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A FORTRAN COMPUTER PROGRAM TO COMPUTE THE RADIATION  
PATTERN OF AN ARRAY-FED PARABOLOID REFLECTOR(U) NAVAL  
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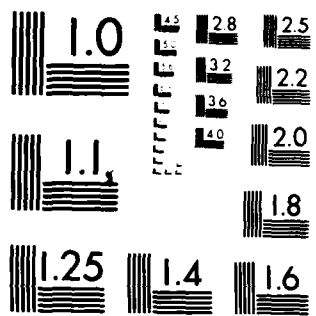
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NRL Report 8740

# A FORTRAN Computer Program to Compute the Radiation Pattern of an Array-Fed Paraboloid Reflector

J. K. HSIAO

*Electromagnetics Branch  
Radar Division*

July 21, 1983

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NAVAL RESEARCH LABORATORY  
Washington, D.C.

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# A FORTRAN COMPUTER PROGRAM TO COMPUTE THE RADIATION PATTERN OF AN ARRAY-FED PARABOLOID REFLECTOR

## INTRODUCTION

Computing the radiation pattern of a paraboloid reflector has been treated widely in literature [1-4]; however, most of this treatment concerns only the problem of single-feed source whether the source is at the focal point or offset. In all these treatments, when the source is offset, it is always assumed that the offset is very small and that the distance from the source to a point on the reflector surface can be approximated by adding a few linear terms to the case of the feed at the focal point. This approximation may be acceptable in a single-source case when the feed point usually is located close to the focal point to avoid high sidelobes. However, in the case of an array-fed system, this assumption may not be valid.

To facilitate fast computation, the longitudinal current component is ignored in this computation [1]. The error introduced by this omission, in general, is small in the region close to the main beam. However, when fields far from the main beam are of interest, the amount of phase error can not be ignored. Galindo-Israel and Mittra [3] introduced a method to correct this error; however, this correction depends on the location of the offset feed. It probably would not be efficient for a multiple-feed case.

In this report a computer program to compute the radiation pattern of an array-fed paraboloid reflector is presented. This program is written so that it is efficient for multiple-feed sources and the solution will be exact. No simplification or other approximating assumption is made.

The purpose of developing this computer program is threefold.

- It will be used as a reference to check the validity and efficiency of other programs which may be developed using a more simplified approach.
- It is an interim step to develop a computer program to compute the radiation pattern of a dual-reflector system which is currently under a feasibility study at NRL.
- This program may be used to investigate the pattern-synthesis method for an array-fed reflector antenna system.

## MATHEMATICAL FORMULATION

Figure 1 shows an array-fed paraboloidal reflector antenna system. The radiation field at a point  $\Phi$  and  $\theta$  has the form

$$\vec{E}(\Phi, \theta) = C \int_a \sum_n \vec{J}_n(\theta, \phi) \frac{1}{\rho_n} \exp[-jk(\rho_n' - \hat{\rho} \cdot \hat{R})] da, \quad (1)$$

