron production because the reaction can produce particle unstable levels of  $^{11}\text{C}$ . The measurements below 2 MeV can be converted to total cross sections using the angular distributions of Ref. 15 at 0.71, 1.06 and 1.43 MeV deuteron energy. Based on these distributions, conversion of the measured forward angle cross sections ( $\sigma_e$ ) of Ref. 15 to total cross sections ( $\sigma_t$ ) are estimated to be  $\sigma_t/4\pi\sigma_e = 0.55$ . The thick-target yield for this reaction with a BN target was calculated according to Eq. (1). The results are given in Fig. 6 and Table IV. Also stopping cross sections for BN are listed to facilitate converting these yields to other target materials.

The thick-target yield for this reaction on a BN target has been measured from 0.5 to 3.2 MeV by measuring the induced positron activity and cross sections have been inferred from the thick-target yields.<sup>17</sup> The yields and cross sections are in agreement with the results presented in Table IV within experimental error. However, the results of Ref. 17 were not used in the evaluation of cross sections and thick target yields for the  $^{10}\text{B}(d,n)^{11}\text{C}$  reaction because differences have been observed with similar comparisons for other reactions measured by the same investigators. In particular, cross sections for the  $^{27}\text{Al}(d,p)^{28}\text{Al}$  reaction reported by Schuster and Wohlleben<sup>18</sup> are an order of magnitude larger than cross sections measured in three independent experiments.<sup>19</sup> Also, cross sections and thick-target yields for the  $^{14}\text{N}(d,n)^{15}\text{O}$  reaction of Wohlleben and Schuster<sup>17</sup> are 2 to 3 times larger than values determined in two different experiments as described in the next section. Because these unexplained differences exist, results of Wohlleben and Schuster have not been used in evaluating cross sections and thick-target yields.



This reaction has been studied below 700 keV deuteron energy by direct measurements of the positron activity.<sup>20</sup> The reaction has an apparent threshold of 143 keV presumably because at low energy the reaction proceeds primarily through the first two excited states of  $^{15}\text{O}$  rather than the ground state. From 170 to 700 keV the thick-target yield is observed to increase by six orders of magnitude. Measurements of the neutron production at high energy indicate that the cross section continues

to rise to a value of about 20 mb at 2 MeV and then flattens off.<sup>21</sup> Because of its small cross section at low energy this reaction does not appear to be very useful for energies below 700 keV. Above 2.5 MeV deuteron energy, neutron cross sections may not be a good measure of positron production because the reaction can lead to proton unstable levels of excitation in  $^{15}\text{O}$ . The thick-target yield for this reaction with a BN target calculated from the measurements of Refs. 20 and 21 are given in Table V and plotted in Fig. 7.



This reaction has a threshold at 328 keV deuteron energy and the cross section for the production of  $^{13}\text{N}$  positron activity has been measured from just above threshold to 1.85 MeV.<sup>22,23</sup> From 2.0 to 5.0 MeV precise measurements of the total cross sections and thick-target yields have been reported by Jaszczak et al.<sup>24</sup> The uncertainty of the latter measurements, which are based on the number of neutrons observed by a  $4\pi$ -detector is estimated to be  $\pm 3\%$ . Above 3.0 MeV neutron cross sections may not be a good measure of positron production because the reaction can lead to proton unstable levels in  $^{13}\text{N}$ . The cross sections below 2 MeV have been used to calculate the shape of the thick-target yield which is listed as "Relative Yield" in Table VI. The  $90^\circ$  cross sections of Ref. 25 from 1.8 to 2.4 MeV have been normalized to these cross sections in order to extend this relative thick-target yield above 2 MeV. Then this yield is normalized to the precision measurements of Ref. 24 to give the "Absolute Yield" in Table VI and the thick-target yield in Fig. 8.

#### II.4 Proton and Deuteron Beams on BN Targets and Carbon Targets

When a proton or deuteron beam strikes a BN target, both  $^{15}\text{O}$  and  $^{11}\text{C}$  may be produced. In order to unscramble these two radioactive products, the decay is monitored as a function of time. Since  $^{15}\text{O}$  decays an order of magnitude faster than  $^{11}\text{C}$ , the long time activity of the target is due mainly to  $^{11}\text{C}$ . The contribution of  $^{15}\text{O}$  can be determined by fitting the activity as a function of time to a decay curve with a slope corresponding to the lifetime of  $^{11}\text{C}$  for times greater than a few lifetimes of  $^{15}\text{O}$ . The  $^{11}\text{C}$  is then subtracted from the total activity. An example is shown in Fig. 9 taken from Golden and Kapetanakos.<sup>26</sup>

Due to the isotopic abundance of deuterium, proton beams extracted from a plasma produced from hydrogenic materials always contain a small component of deuterons. For an accurate determination of the number of protons per pulse, it is necessary to correct the activity of the target for the contribution from deuteron induced reactions. It has been shown (Section II.2) that the number of counts due to a given reaction is proportional to  $\left[ Y_p + \frac{N_d}{N_p} Y_d \right]$ , where  $N_d/N_p$  is the ratio of the number of deuterons to protons per pulse. The deuteron correction is made assuming that in an ion source operating in the space-charge limited regime, the current density of the various singly-ionized species is proportional to their relative abundance divided by the square-root of their mass. Specifically, if a proton beam is extracted from a hydrogenic material in which the isotopic abundance of deuterium is  $\xi(\text{D})$ , the ratio of deuteron current density to that of protons is  $J_d/J_p \sim \xi(\text{D})/\sqrt{2}$ . Therefore,

the deuteron correction is made by calculating the energy dependent factor, F, defined as

$$F = Y_p \left[ Y_p + \frac{\xi(D)}{\sqrt{2}} Y_d \right]^{-1}. \quad (9)$$

Equation (8) then becomes

$$N_p = k e^{t_1/\tau} \left[ \left( 1 - e^{-\Delta t/\tau} \right) \frac{1}{\xi} Y_p \right]^{-1} F. \quad (10)$$

The factor, F, is plotted in Figs. 10-12 for BN and graphite targets.

### II.5 "Blow-Off"

The loss of radioactive nuclei from the target prior to counting is called "blow-off". Apparently this is not due to diffusion out of the target in the course of a few seconds<sup>2</sup> but rather is the result of intense heating of the target surface on a short time scale.

As an example of the importance of the correction, consider a carbon target for a 60 ns duration, 1 kA/cm<sup>2</sup> pulse of 900 keV protons. The power input per unit area is  $9 \times 10^{12}$  W/m<sup>2</sup>, corresponding to an energy dose of  $5.4 \times 10^5$  J/m<sup>2</sup>. The energy deposition depth, for normal incidence is equal to the proton range, i.e.,  $\sim 11$   $\mu$ m. Most of the activation, however, occurs in the first 6.6  $\mu$ m from the surface. Because thermal conduction times are microseconds and shock speeds are a few  $10^3$  m/s, almost all of the energy deposited near the surface remains during the lifetime of the pulse. Since carbon has a heat capacity,  $C_p \sim 20$  J/mole °K, and sublimation<sup>27</sup> takes place at 3350°K with a heat of sublimation,  $\Delta H_s \sim 7.12 \times 10^5$  J/mole,  $1.1 \times 10^5$  J/m<sup>2</sup> are required to raise an 11  $\mu$ m surface layer to the sublimation temperature.\* This

leaves  $\sim 4.3 \times 10^5 \text{ J/m}^2$ , enough to remove a  $3.6 \mu\text{m}$  thick layer, over one-half of the activation depth. Therefore, it might be expected that a large fraction of the reaction products can be lost from the target.

However, the "blow-off" does not appear to be a limitation to the usefulness of the activation technique because it can easily be avoided by attenuating the ion beam using metal screens of known transmission. In fact, if the beam is sufficiently uniform or reproducible, comparison of target-activations with and without attenuating screens provides a method for the determination of the importance of "blow off".<sup>2</sup>

## II.6 Ion Diagnostics by Neutron Production

Ion intensities can be determined by measuring neutrons produced by nuclear reactions induced by an intense pulse of ions. A variety of reactions that have been used in this way are listed in Table VII. Usually a thick sample of the target material is placed in vacuum and irradiated by the ion pulse. Neutrons are then detected outside the vacuum system with a neutron activation detector.<sup>37</sup> Since many of these reactions also produce short-lived activations, measurements of both the neutron output and the delayed activity can provide a consistency check on ion intensity determinations.

The  $\text{D(d,n)}^3\text{He}$  reaction is of particular interest because it is useful at ion energies below 1 MeV and has been used by many investigators. Cross sections for the  $\text{D(d,n)}^3\text{He}$  and  $\text{D(d,p)}\text{T}$  reactions have been measured by a number of investigators<sup>28,38,39</sup> and are shown in Fig. 13. The thick-target yield of the  $\text{D(d,n)}^3\text{He}$  reaction is given in Fig. 14 for

---

\* Within one range of the surface there are  $1.8 \text{ moles/m}^2$ .

a  $CD_2$  target; the atomic stopping cross sections were obtained from Ref. 5.

Although this neutron yield technique is experimentally simple, it is considerably less accurate and reliable than the activation technique. The ion energies must be known accurately because the neutron reaction cross sections are energy dependent. Also cross sections for some of the reactions in Table VII are only poorly known. Accurate calibration of a neutron detector is difficult because the calibration depends on the neutron energy and should be made in situ on the plasma device.<sup>37</sup> Furthermore, since the neutron reaction cross sections may vary with the direction of emission of the neutrons, corrections for the neutron detector geometry may be necessary. Finally, ions from the plasma device may bombard material other than the target of interest and produce neutrons from unexpected reactions.

#### II.7 Ions With Energies Above 1.5 MeV

Above 1.5 MeV, a variety of nuclear reactions can be used for ion diagnostics. The (p,n) reactions are attractive because the reactions usually have a threshold energy in the range of a few MeV. In Table VIII are listed examples of such reactions leading to relatively short-lived reaction products which emit gamma-rays. Cross sections for these reactions have been measured and the sources are listed in the table. These reactions have the disadvantage that just above threshold the reaction yield is rapidly increasing with energy so that it is rather difficult to deduce ion intensities without knowing the ion energy distribution.

For deuterons of several MeV energy, there are several (d,p) and

(d,n) reactions which result in delayed gamma-ray activity. These reactions usually do not have a threshold energy, but the reaction is inhibited at low energy due to the Coulomb barrier. Examples of such reactions are listed in Table IX with the associated gamma-ray and half-life. Targets for the reactions in Table IX are readily available in nearly single isotopic composition thereby greatly reducing the possibility of interferences from competing reactions. Unfortunately cross sections and thick-target yields for these reactions leading to the desired delayed gamma-ray activities have not been measured extensively. Limited measurements have been used to calculate thick-target yields for these reactions on carbon and aluminum.<sup>19</sup> Simultaneous measurements with the reactions on carbon and aluminum have been used to determine mean deuteron energies. Thick-target yields for the  $^{12}\text{C}(d,n)^{13}\text{N}$  and  $^{27}\text{Al}(d,p)^{28}\text{Al}$  reactions and the ratio of  $^{13}\text{N}$  to  $^{28}\text{Al}$  are shown in Fig. 15 as given by Young and Friedman.<sup>19</sup>

Ions with energies in the 10 to 100 MeV range can be diagnosed using (p,xn) or (α,xn) reactions, where x = 1, 2, 3, . . . . These reactions can provide information on the ion intensity and energy distribution simultaneously. A good example of this kind is the  $^{197}\text{Au}(\alpha,xn)^{201-x}\text{Tl}$  reactions to diagnose 20 to 70 MeV α-particles. Cross sections for these reactions,<sup>41</sup> as given in Fig. 16, are quite large (~ 1 barn), and the single isotopic Au target eliminates interferences from competing reactions. Each of these reactions produces a radioactive Tl nucleus which is a delayed gamma-emitter. The half-life, gamma-ray energy and branching ratio are listed in Table X. The gamma-ray intensities resulting from different (α,xn) reactions induced in a

thick Au target can be measured simultaneously with a high resolution Ge-spectrometer of known absolute efficiency. Then  $\alpha$ -particle intensities are determined using the cross sections and decay properties. Since the cross section for each  $(\alpha, xn)$  reaction provides a window into the  $\alpha$ -particle energy spectrum (see Fig. 16), thick-target yields for each reaction can be unfolded to determine the energy spectrum. It is estimated that measurements can be made on a source of only  $\sim 10^8$   $\alpha$ -particles by counting with a high efficiency ( $\sim 1\%$  at 0.5 MeV) Ge-spectrometer.

## II.8 Detection of Prompt Gamma-Rays From the $(p, \gamma)$ Reactions

The lack of time resolution is an important limitation of the nuclear activation technique, i.e., the number of ions per pulse is determined rather than the current. A possible means of measuring the proton current is by monitoring the flux of gamma-rays which is emitted from the  $(p, \gamma)$  reactions. Because such a measurement is done on the time scale of the beam pulse duration, it is expected that errors resulting from "blow-off" will not be significant.

As stated in the beginning of Sect. II, observation of these prompt gamma-rays is extremely difficult because of the copious burst of x-rays from high energy electron bremsstrahlung produced in the ion source (reflex triode, pinched e-beam diode, etc.) This x-ray flux is generally many orders of magnitude more powerful than that of gamma-rays from reactions in the target. For example, a 0.1 MA, 1 MeV proton beam on a carbon target produces  $4.7 \times 10^{14}$  gamma-rays per second with 2.4 MeV

energy corresponding to a power of only 180 W. Fortunately, discrimination between target gamma-rays and bremsstrahlung may be possible by spatial collimation and by gating the gamma-ray detector. The use of collimation alone is probably inadequate to eliminate the interference by x-rays because even the small fraction of photons that scatter is sufficient to obscure the target gamma-rays. However, by placing the target far enough downstream so that time-of-flight is greater than the duration of the bremsstrahlung pulse, the target gamma-rays may be observable without interference. Furthermore, gating techniques<sup>42</sup> are available so that a detector consisting of a fast photo-diode or photomultiplier tube can be switched-on before the ion beam reaches the target so that saturation of the detector by the x-rays is avoided. Experiments to demonstrate this diagnostic technique are presently underway.

### III. SCINTILLATOR-PHOTODIODE DETECTOR

A useful tool for measurement of time-of-flight is a detector consisting of a thin scintillator (such as NE 102 or Pilot B) monitored by a fast photodiode. A schematic of such a device is shown in Fig. 17. In order to shield the scintillator from extraneous light, the scintillator face is coated with a vapor deposited layer of aluminum 0.2 - 1.5  $\mu\text{m}$  thick. Typically, for current densities greater than a few hundred  $\text{A}/\text{cm}^2$ , screens must be used to attenuate the beam and prevent the aluminum from being blown off the scintillator.

To minimize the interference of gamma-rays, the scintillator is optically coupled to the photodiode by a long light-pipe consisting of an

acrylic rod encased in an electrically grounded stainless steel tube. Thin lead sheet is wrapped around the tube to reduce any scintillation in the acrylic light-pipe. Silicone grease is used to improve the coupling at the ends of the light-pipe. The aluminized surface of the scintillator is connected to the grounded stainless steel tube to prevent electrostatic charging. The tube is mounted in a sliding-seal feed-through so that the scintillator may be placed at various axial positions within the vacuum chamber.

From the time-of-flight measured at two axial positions, the particle velocity can be determined. For monoenergetic ions, the ratio  $q/m$  can readily be obtained from the measured velocity and the known value of the accelerating potential applied to the anode.

The energy distribution of the ions may be approximately determined by using filters a fraction of a range thick in front of the scintillator. This measurement requires many different thickness filters for any accuracy. Moreover, the response of the scintillator as a function of ion energy must be taken into account. For example, the response<sup>43</sup> of Pilot B and NE-102 scintillators is proportional to  $E^{1.6}$  as shown in Fig. 18.

It is frequently convenient to use filters made of materials such as plastic polymers for which the ion range-energy curve is not readily available. The difficulty can be overcome by using the Bragg-Kleeman rule to compute the range,  $R$ , as follows,

$$\frac{R}{R_0} = \frac{\rho_0}{\rho} \left[ \frac{A_{\text{eff}}}{A_0} \right]^{\frac{1}{2}}, \quad (11)$$

where

$$\sqrt{A_{\text{eff}}} = \frac{\sum_s n_s A_s}{\sum_s n_s \sqrt{A_s}}.$$

In these equations,  $R_0$ ,  $A_0$  and  $\rho_0$  are the range, atomic mass and the density of a material with known range and  $A_s$  and  $n_s$  are the atomic weight and mole-fraction of the  $s^{\text{th}}$  component of the mixture with density  $\rho$ . Table XI lists the ratios of the range of protons in a number of common polymers to that in aluminum obtained using the Bragg-Kleeman rule. Figure 19 shows the range-energy curves for protons in aluminum, carbon ( $\rho = 2.0 \text{ gm/cm}^3$ ), polyethylene, and polyester (Mylar).<sup>44</sup>

The relative contribution of ions, electrons, and protons can be found by using filters in front of the scintillator. Relevant data on x-ray absorption coefficients and electron ranges in various materials can be found in the references.<sup>45,46</sup>

If the energy spread of the beam is small enough so that the scintillator response energy dependence does not have to be considered, then the scintillator-photodiode yields a signal proportional to the ion flux. In this case, the ion current pulse can be determined from this signal and the total number of ions per pulse measured by nuclear activation or some other technique. This technique has been successfully employed in a number of experiments at the U.S. Naval Research Laboratory.<sup>3-4,47</sup>

#### IV. BIASED ION COLLECTOR (BIC)

Charge collectors or Faraday cups have been used very successfully during the last few years to measure the current of intense, pulsed relativistic electron beams. Secondary electron currents are conveniently

suppressed by the negative space charge that is developed by the electrons in front of the collecting surface.

Determination of the current of intense ion beams by charge collectors is considerably more complicated than for relativistic electron beams. As stated previously, the main reason is that ion beams are space charge and current neutralized. The negative voltage required to repel the low energy electrons that accompany an ion beam also removes the secondary electrons from the surface of the collector resulting in an overestimation of the ion current. The error in measuring the current may be significant because of the large secondary electron emission. The secondary electron emission coefficient for protons of 0.01 to 1 MeV energy is typically greater than unity at normal incidence and increases as  $\sec\theta$ , where  $\theta$  is the angle measured with respect to the normal, for protons impacting on a polycrystalline target.<sup>48</sup> In general, only a fraction of these secondary electrons contributes to the ion current if their only path to ground is through the incoming beam. If the applied bias potential is large enough to repel all the primary electrons near the aperture (see Fig. 20.), neutralization of the beam in the gap between the collecting-surface and the aperture is accomplished by the secondary electrons. This requires a secondary electron flux that is about equal to the ion flux, resulting in an overestimation of the ion current by a factor of two. The error may be even higher because of the contribution of ions from a plasma sheath at the aperture.

At rather low ion current density, secondary electrons can be easily suppressed by applying a magnetic field parallel to the collecting surface.<sup>47,49</sup> It has been demonstrated experimentally<sup>47</sup> that these

collectors (BIC - MES = Biased Ion Collectors with Magnetic Electron Suppression) are very reliable diagnostic tools for low current ion beams. It is very doubtful that BIC - MES devices are as reliable for measuring the ion current of recently developed very intense beams because of the space charge effects. It should be pointed out that the radial space charge electric field of a  $10^{13}$   $\text{cm}^{-3}$  density ion beam at a radial distance of 1 mm is about  $10^6$  V/cm.

A typical Biased-Ion-Collector<sup>47,50</sup> is shown in Fig. 20. It consists of the collecting surface that is connected to the bias circuit, and a grounded electrostatic shield. The incoming beam enters through a small hole (aperture) in the front plate. The size of the aperture must be small in order for the induced signal to be very small in comparison with the applied potential. The side walls at the collecting surface are necessary, in particular when the device is used in the presence of an axial magnetic field. These side walls prevent the large gyroradius ions from striking the walls of the electrostatic shield and the insulator, thereby forming plasma that provides a path from the collecting surface to ground. This phenomenon has been observed repeatedly in the laboratory and it is manifested by output waveforms that last considerably longer than the ion pulse.

Thus, although the Biased-Ion-Collectors are simple and convenient devices for measuring ion-current densities, their results should be evaluated with extreme care. For absolute measurements, calibration (by comparison with an absolute measurement by a different technique) is necessary for the energy range and current density of interest. In general, these devices are more useful for relative than for absolute

measurements (e.g., to determine the radial profile), because even in the absence of all other drawbacks they are unable to discriminate between various ion species.

#### REFERENCES

1. S. Humphries, Jr., J.J. Lee and R.N. Sudan Appl. Phys. Lett., 25 (1974) 20.
2. J. Golden, C.A. Kapetanacos, S.J. Marsh, and S. Stephanacos, submitted to Phys. Rev. Lett.
3. S. Stephanakis, D. Mosher, et al., submitted to Phys. Rev. Lett.
4. J. Golden, F.C. Young and C. A. Kapetanacos, Bull. Am. Phys. Soc., 20 (1975) 583; J. Golden, C.A. Kapetanacos and S.A. Goldstein, Proc. 7th European Conf. on Controlled Fusion and Plasma Physics, Lausanne, Switz., (1975) 91; J. Golden, C.A. Kapetanacos, R. Lee and S.A. Goldstein, Proc. of the Int. Topical Conf. on Electron Beam Res. and Technology, Albq., N.M., Vol. I (1975) 635; C. A. Kapetanacos, J. Golden, W. M. Black, Phys. Rev. Lett. 37, 1236 (1976); and F. C. Young, Bull. Am. Phys. Soc. 20 (1975) 1294.
5. D. Demirlioglu and W. Whaling, Cal. Inst. Tech. (1962) Unpublished; W. Whaling, Handbuch der Physik, 34 (1958) 195.
6. J.B. Marion and F.C. Young, Nuclear Reaction Analysis, North Holland Pub. Co., Amsterdam (1968) 12.
7. F. Ajzenberg-Selove, Nucl. Phys. A152 (1970) 1.
8. J.D. Seagrave, Phys. Rev. 84 (1951) 1219.
9. F. Riess, P. Paul, J.B. Thomas and S.S. Hanna, Phys. Rev. 176 (1968) 1140.
10. D.F. Hebbard and G.M. Bailey, Nucl. Phys. 49 (1963) 666.

11. R.B. Day and T. Huss, Phys. Rev. 95 (1954) 1003.
12. G.B. Chadwick et al., Can. J. Phys. 34, (1956) 381.
13. S.E. Hunt, R.A. Pope and W.W. Evans, Phys. Rev. 106 (1957) 1012.
14. F. Ajzenberg-Selove, Nucl. Phys. A248 (1975) 1.
15. W.H. Burke, J.R. Risser and G.C. Phillips, Phys. Rev. 93 (1954) 188.
16. J.B. Marion, T.W. Bonner and C.F. Cook, Phys. Rev. 100 (1955) 847.
17. K. Wohlleben and E. Schuster, Radiochimica Acta 12 (1969) 75.
18. E. Schuster and K. Wohlleben, Intn. J. Appl. Rad. Isotopes 19 (1968) 471.
19. F.C. Young and M. Friedman, J. Appl. Phys. 46 (1975) 2001.
20. J. Csikai and G. Pöto, Phys. Lett. 4 (1963) 252.
21. T. Retz-Schmidt and J. Weil, Phys. Rev. 119 (1960) 1079.
22. T.W. Bonner, J.E. Evans and J.E. Hill, Phys. Rev. 75 (1949) 1398.
23. T.W. Bonner, J.E. Evans, J.C. Harris and G.C. Phillips, Phys. Rev. 75 (1949) 1401.
24. R.J. Jaszczak, R.L. Macklin and J.H. Gibbons, Phys. Rev. 181 (1969) 1428.
25. C.L. Bailey, G. Freier and J.H. Williams, Phys. Rev. 73 (1948) 274.
26. J. Golden and C.A. Kapetanacos, Appl. Phys. Letts. 28 (1976) 3.
27. W.M. Latimer and J.H. Hildebrand, Eds., Reference Book of Inorganic Chemistry, Macmillian Co., NY (1964).
28. A.S. Ganeev et al., in Nuclear Reactions in Light Nuclei, Suppl 5 of Atomnaya Energiya, Moscow (1957) 21.
29. A. Hanson et al. Rev. Mod. Phys. 21 (1949) 635.
30. J.H. Gibbons and R.L. Macklin, Phys. Rev. 114 (1959) 571.