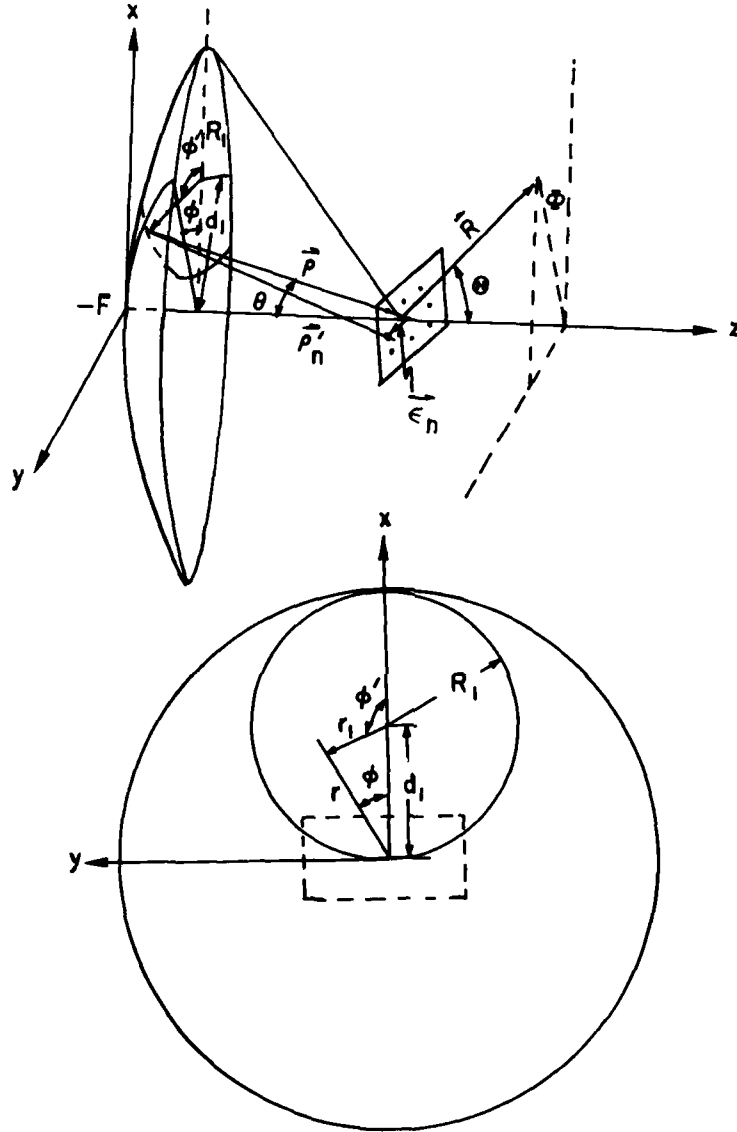


Fig. 1 - Configuration of an array-fed paraboloid reflector

where  $J_j(\theta, \phi)$  is the current density induced on the surface of the reflector and  $\rho'_n$  is the distance for the  $n$ th array feed element to a point on the surface, and

$$\vec{\rho}'_n = \vec{\rho} - \vec{\epsilon}_n, \quad (2)$$

where  $\epsilon_n$  is a position vector from the reference point to the location of the  $n$ th array element. For convenience, the reference point is assumed to be at the focal point of the parabola. Unit vector  $R$  points the direction from the current source to a field point which is a function of  $\Phi$  and  $\theta$ .

Assume that only part of the paraboloid is used. This used part is known to be a circle at the upper half of the reflector (see Fig. 1). The center of this circle is at a distance  $d_1$  above the  $z$ -axis. Any point on this circle can be represented by

$$x = \rho \sin \theta \cos \phi = r \cos \phi \quad (3a)$$

$$y = \rho \sin \theta \sin \phi = r \sin \phi. \quad (3b)$$

In terms of the coordinates of the  $\phi'$  and  $r_1$  of this circle,

$$x = d_1 + r_1 \cos \phi' \quad (4)$$

and

$$y = r_1 \sin \phi'.$$

The position vector from a feed element in the array to a point  $(x, y, z)$  on the reflector surface is

$$\begin{aligned} \vec{\rho}'_n &= \frac{(x - \epsilon_x)}{|\rho'_n|} \hat{x} + \frac{(y - \epsilon_y)}{|\rho'_n|} \hat{y} + \frac{(z - \epsilon_z)}{|\rho'_n|} \hat{z} \\ &= \rho'_{nx} \hat{x} + \rho'_{ny} \hat{y} + \rho'_{nz} \hat{z}. \end{aligned} \quad (5)$$

The paraboloid surface can be described by the following equation:

$$x^2 + y^2 = 4f(f + z) \quad (6)$$

where  $f$  is the focal length of the parabola.

The surface currents  $\vec{J}_n$  are related to the feed element exciting field by the following relation:

$$\vec{J}_n = \hat{n} \times \vec{\rho}'_n \times \hat{\epsilon}_n, \quad (7)$$

where  $\hat{\epsilon}_n$  is a unit vector in the direction of the tangential field on the surface of the paraboloid which is excited by the  $n$ th array element and

$$\hat{\epsilon}_n = \hat{\rho}'_n \times \hat{u}_n \times \hat{\rho}'_n / |\hat{\rho}'_n \times \hat{u}_n \times \hat{\rho}'_n|, \quad (8)$$

where  $\hat{u}_n$  is a unit vector in the direction of the field in the  $n$ th array element. Assume that the array elements and paraboloid have the same coordinates, and that

$$\hat{u}_n = u_{nx} \hat{x} + u_{ny} \hat{y} + u_{nz} \hat{z} \quad (9)$$

where  $|\hat{u}_n| = 1$ .

The normal vector  $\hat{n}$  in Eq. (7) for a paraboloid surface has the following form:

$$\begin{aligned} \hat{n} &= \frac{x}{|n|} \hat{x} - \frac{y}{|n|} \hat{y} + \frac{2f}{|n|} \hat{z} \\ &= n_x \hat{x} + n_y \hat{y} + n_z \hat{z}. \end{aligned} \quad (10)$$

Appendix A shows that

$$\begin{aligned} \bar{J}_n = & \frac{1}{\sqrt{1-\alpha^2}} \{ [-u_{nx}(n_y\rho'_{ny} + n_z\rho'_{nz}) + u_{ny}\rho'_{nx}n_y + u_{nz}\rho'_{nx}n_z] \hat{x} \\ & + [u_{nx}\rho'_{ny}n_x - u_{ny}(n_x\rho'_{nx} + n_z\rho'_{nz}) + u_{nz}\rho'_{nz}n_yn_z] \hat{y} \\ & + [u_{nx}\rho'_{nx}n_x + u_{ny}n_y\rho'_{nz} - u_{nz}(n_x\rho'_{nx} + n_y\rho'_{ny})] \hat{z} \}, \end{aligned} \quad (11)$$

where  $\alpha = \hat{\rho}'_n \cdot \hat{u}_n = u_{nx}\rho'_{nx} + u_{ny}\rho'_{ny} + u_{nz}\rho'_{nz}$ .

The  $u_{nx}$ ,  $u_{ny}$  and  $u_{nz}$  are the normalized excitation field at the  $n$ th element in the feed array. Usually, the elements are linear polarized either in the  $x$  or in the  $y$  direction. In this case only one component will be equal to unity.

The  $\hat{\rho}'_n$  components are

$$\rho'_{nx} = (d_1 + r_1 \cos \phi' - \epsilon_{nx}) / |\rho'_n|, \quad (12a)$$

$$\rho'_{ny} = (r_1 \sin \phi' - \epsilon_{ny}) / |\rho'_n|, \quad (12b)$$

$$\rho'_{nz} = \left\{ -\frac{1}{4f} [4f^2 - (d_1^2 - 2d_1r_1 \cos \phi' + r_1^2)] - \epsilon_{nz} \right\} / |\rho'_n|, \quad (12c)$$

and components of  $\hat{n}$  vector are

$$n_x = -(d_1 + r_1 \cos \phi') / |n|, \quad (13a)$$

$$n_y = -r_1 \sin \phi' / |n|, \quad (13b)$$

$$n_z = 2f / |n|, \quad (13c)$$

where  $|n| = (d_1^2 + 2d_1r_1 \cos \phi' + r_1^2 + 4f^2)^{1/2}$ .

When inserting these relations into Eq. (11), one finds that the current  $\bar{J}_n$  is a function of  $r_1$  and  $\phi'$  which will be used as the integration variables. The vector  $\hat{\rho}$  has the following form:

$$\hat{\rho} = \left\{ (d_1 + r_1 \cos \phi') \hat{x} + r_1 \sin \phi' \hat{y} - \frac{1}{4f} [4f^2 - (d_1^2 - 2d_1r_1 \cos \phi' + r_1^2)] \hat{z} \right\} / |\rho| \quad (14)$$

and

$$\hat{R} = \sin \Theta \cos \Phi \hat{x} + \sin \Theta \sin \Phi \hat{y} + \cos \Theta \hat{z}. \quad (15)$$

Therefore,

$$\begin{aligned} \hat{\rho} \cdot \hat{R} = & \{ (d_1 + r_1 \cos \phi') \sin \Theta \cos \Phi + r_1 \sin \phi' \sin \Theta \sin \Phi \\ & - \frac{1}{4f} [4f^2 - (d_1^2 - 2d_1r_1 \cos \phi' + r_1^2)] \cos \Theta \} / |\rho|. \end{aligned} \quad (16)$$

Insert this relation into Eq. (1) and perform the integration. The electric field has the following form:

$$\bar{E}(\Theta, \Phi) = C \int \int \sum_n \bar{J}_n(r_1, \phi') \frac{1}{\rho'_n} \exp[-jk(\rho'_n - \hat{\rho} \cdot \hat{R})] r_1 dr_1 d\phi'. \quad (17)$$