31. J.H. Gibbons and R.L. Macklin, Phys. Rev. 137 (1965) B1508.
32. G.J.F. Legge and I.F. Bubb, Nucl. Phys. 26 (1961) 616.
33. W. Gruhle, W. Schmidt and W. Burgmer, Nucl. Phys. A186 (1972) 257.
34. J. Wing and J.R. Huizenga, Phys. Rev. 128 (1962) 280.
35. J.D. Kington et al., Phys. Rev. 99 (1955) 1393.
36. C.H. Johnson et al., Phys. Rev. 109 (1958) 1243.
37. F.C. Young and S.J. Stephanakis, Memo Report 3104, Naval Research Laboratory, Aug. 1975.
38. R.B. Theus, W.I. McGarry and L.A. Beach, Nucl. Phys. 80 (1966) 273.
39. N. Ying et al., Nucl. Phys. A206 (1973) 481.
40. H.M. Kuan and J.R. Risser, Nucl. Phys. 51 (1964) 518.
41. F.M. Lanzafame and M. Blann, Nucl. Phys. A142 (1970) 545.
42. J.J. Ramirez and L.W. Kruse, Rev. Sci. Inst. 47 (1976) 832.
43. D.L. Smith et al., Nuc. Inst. and Meth. 64 (1968) 157.
44. L.C. Northcliffe and R.F. Schilling, Nucl. Data Tables A7 (1970) 233.
45. W.J. Veigele et al., Report DNA-2433F, Vol. 1, Kaman Sciences Corporation, Colorado Springs, Colorado (1971)
46. M.J. Berger and S.M. Seltzer, Report NASASP3012, NASA, Washington, D.C., (1964).
47. C.A. Kapetanacos, J. Golden and F.C. Young, Nucl. Fusion 16 (1976) 151.
48. G. Carter and J.S. Colligon, Ion Bombardment of Solids, American Elsevier Pub. Co. (1968) 67.
49. S. Humphries et al., J. Appl. Phys. 47 (1976) 2382.
50. C. Eichenberger et al., Report 188, LPS, Cornell Univ. (1976).

TABLE I. Proton and Deuteron Induced  
Reactions Producing Useful Positron Activity

Beam	Target	Reaction	Product Half- Life	Useful Energy Range
Protons	$^{10}\text{B}$	$^{10}\text{B}(p,\gamma)^{11}\text{C}(\beta^+)^{11}\text{B}$	20.4 m	$E_p = 1.145 \text{ MeV}$ (resonance)
	$^{12}\text{C}$	$^{12}\text{C}(p,\gamma)^{13}\text{N}(\beta^+)^{13}\text{C}$	9.96 m	$E_p = 457 \text{ keV}$ (resonance)
		$^{14}\text{N}$	$^{14}\text{N}(p,\gamma)^{15}\text{O}(\beta^+)^{15}\text{N}$	122 sec
Deuterons	$^{10}\text{B}$	$^{10}\text{B}(d,n)^{11}\text{C}(\beta^+)^{11}\text{B}$	20.4 m	$E_d > 277 \text{ keV}$ (resonance)
	$^{12}\text{C}$	$^{12}\text{C}(d,n)^{13}\text{N}(\beta^+)^{13}\text{C}$	9.96 m	$E_d > 1.06 \text{ MeV}$ (resonance)
	$^{14}\text{N}$	$^{14}\text{N}(d,n)^{15}\text{O}(\beta^+)^{15}\text{N}$	122 sec	$E_d > 700 \text{ keV}$

TABLE II. Resonances and Thick Target

Yields for the  $^{14}\text{N}(p,\gamma)^{15}\text{O}$  Reaction

$E_r$ (MeV)	$\Gamma_{\text{Lab}}$ (keV)	$Y_{\infty}$ (N) ( $^{15}\text{O}/10^{10}$ protons)	$Y_{\infty}$ (BN) ( $^{15}\text{O}/10^{11}$ protons)	Total $Y_{\infty}$ (BN) ( $^{15}\text{O}/10^{11}$ protons)
0.278	$1.5 \pm 0.5$	0.205	1.15	1.15
1.062	$3.9 \pm 0.7$	8.56	47.9	49.1
1.55	34	1.27	7.11	56.2
1.742	$4 \pm 1$	1.62	9.07	65.2
1.806	$4.2 \pm 0.4$	3.91	2.19	67.4

TABLE III. The Yield of  $^{10}\text{B}(p,\gamma)^{11}\text{C}$  for a Thick BN Target

E (MeV)	$\sigma(E)$ ( $\mu\text{b}$ )	$\epsilon(\text{BN})$ ( $10^{-18} \text{ eV}\cdot\text{cm}^2$ )	$Y_p$ ( $^{11}\text{C}/10^{11}$ protons)
0.4	0.2	16.7	0.0225
0.6	0.65	12.9	0.139
0.8	1.65	10.6	0.525
1.0	2.80	9.2	1.39
1.14	3.50	8.4	2.29
1.2	3.30	8.07	2.81
1.4	2.1	7.33	4.11
1.6	1.2	6.69	4.99
1.8	1.0	6.15	5.63

TABLE IV. Yield of the  $^{10}\text{B}(d,n)^{11}\text{C}$  Reaction for a Thick BN Target

E (MeV)	$\sigma$ (mb)	$\epsilon(\text{BN})$ ( $10^{-15}\text{eVcm}^2$ )	$Y_d(^{11}\text{C}/\text{deuteron})$
0.3	3.5	28.2	$1.2 \times 10^{-9}$
0.4	7.7	25.0	$5.45 \times 10^{-9}$
0.5	18.8	22.1	$1.68 \times 10^{-8}$
0.6	36.1	19.9	$4.30 \times 10^{-8}$
0.7	61.4	18.2	$9.38 \times 10^{-8}$
0.8	87.5	16.7	$1.78 \times 10^{-7}$
0.9	113	15.5	$3.01 \times 10^{-7}$
1.0	128	14.4	$4.60 \times 10^{-7}$
1.1	145	13.6	$6.51 \times 10^{-7}$
1.2	161	12.8	$8.79 \times 10^{-7}$
1.3	179	12.3	$1.14 \times 10^{-6}$
1.4	197	11.6	$1.33 \times 10^{-6}$
1.5	218	11.1	$1.69 \times 10^{-6}$
1.6	237	10.6	$2.10 \times 10^{-6}$
1.7	255	10.2	$2.57 \times 10^{-6}$
1.8	276	9.8	$3.09 \times 10^{-6}$

TABLE V. Yield of the  $^{14}\text{N}(\text{d},\text{n})^{15}\text{O}$  Reaction for a Thick BN Target

E(MeV)	$Y_d(^{15}\text{O}/10^7 \text{ deuterons})$
0.5	0.0016
0.6	0.014
0.7	0.12
0.8	0.25
0.9	0.57
1.0	1.04
1.1	1.67
1.2	2.5
1.3	3.4
1.4	4.6
1.5	5.9
1.6	7.4
1.7	9.0
1.8	10.7
1.9	12.5

TABLE VI. Thick Target Yield of the  
 $^{13}\text{C}(d,n)^{13}\text{N}$  Reaction on a Carbon Target

E (MeV)	$\sigma$ (barns)	$\epsilon$ ( $10^{-15}\text{eV}\cdot\text{cm}^2$ )	Relative Yield ( $^{13}\text{N}/10^8$ ) (deuterons)	Absolute Yield ( $^{13}\text{N}/10^8$ ) (deuterons)
0.40	0.00036	12.7	0.0010	0.0069
0.52	0.00327	11.2	0.020	0.014
0.64	0.0106	9.8	0.102	0.071
0.80	0.05	8.5	0.659	0.457
0.90	0.12	7.9	1.70	1.18
1.0	0.09	7.3	3.06	2.12
1.1	0.12	6.9	4.53	3.14
1.2	0.145	6.5	6.50	4.51
1.3	0.19	6.2	9.12	6.33
1.4	0.13	5.8	11.7	8.12
1.5	0.15	5.6	14.2	9.85
1.6	0.18	5.3	17.2	11.9
1.7	0.15	5.2	20.3	14.1
1.8	0.205	4.9	23.8	16.5
2.0	0.230	4.6	32.9	22.8
2.2	0.250	4.3	43.6	30.3
2.4	0.180	4.0	53.8	38.5

TABLE VII. Neutron-Producing Reactions for Ion Diagnostics

Reaction	Threshold Energy (MeV)	Typical Values		Reference
		$\sigma$ (mb)	E(MeV)	
D(d,n) <sup>3</sup> He	--	97	1	28,29
<sup>9</sup> Be(p,n) <sup>9</sup> B	2.06	100	2.5	30
<sup>9</sup> Be(d,n) <sup>10</sup> B	--			
<sup>9</sup> Be( $\alpha$ ,n) <sup>12</sup> C	--	200	2.0	30,31
<sup>11</sup> B(p,n) <sup>11</sup> C	3.0	150	3.5	32
<sup>12</sup> C(d,n) <sup>13</sup> N	0.33	120	0.9	22,23
<sup>14</sup> N(d,n) <sup>15</sup> O	0.14	15	1.5	20,21
<sup>16</sup> O(d,n) <sup>17</sup> F	1.83	500	5.0	33
<sup>63</sup> Cu(p,n) <sup>63</sup> Zn	4.21	250	6.6	34,35
<sup>65</sup> Cu(p,n) <sup>65</sup> Zn	2.17	175	4.5	34,35,36

TABLE VIII. Properties of (p,n) Reactions for Proton Diagnostics

Reaction	Threshold Energy (MeV)	Half-Life of Residual Nucleus	Energy of Delayed $\gamma$ -Ray (MeV)	Reference for Cross Section
$^{11}\text{B}(p,n)^{11}\text{C}$	3.0	20.4 min	0.51	32
$^{14}\text{N}(p,n)^{14}\text{O}$	6.35	122 sec	2.31	40
$^{52}\text{Cr}(p,n)^{52\text{m}}\text{Mn}$	5.8	21.4 min	1.43	34
$^{63}\text{Cu}(p,n)^{63}\text{Zn}$	4.2	38.5 min	0.51	34
$^{65}\text{Cu}(p,n)^{65}\text{Zn}$	2.2	243.7 days	1.115	34

TABLE IX. Properties of Deuteron-Induced  
Reactions for Diagnosing Deuterons

Reaction	Natural Isotopic Abundance of Target (%)	Half-Life of Residual Nucleus (min)	Energy of Delayed γ-Ray (MeV)
$^{12}\text{C}(\text{d},\text{n})^{13}\text{N}$	98.89	9.97	0.51
$^{27}\text{Al}(\text{d},\text{p})^{28}\text{Al}$	100	2.24	1.78
$^{51}\text{V}(\text{d},\text{p})^{52}\text{V}$	99.75	3.76	1.43

TABLE X. Properties of ( $\alpha, xn$ ) Reactions on Gold

Reaction	Half-Life of Residual Nucleus (hr)	Energy of Delayed $\gamma$ -Ray (keV)	No. of Photons per Decay
$^{197}\text{Au}(\alpha, n)^{200}\text{Tl}$	26.1	367.9	0.88
$^{197}\text{Au}(\alpha, 2n)^{199}\text{Tl}$	7.42	455.0	0.13
$^{197}\text{Au}(\alpha, 3n)^{198\text{m}}\text{Tl}$	1.87	283.0	0.26
$^{197}\text{Au}(\alpha, 4n)^{197}\text{Tl}$	2.84	152.2	0.075
$^{197}\text{Au}(\alpha, 5n)^{196}\text{Tl}$	1.40	695.5	1.0

TABLE XI. Ratios of Proton Ranges in Polymers to the Range in Aluminum Calculated by the Bragg-Kleeman Rule

Polymer	Density (g/cm <sup>3</sup> )	R/R <sub>Al</sub>
Polycarbonate (Kimfol) (C <sub>12</sub> H <sub>14</sub> O <sub>3</sub> ) <sub>n</sub>	1.34	1.21
Polyester (Mylar) (C <sub>10</sub> H <sub>8</sub> O <sub>4</sub> ) <sub>n</sub>	1.39	1.22
Methyl Methacrylate (Plexiglas) (C <sub>5</sub> H <sub>8</sub> O <sub>2</sub> ) <sub>n</sub>	1.18	1.32
Polyethylene (CH <sub>2</sub> :CH <sub>2</sub> ) <sub>n</sub>	0.94	1.42
Polystyrene (C <sub>8</sub> H <sub>8</sub> CH:CH <sub>2</sub> ) <sub>n</sub>	1.04	1.46
Polyamide (Kapton) (C <sub>22</sub> H <sub>10</sub> N <sub>2</sub> O <sub>4</sub> ) <sub>n</sub>	1.11	1.56