The  $\Theta$  and  $\Phi$  components are

$$E_\Theta = \cos \Theta (\cos \Phi E_x + \sin \Phi E_y) - \sin \Theta E_z \quad (18a)$$

and

$$E_{\phi} = -\sin \Phi E_x + \cos \Phi E_y, \quad (18b)$$

where  $E_x$ ,  $E_y$ , and  $E_z$  are the  $x$ ,  $y$ , and  $z$  components of  $\vec{E}(\Theta, \Phi)$  in Eq. (17).

### COMPUTER PROGRAM

The preceding formulation is coded into a FORTRAN computer program which has been tried on the Texas Instruments ASC computer. Appendix B lists that program. The FORTRAN program can compute the radiation pattern of a reflector which is only a portion of paraboloid. This portion is a circle, has a radius  $r_1$  and center at  $d$ , as shown in Fig. 1. The integration is then computed by integrating the  $\phi$  angle from 0 to  $2\pi$  and the radius  $r_1$  from 0 to a desired value. The first data card has a 15 fixed point format which specifies the following parameters:

- IEND is the number of points to be integrated in the radius  $r_1$  direction
- JEND is the number of points to be integrated in the  $\phi'$  direction (from 0 to  $2\pi$  radians).
- NEL is the number of feed array elements.
- NPT is the number of feed point to be computed at a given  $\Phi$  angle.
- NPOL specifies the feed element polarization, if NPOL = 1, the excitation field is polarized at  $y$ -direction. If NPOL = 0, the polarization is at  $x$ -direction.

The second data card has an 8F10.6 floating point format.

- FO is the focal length.
- RSO is the radius of the complete paraboloid.
- D1 is the center of the circle of the portion of the paraboloid to be used.
- A1 is the radius of the circle of the portion of the paraboloid to be used.
- FIC is the  $\Phi$  angle in degrees.
- ARAG is the range of  $\Theta$  angel to be plotted in degrees.

All of the preceding data, except angles, are in terms of wavelength.

The next few data cards specify the location of the array elements in  $x$ ,  $y$ , and  $z$  directions. These cards are all in F10.6 form; each contains 8 data. Therefore, the number of cards required depends on the number of array elements. For example, if the array has 24 elements, three cards are required to specify the locations of each coordinate. Nine cards are then needed. The sequence is that first read in the  $x$ -component locations, then the  $y$ , finally the  $z$ -locations. The output of this program is a plotted antenna pattern for  $E_{\Theta}$  and  $E_{\phi}$  components at a cut of  $\Phi$  angle specified by FIC and plotted a range from 0 degrees to ARAG degrees. However, if ARAG is negative, then it will plot from  $-\text{ARAG}$  to  $+\text{ARAG}$ .

A function subroutine PATF is included in this program. This function specifies the array element pattern in its own coordinates  $\sin \theta'$ , and  $\cos \phi'$ . At the presented time, the subroutine function is set at an isotropic element pattern. The user may change it to fit his requirement.

**EXAMPLES**

Figures 2a and 2b show the radiation pattern of a paraboloid dish with a 13.88-wavelength radius and a 25.9-wavelength focal length. A single source located at the focal point is used in both plots. Figure 2a is plotted by use of the method developed by Galindo-Israel [2]. This method uses a Jacobian series to expand the integral of Eq. (1) into a series of functions in terms of  $\Phi$  and  $\Theta$ . This approach should be efficient in computation time. However, when the series is expanded for better convergence, the transformation must be performed at the vicinity of the center of the main beam. Since the main beam position is a function of the sources' location, this program is not necessarily efficient when multiple sources are used. Figure 2b is plotted by use of the method described in the Mathematical Formulation section of this report. The patterns on both figures are exactly the same. The central processing time for Fig. 2a is 41.6 s and that for Fig. 2b is 52.46 s. Galindo-Israel's method is about 30% more efficient.

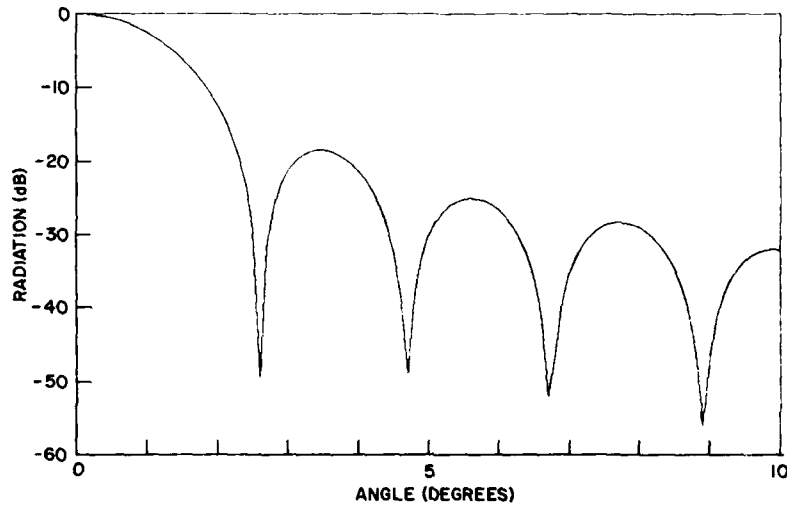


Fig. 2a — Radiation pattern of a paraboloid reflector computed by the series expansion method

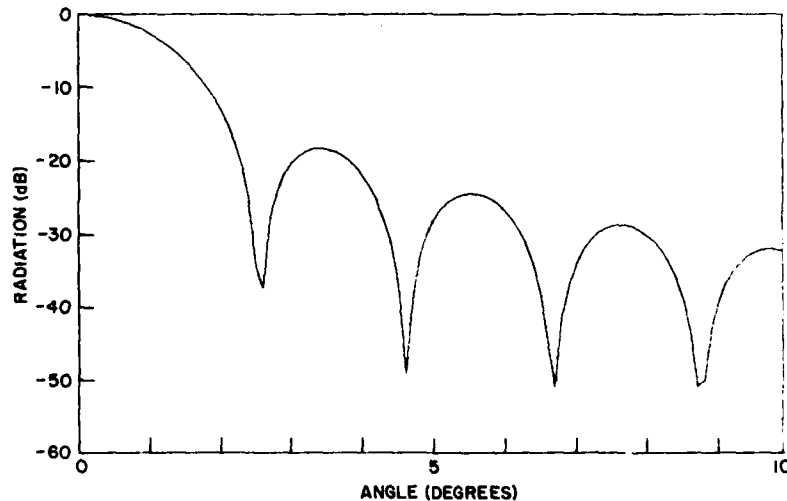


Fig. 2b — Radiation pattern of a paraboloid reflector computed by the exact solution

Next, we tried an offset case. The results are shown in Fig. 3. The required central process times for our program and the Galindo-Israel program are about the same as that in Figs. 2a and 2b. Two cases of a two-source and a five-source are tried. Their patterns are shown in Fig. 4. The central process time is 54.73 s for the two-source case and 57.68 s for the five-source case. There is no way to compare with Galindo-Israel's method because that program is not designed for multiple-feed sources.

From these examples, the increase of computer time for multiple sources is reasonable. This program probably is efficient in this sense.