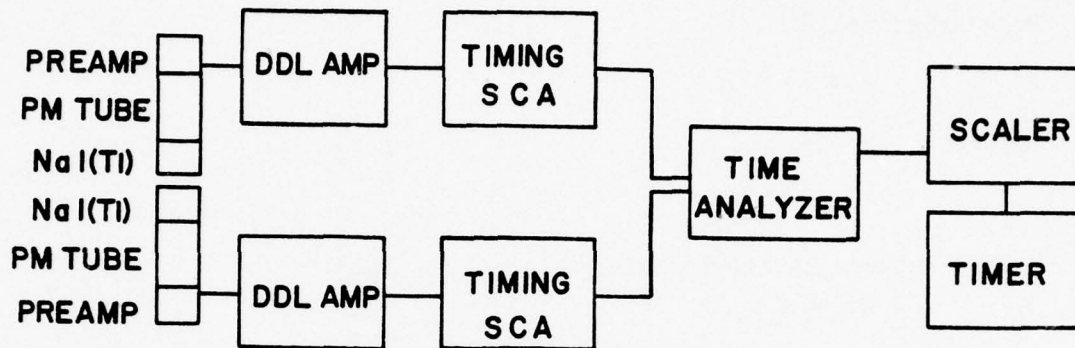


Fig. 1 — Coincident gamma-ray detection apparatus

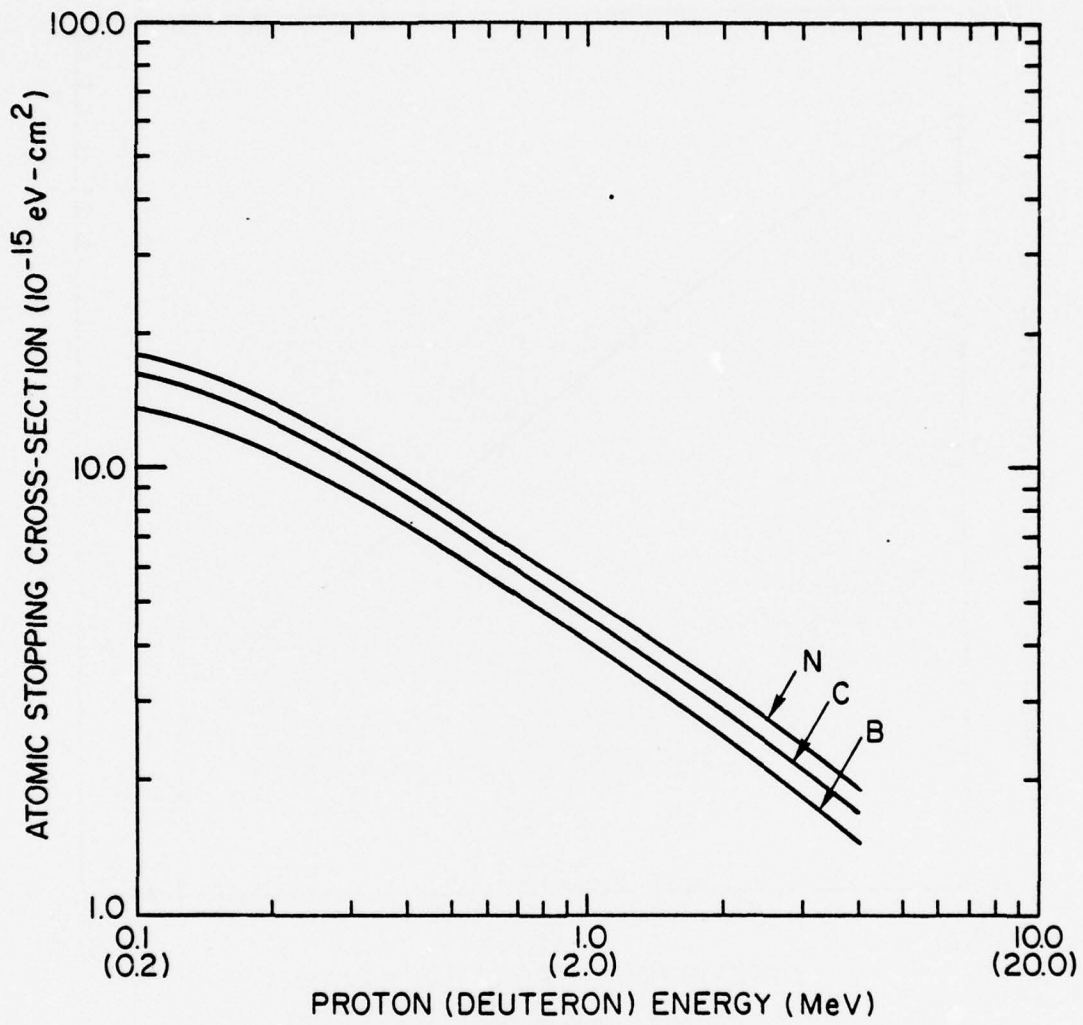


Fig. 2 - Stopping cross-sections for boron, carbon and nitrogen<sup>5</sup>

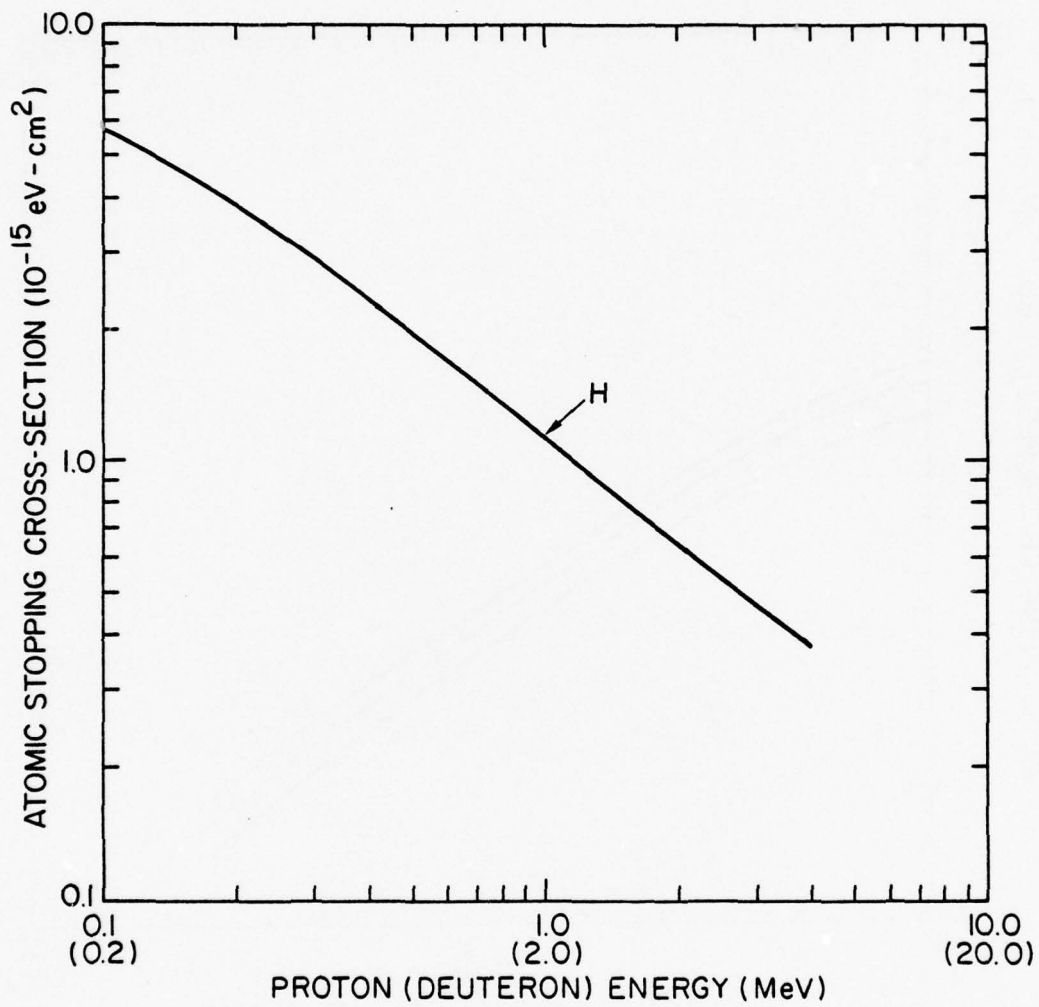


Fig. 3 - Stopping cross-sections for hydrogen<sup>5</sup>

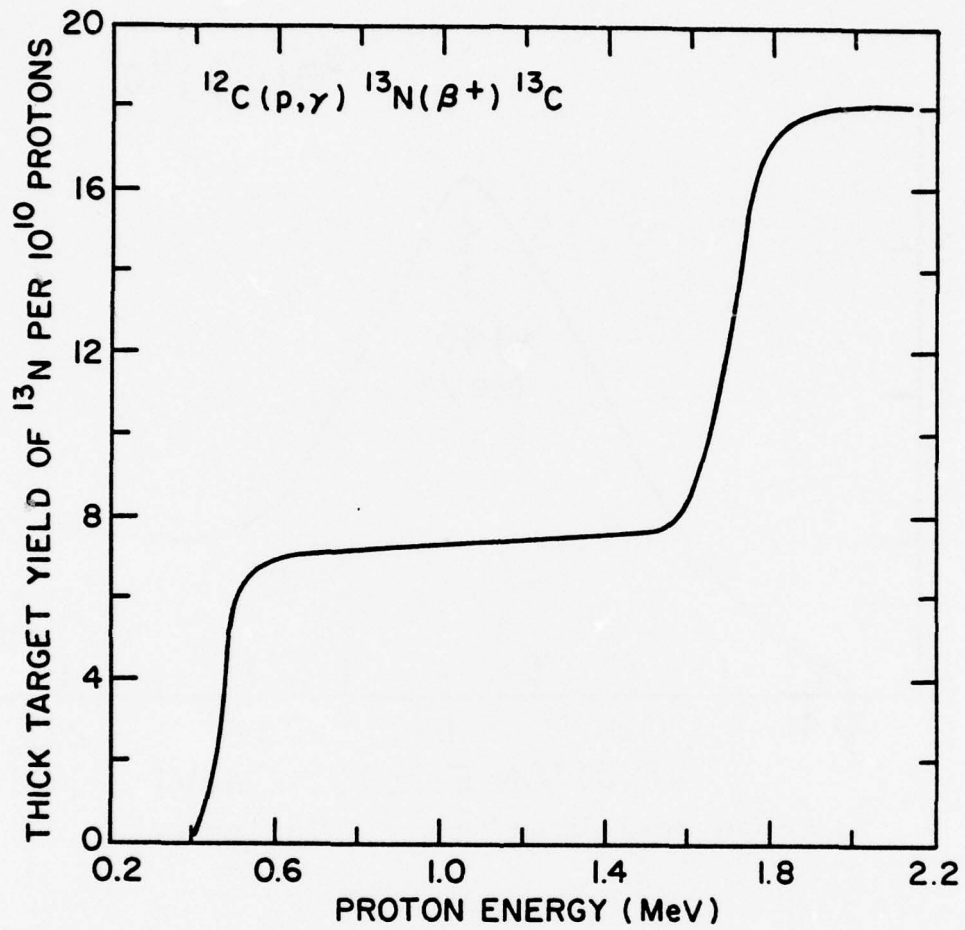


Fig. 4 - Thick target yield of the  $^{12}\text{C}(p, \gamma)^{13}\text{N}(\beta^+)^{13}\text{C}$  reaction<sup>8</sup>