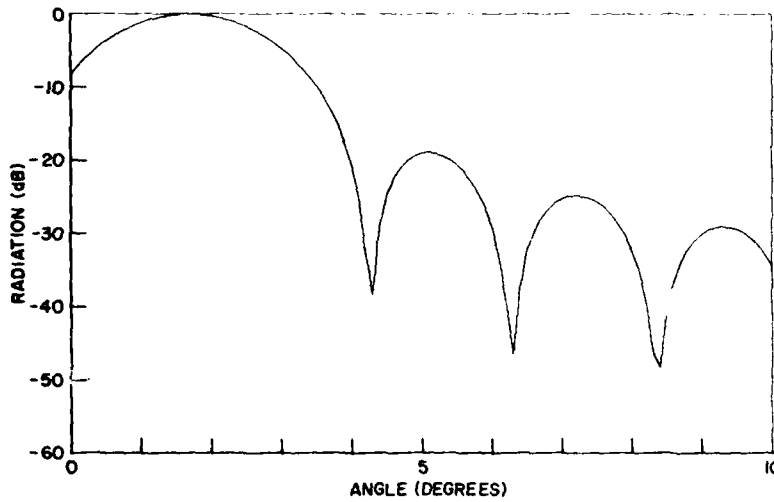


Fig. 3 — Radiation pattern of a paraboloid reflector—off-set feed

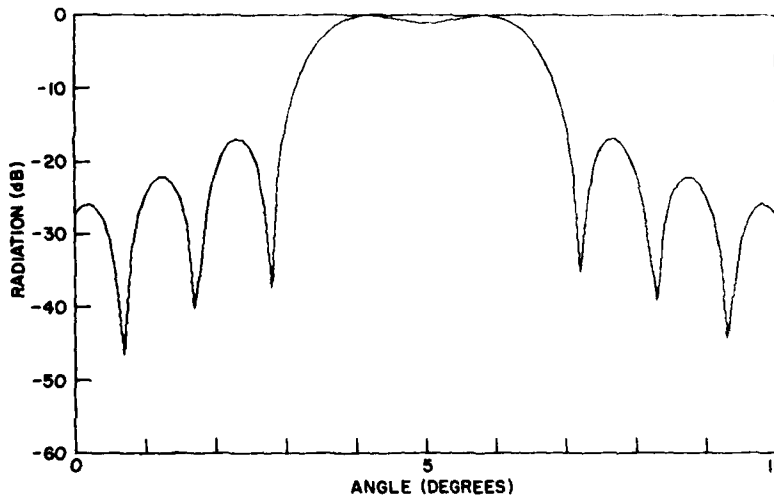


Fig. 4a — Radiation pattern of a paraboloid reflector—two multiple-source off-set feed

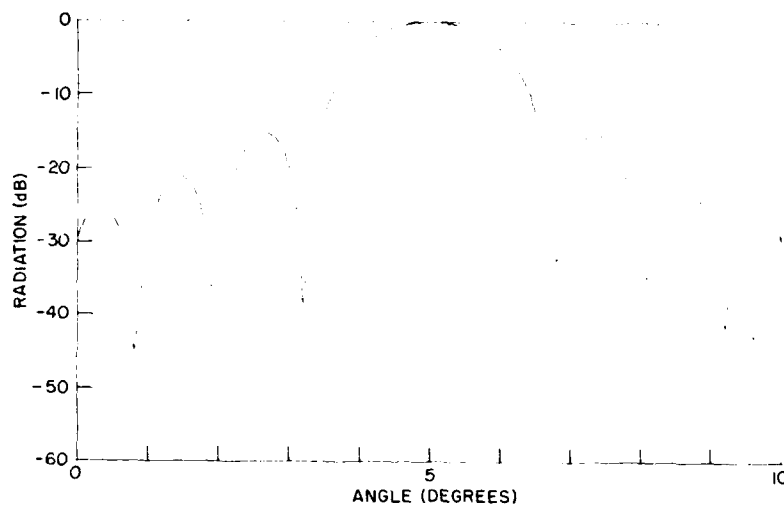


Fig. 4b — Radiation pattern of a paraboloid reflector—five multiple-source offset feed

## CONCLUSIONS

A computer program which computes the radiation pattern of a paraboloid reflector with multiple feed sources is presented. From some computer examples, the program is efficient for a large number of feed sources.

## REFERENCES

1. S. Silver, ed., "Microwave Antenna Theory and Design," in *Radiation Laboratory Series* (McGraw-Hill, 1949), Vol. 12.
2. J. Ruze, "Lateral-Feed Displacement in a Paraboloid," *IEEE Trans. Antennas Propag.*, Sept. 1965.
3. V. Galindo-Israel and R. Mittra, "A New Series Representation for the Radiation Integral with Application to Reflector Antennas," *IEEE Trans. Antennas Propag.*, Sept. 1977.
4. R. Mittra, Y. Rahmat-Samii, V. Galindo-Israel, and R. Norman, "An Efficient Technique for the Computation of Vector Secondary Pattern of Offset Paraboloid Reflectors," *IEEE Trans. Antennas Propag.*, May 1979.