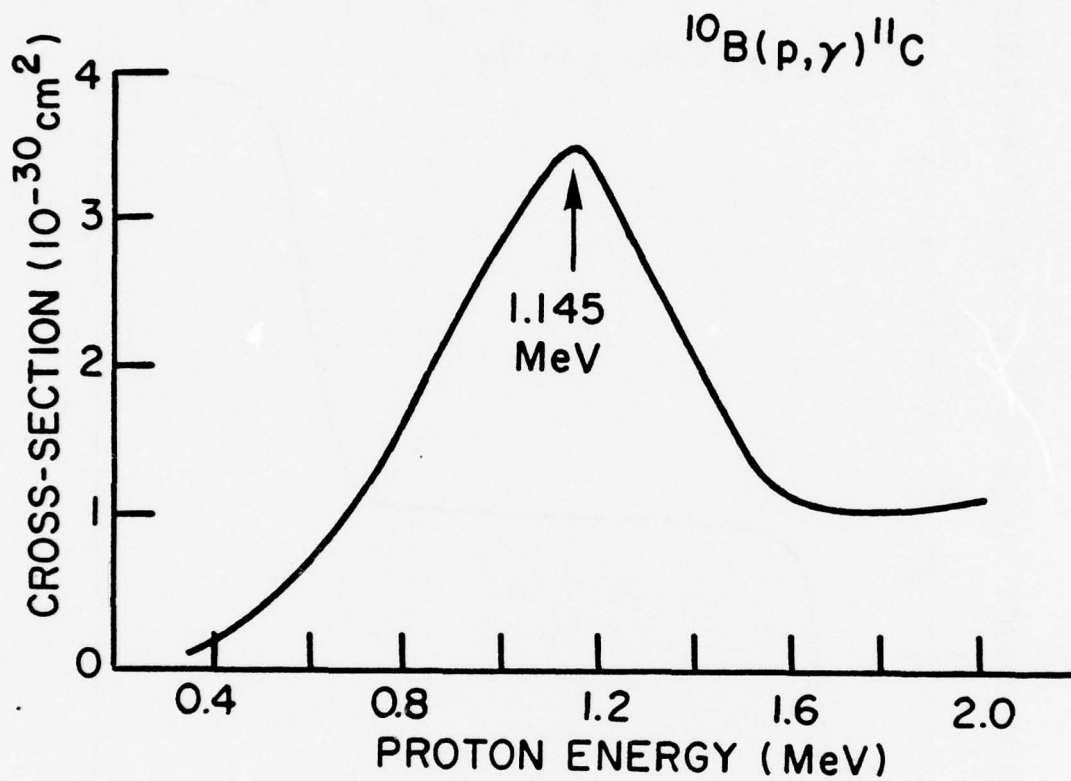


Fig. 5 — Cross-sections for the  $^{10}\text{B}(p, \gamma)^{11}\text{C}(\beta^+)^{11}\text{B}$  reaction<sup>12</sup>

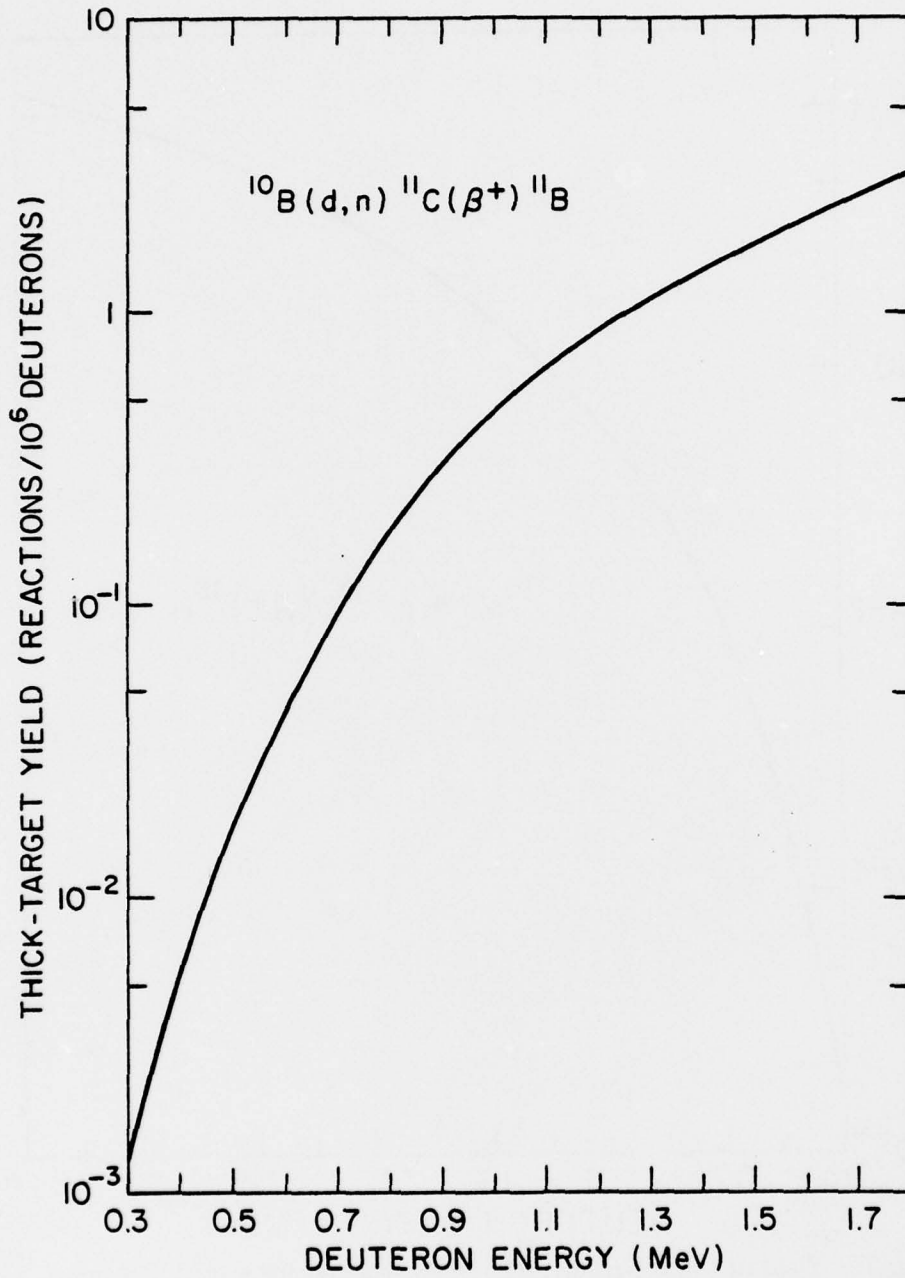


Fig. 6 - Yield of the  $^{10}\text{B}(d, n)^{11}\text{C}$  reaction for a thick BN target

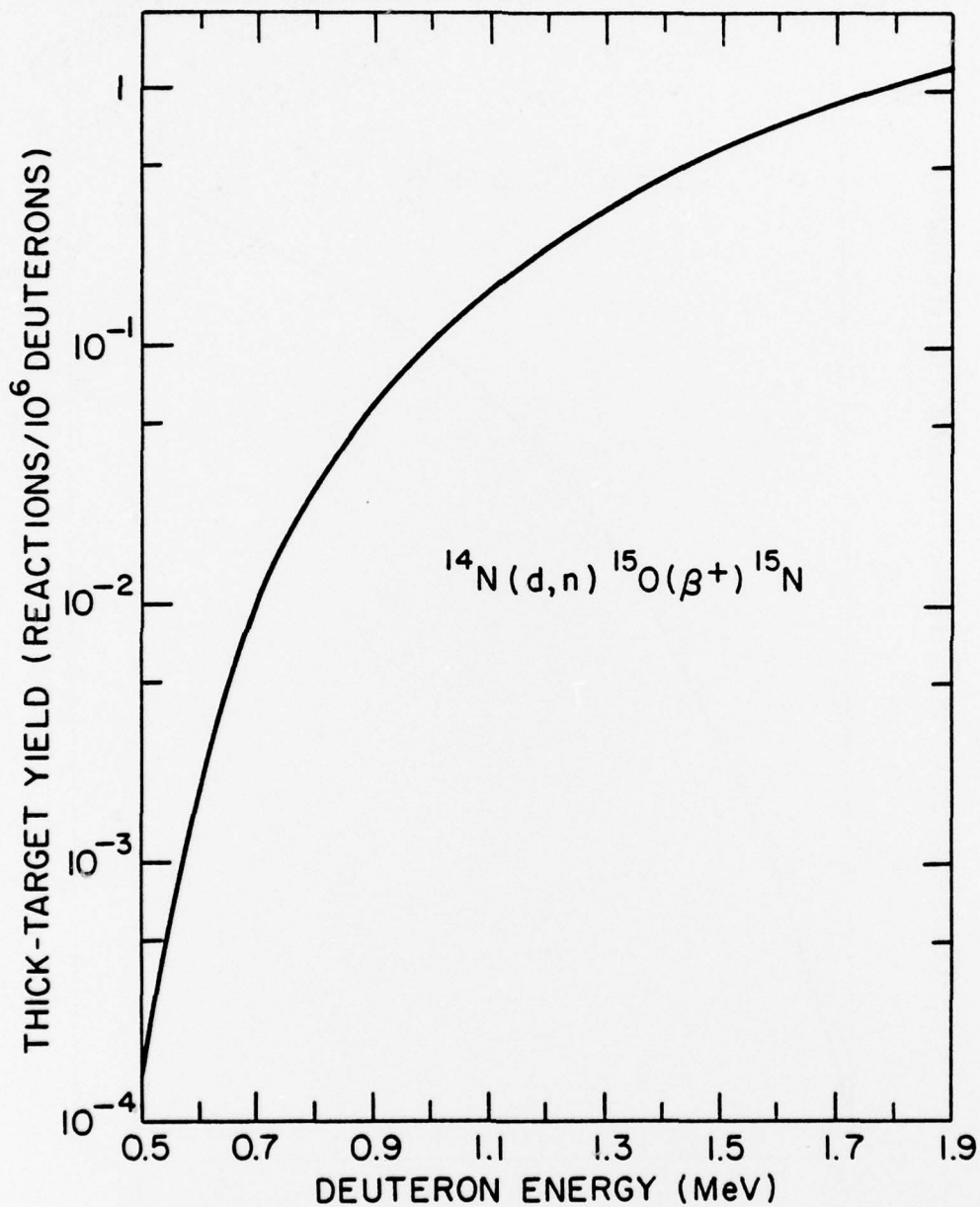


Fig. 7 — Yield of the  $^{14}\text{N}(d, n)^{15}\text{O}(\beta^+)^{15}\text{N}$  reaction for a thick BN target

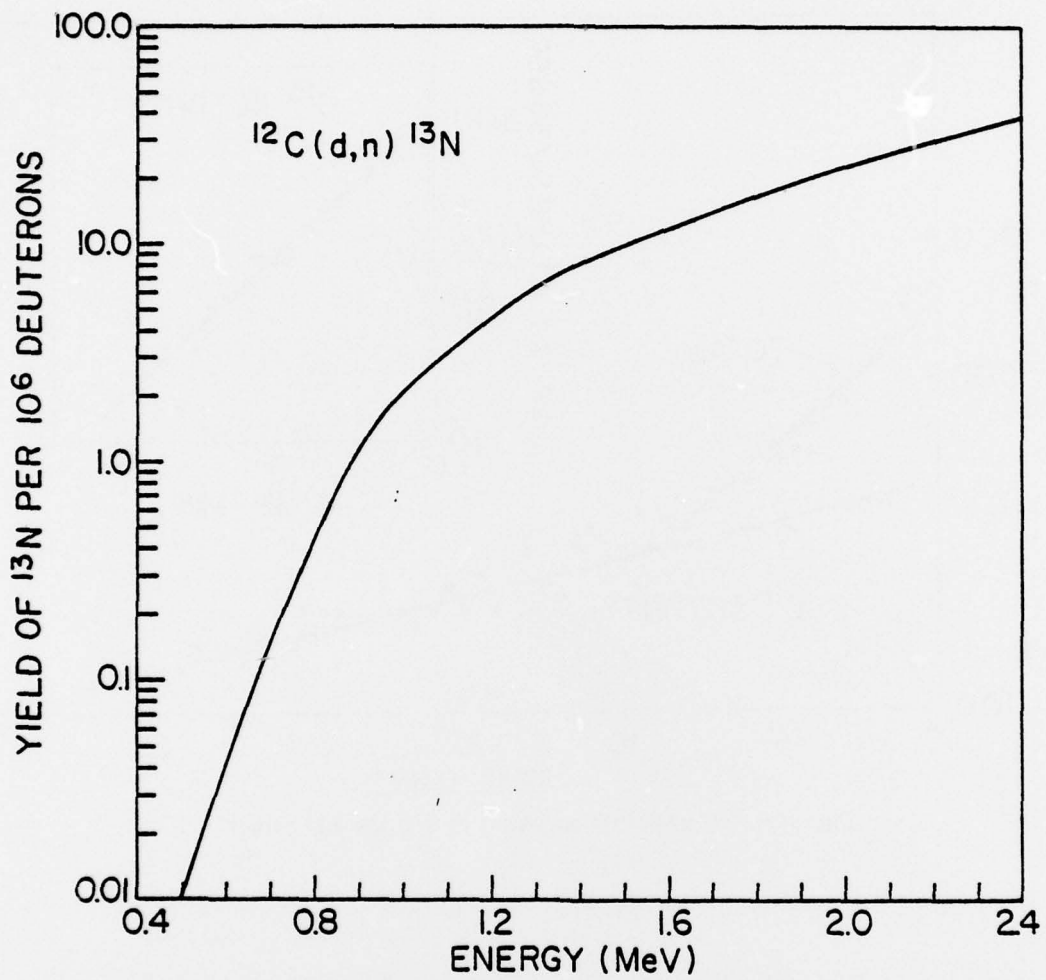


Fig. 8 — Thick target yield for the  $^{12}\text{C}(d, n)^{13}\text{N}(\beta^+)^{13}\text{C}$  reaction

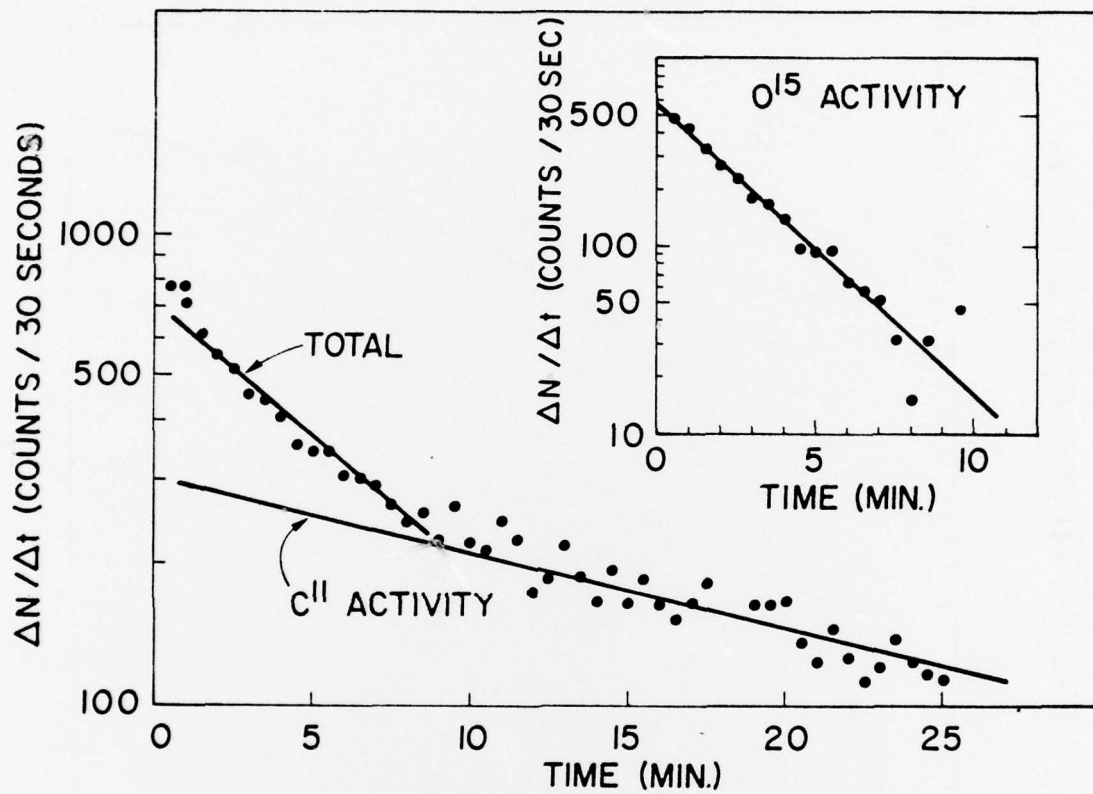


Fig. 9 —  $^{11}\text{C}$  and  $^{15}\text{O}$  activities in a thick BN target

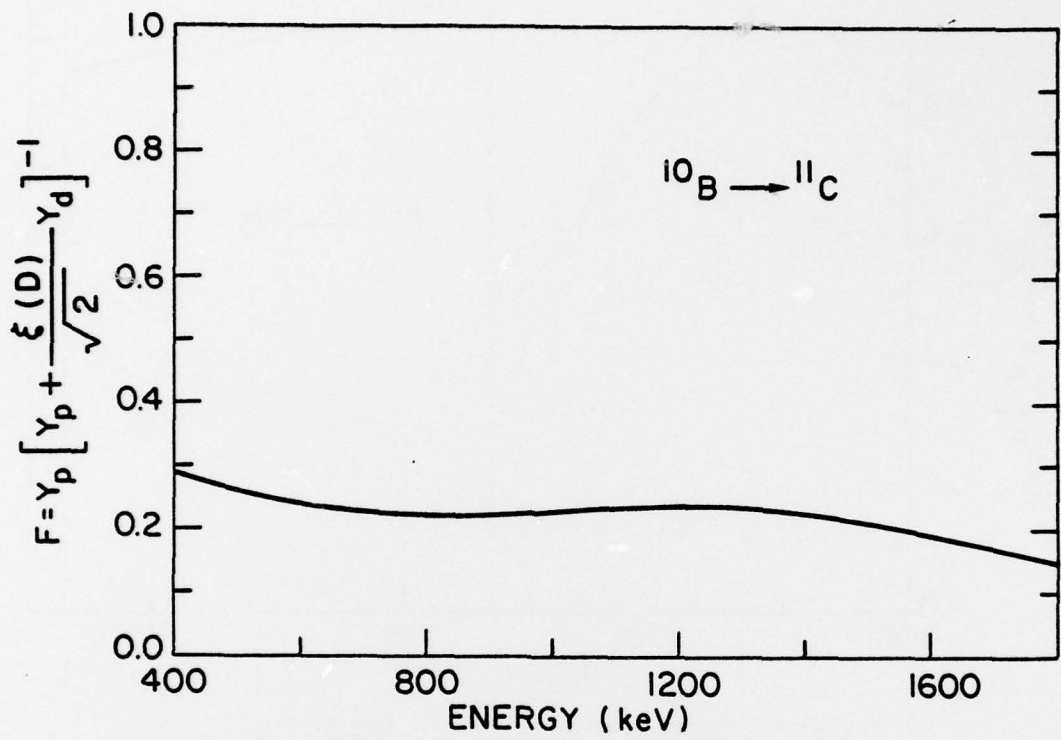


Fig. 10 - Deuteron correction factor, F, for  $^{10}\text{B} \rightarrow ^{11}\text{C}$

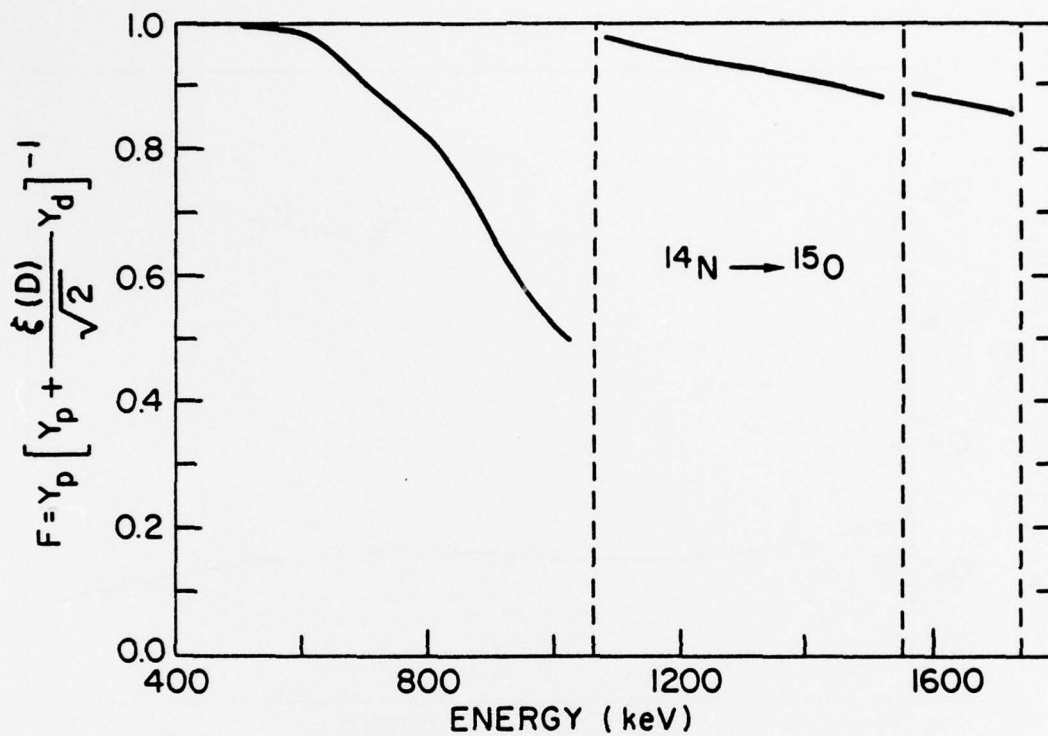


Fig. 11 — Deuteron correction factor,  $F$ , for  $^{14}\text{N} \rightarrow ^{15}\text{O}$

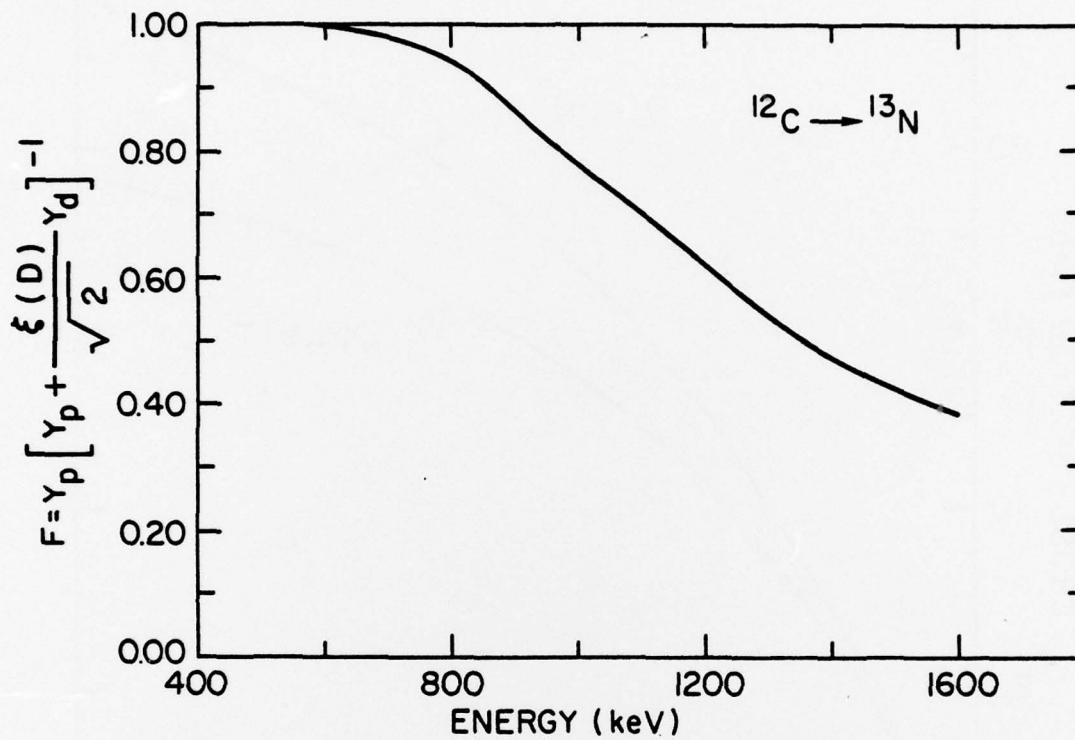


Fig. 12 - Deuteron correction factor, F, for  $^{12}\text{C} \rightarrow ^{13}\text{N}$