**Appendix A**  
**DERIVATION OF EQUATION (11)**

$$\begin{aligned}\hat{\rho}'_n &= \rho'_{nx}\hat{x} + \rho'_{ny}\hat{y} + \rho'_{nz}\hat{z}, \\ \hat{u}_n &= u_{nx}\hat{x} + u_{ny}\hat{y} + u_{nz}\hat{z}, \\ \hat{n} &= n_x\hat{x} + n_y\hat{y} + n_z\hat{z},\end{aligned}$$

where

$$\begin{aligned}\rho'^2_{nx} + \rho'^2_{ny} + \rho'^2_{nz} &= 1, \\ u^2_{nx} + u^2_{ny} + u^2_{nz} &= 1, \\ n_x^2 + n_y^2 + n_z^2 &= 1,\end{aligned}$$

and vectors  $\hat{\rho}'_n$ ,  $\hat{u}_n$ , and  $\hat{n}$  are defined in Eq. (5), Eq. (9), and Eq. (10) respectively.

$$\begin{aligned}\bar{e}_n &= \hat{\rho}'_n \times \hat{u}_n \times \hat{\rho}'_n, \\ &= \hat{u}_n - \hat{\rho}'_n(\hat{\rho}'_n \cdot \hat{u}_n).\end{aligned}$$

Let

$$\begin{aligned}\hat{\rho}'_n \cdot \hat{u} &= (u_{nx}\rho'_{nx} + u_{ny}\rho'_{ny} + u_{nz}\rho'_{nz}) = \alpha, \\ \bar{e}_n &= (u_{nx} - \alpha\rho'_{nx})\hat{x} + (u_{ny} - \alpha\rho'_{ny})\hat{y} + (u_{nz} - \alpha\rho'_{nz})\hat{z}, \\ |e_n| &= \sqrt{1 - \alpha^2}, \\ \hat{e}_n &= \frac{\bar{e}_n}{\sqrt{1 - \alpha^2}}, \\ \vec{J}_n &= \hat{n} \times \hat{\rho}'_n \times \hat{e}_n \\ &= \hat{n} \times \hat{\rho}'_n \times \hat{u}_n / \sqrt{1 - \alpha^2} \\ &= \frac{\hat{\rho}'_n}{\sqrt{1 - \alpha^2}} (\hat{n} \cdot \hat{u}_n) - \frac{\hat{u}_n}{\sqrt{1 - \alpha^2}} (\hat{n} \cdot \hat{\rho}'_n) \\ &= \frac{1}{\sqrt{1 - \alpha^2}} \{ [-u_{nx}(n_y\rho'_{ny} + n_z\rho'_{nz}) + u_{ny}\rho'_{nx}n_y + u_{nz}\rho'_{nx}n_z]\hat{x} \\ &\quad + [u_{nx}\rho'_{ny}n_x - u_{ny}(n_x\rho'_{nx} + n_z\rho'_{nz}) + u_{nz}\rho'_{ny}n_z]\hat{y} \\ &\quad + [u_{nx}\rho'_{nz}n_x + u_{ny}\rho'_{ny} - u_z(n_x\rho'_{nx} + n_y\rho'_{ny})]\hat{z}.\end{aligned}$$