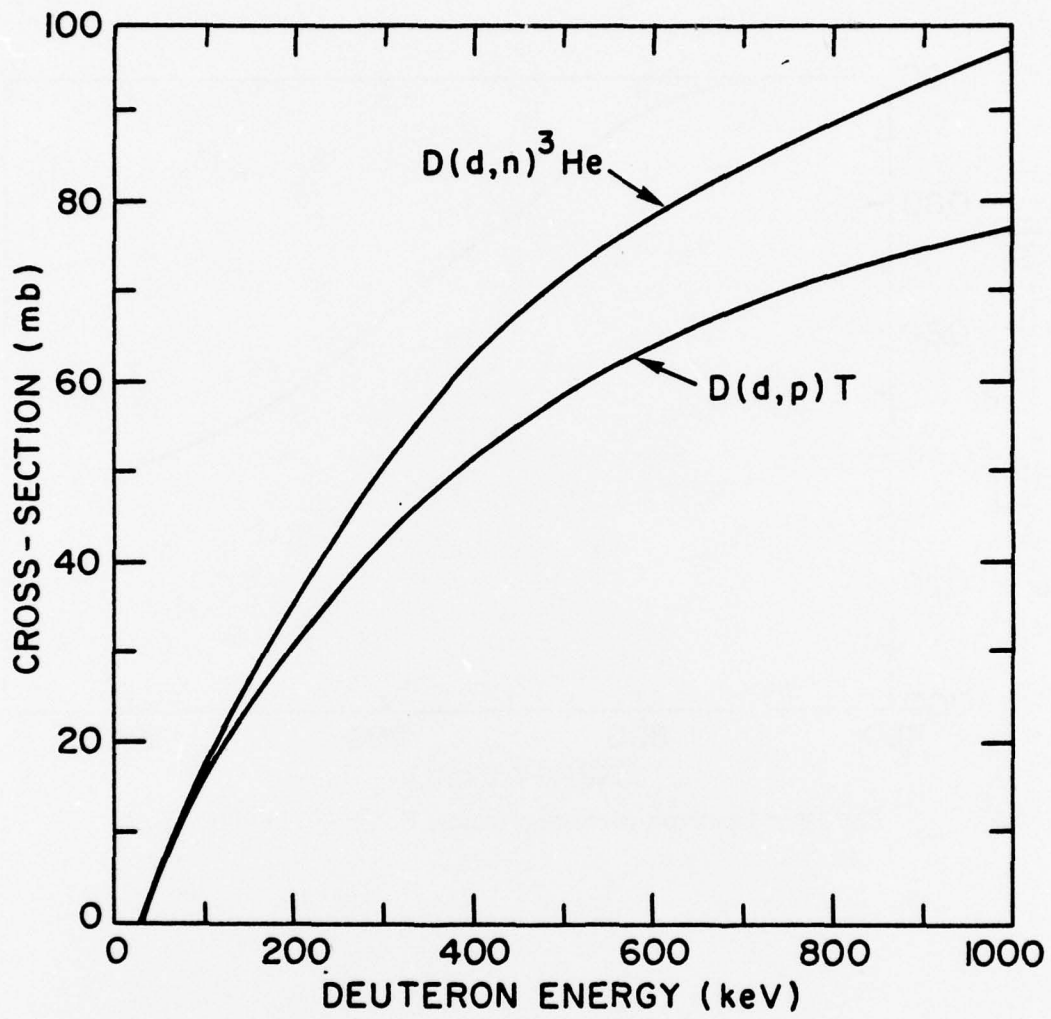


Fig. 13 — Cross-sections for D-D reactions

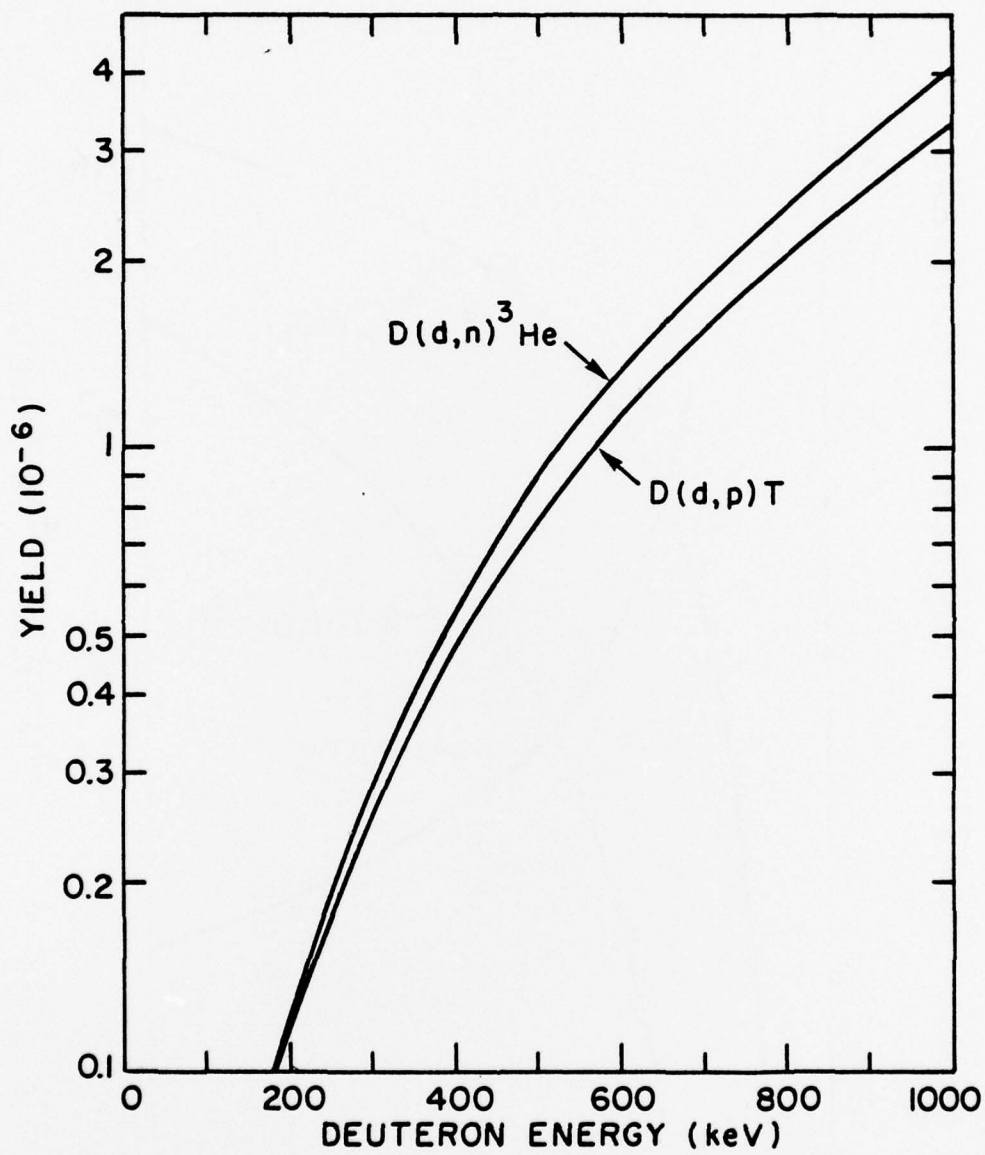


Fig. 14 - Thick target yields for D-D reactions ( $\text{CD}_2$  target)

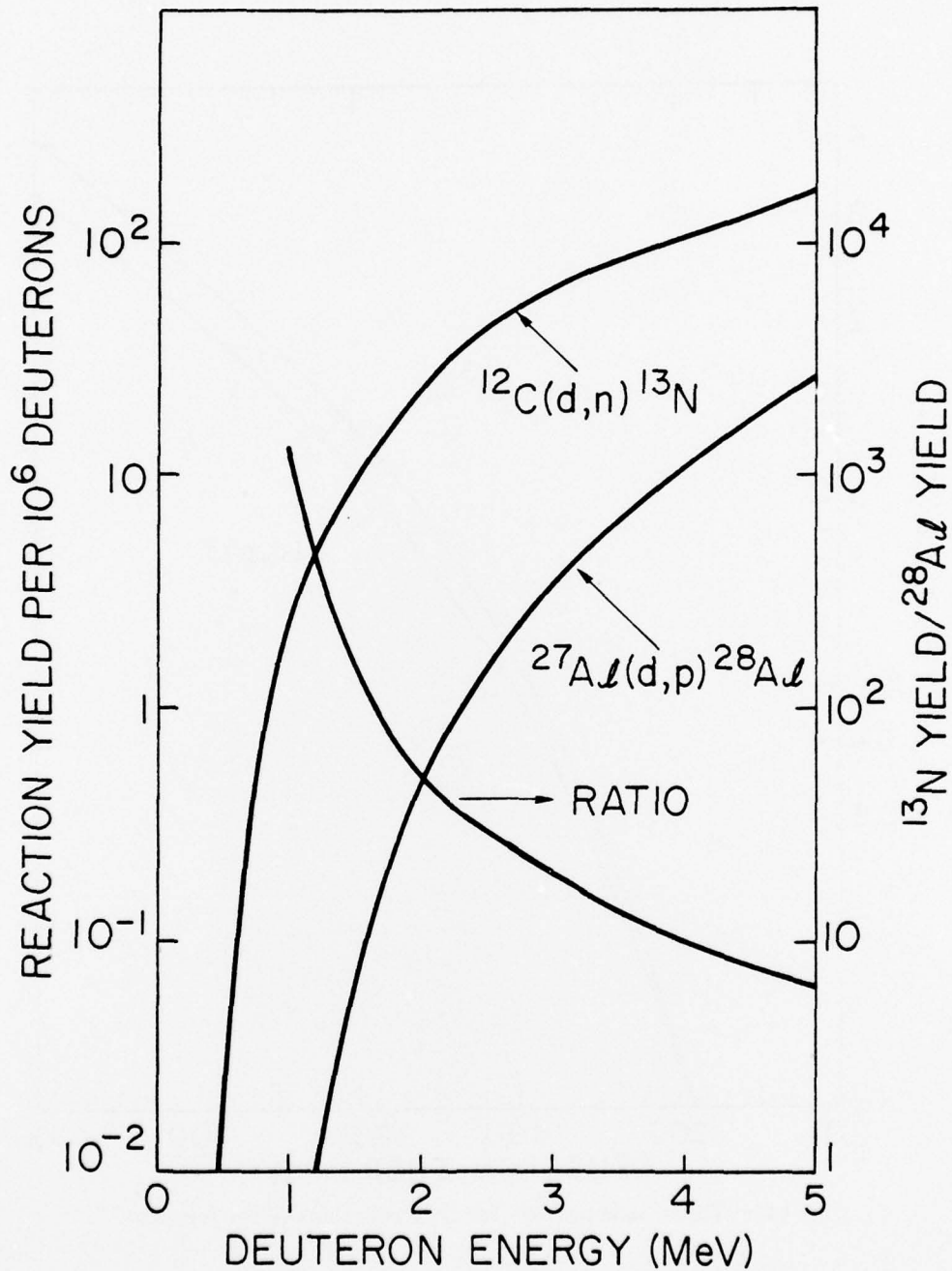


Fig. 15 — Thick target yields for the  $^{12}\text{C}(d, n)^{13}\text{N}$  and  $^{27}\text{Al}(d, p)^{28}\text{Al}$  reactions and their ratios

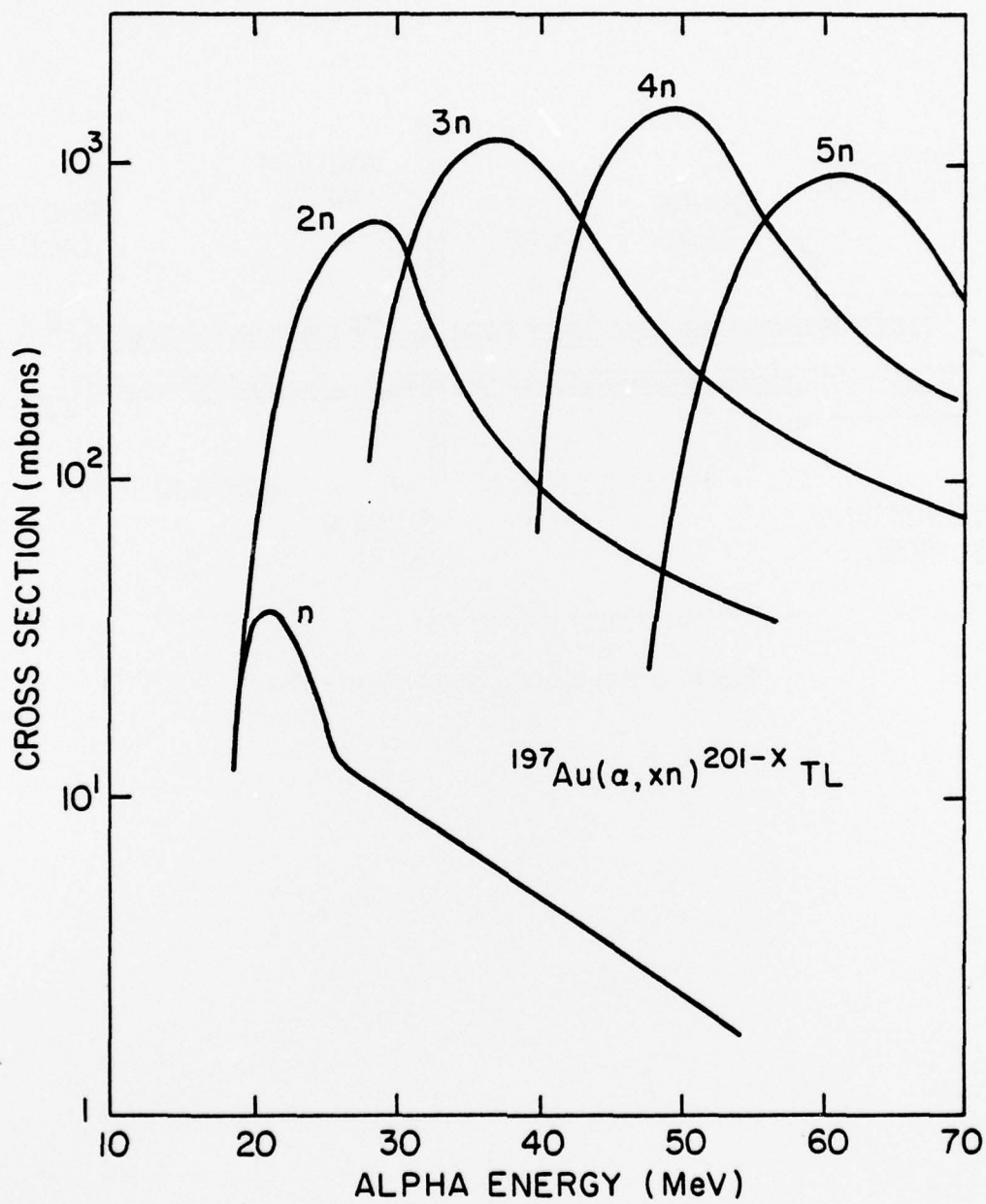


Fig. 16 — Cross-sections for the  $^{197}\text{Au}(\alpha, xn)^{201-x}\text{Tl}$  reactions

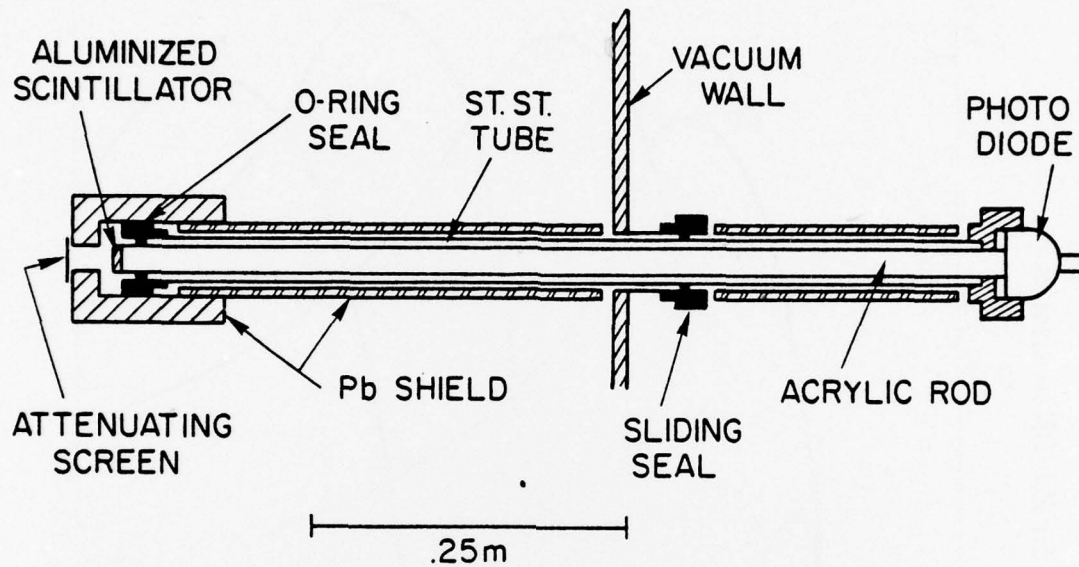


Fig. 17 — Scintillator-photodiode detector

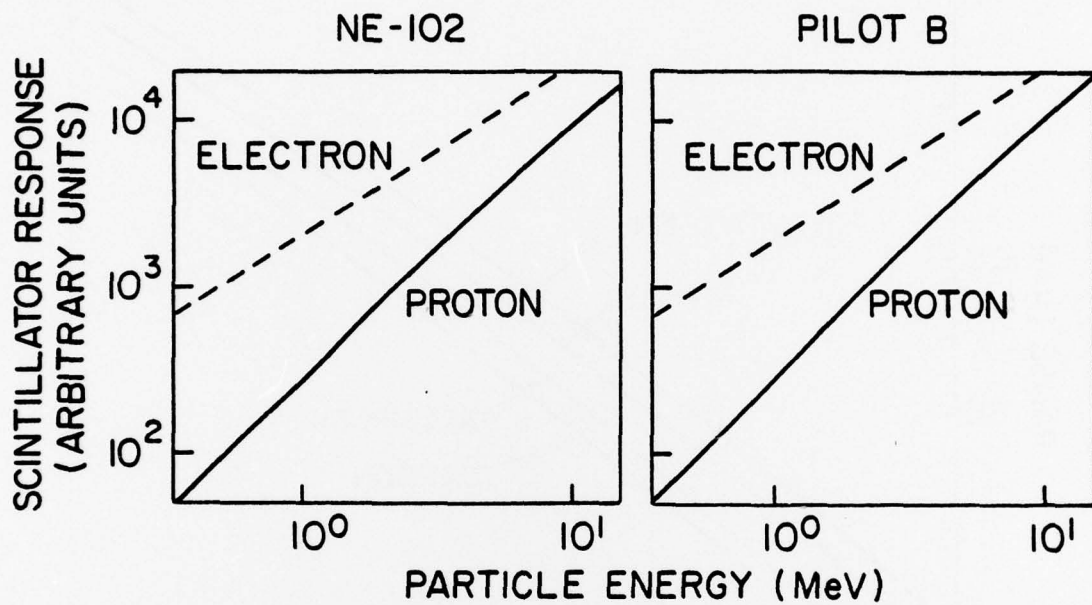


Fig. 18 — Response of plastic scintillator to electrons and protons<sup>43</sup>

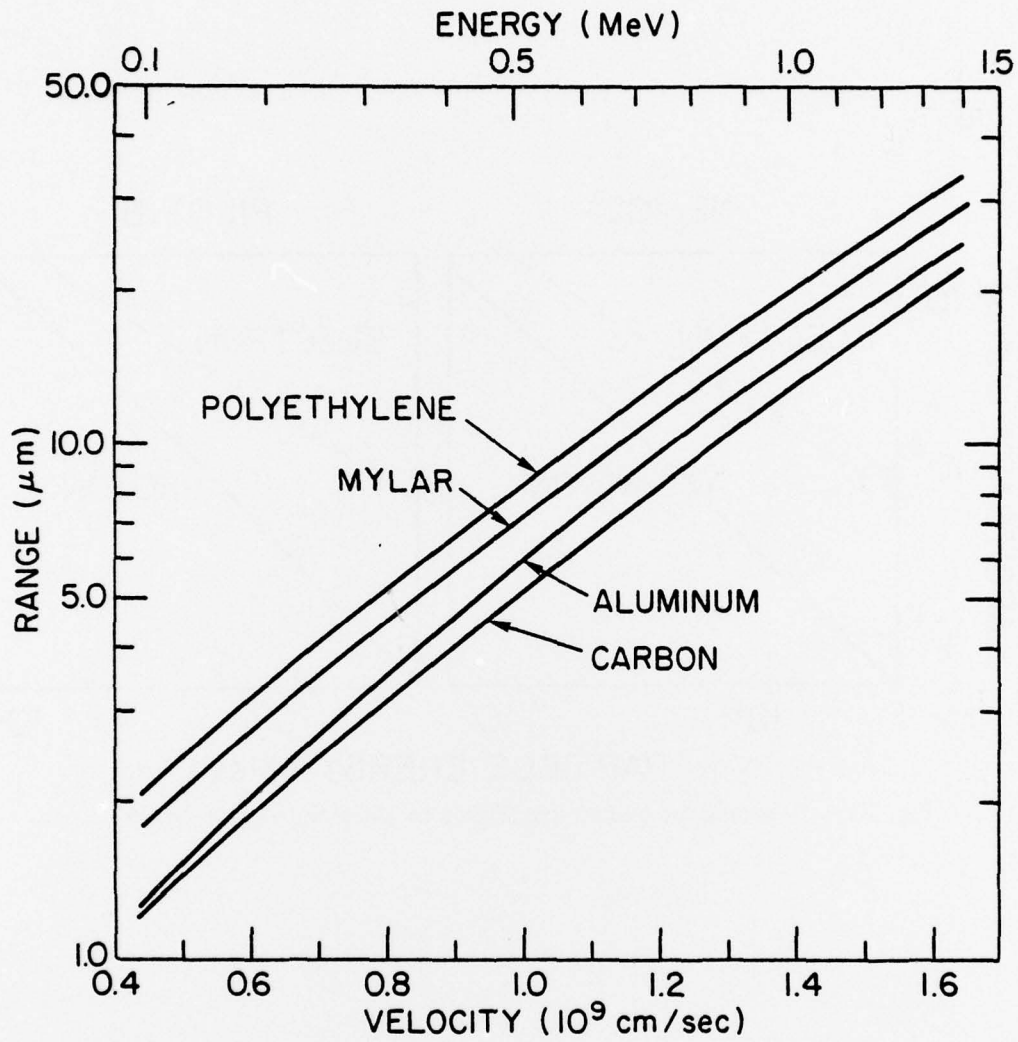


Fig. 19 — Proton range in various materials<sup>44</sup>

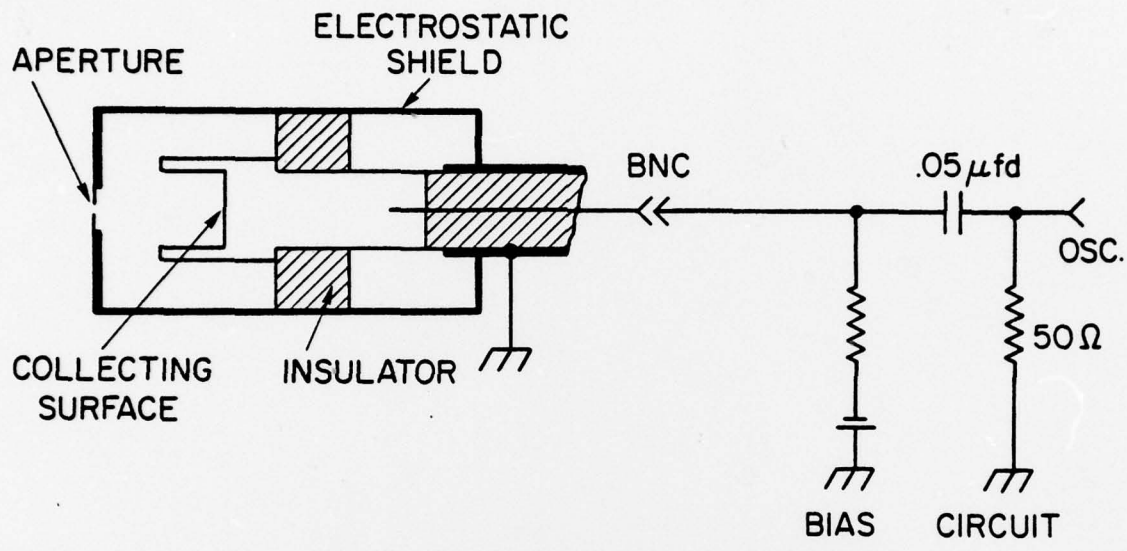


Fig. 20 — A typical biased-ion-collector