Appendix B  
COMPUTER PROGRAM LIST

SOURCE LISTING	ASC FAST FORTRAN COMPILER	RELEASE FTX05PAT
LSN	STATEMENT	CP OPTIONS = (B,D,E,K,M,V)      DATE = 06/24/82 LSN
0001	PROGRAM REFPAT	0132
0002	COMMON/D/E/LD.(3,100)	0133
0003	COMPLEX PFI,PP,PSUM,PC	0134
0004	DIMENSION PFI(3,500),PSUM(3,500),PAT(3,500),PP(3),JSP(500)	0135
0005	DIMENSION ERAS(500),AX(500),YY(500)	0136
0006	DIMENSION SIFAC(200),COTAC(200),SIFIC(200),COFI(200)	0137
0007	DIMENSION EPLEN(100),FJX(100),FJY(100),FJZ(100)	0138
	C THIS PROGRAM COMPUTES THE RADIATION PATTERN OF OFF-SET REFLECTOR	0139
	WITH EXACT SOLUTION, REFLECTOR CAN BE PORTION OF THE REFLECTOR	0140
	OF A PARABOLOID AND IT CAN HAVE MORE THEN ONE RADIATION SOURCE	0141
0008	CALL R*STOP	0142
0009	READ 100,IEND,JEND,NEL,NPT,NPOL	0143
0010	100 FORMAT(16I5)	0144
	C IEND, NUMBER OF POINTS INTEGRATED IN R DIRECTION	0145
	C JEND, NUMBER OF POINTS INTEGRATED IN FI DIRECTION	0146
	IEND AND JEND MUST BE ODD	0147
	C NPT, NUMBER OF FIELD POINTS IN THETA DIRECTION	0148
	C NEL, NUMBER OF ARRAY ELEMENTS	0149
	C NPOL=1, Y -POLARIZATION,X=0, X-POLARIZATION	0150
0011	READ 101,F0,RS0,D1,A1,FIC,ARAG	0151
0012	101 FORMAT(8F10.6)	0152
	C F0, REFLECTOR FOCAL LENGTH(IN WAVELENGTH)	0153
	C RS0, REFLECTOR RADIUS IN WAVELENGTH	0154
	C D1, CENTER OF THE CIRCLE OF PORTION OF THE REFLECTOR USED	0155
	C A1, RADIUS OF THE USED REFLECTOR CIRCLE	0156
	C FIC, FIELD PNT AT FIC PLANE	0157
	C ARAG ANGLE RANGE	0158
	IF ARAG.LT.0. PLST -ARAG TO ARAG	0159
0013	PRINT 102,IEND,JEND,NPT,NEL,NPOL	0160
0014	102 FORMAT(10X,16I5)	
0015	PRINT 103,F0,RS0,D1,A1,FIC, ARAG	
0016	103 FORMAT(10X,9=10.4)	
0017	PI=3.1415926536	
0018	ATR=PI/180.	
0019	PI2=PI*2.	
0020	FIC=FIC*RTA	
0021	COFIC=COS(FIC)	
0022	SIFIC=SIN(FIC)	
0023	XSL=8.	
0024	VSL=5.	
0025	IF(ARAG.GT.0.)GO TO 3	
0026	ARAG2=-ARAG*2.	
0027	TA=ARAG*ATR	
0028	AST=ARAG	
0029	ASF=-ARAG	
0030	GO TO 4	
0031	3 ARAG2=ARAG	
0032	TA=0.	
0033	AST=0.	
0034	ASF=ARAG	

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AT	SOURCE LISTING	ASC FAST FORTRAN COMPILER	RELEASE FTFX05
CSN	STATEMENT	CP OPTIONS = (B,D,E,K,M,V)	DATE = 06/24/62
0035	4 TACINC=ARAG2/(NPT-1)		
0036	TAINC=TACINC*ATR		
0037	TAC=0.		
0038	XSCS=XSL/ARAG2		
0039	DO 1 N=1,NPT		
0040	PSUM(1,N)=CMPLX(0.,0.)		
0041	PSUM(2,N)=CMPLX(0.,0.)		
0042	PSUM(3,N)=CMPLX(0.,0.)		
0043	XX(N)=TAL*XSCS		
0044	LOTAC(N)=COS(TA)		
0045	SITAC(N)=SIN(TA)		
0046	TA=TA+TAINC		
0047	1 TAC=TAC+TACINC		
0048	TA=0.		
0049	TAINC=PI/JJEND		
0050	DO 2 J=1,JEND		
0051	COF1(J)=COS(TA)		
0052	SIFI(J)=SIN(TA)		
0053	JMOD=MOD(J,2)		
0054	JSP(J)=JMOD*2+(1-JMOD)*4		
0055	IF(J.EJ.1.DK.J.E2.JEND)JSP(J)=1		
0056	2 TA=TA+TAINC		
0057	F02=F0*F0		
0058	SINC=A1/IEND		
0059	R1=SINC		
	C ENTER OFF-SET ARRAY ELEMENT LOCATIONS		
0060	READ 101,(EL0C(1,I),I=1,NEL)		
0061	READ 101,(EL0C(2,I),I=1,NEL)		
0062	READ 101,(EL0C(3,I),I=1,NEL)		
0063	PRINT 103,(EL0C(K,I),K=1,3),I=1,NEL)		
0064	DO 10 I=1,IEND		
0065	RDSQ=R1**2+D1**2		
0066	RD1=R1*D1		
0067	DO 11 N=1,NPT		
0068	PF1(1,N)=CMPLX(0.,0.)		
0069	PF1(2,N)=CMPLX(0.,0.)		
0070	11 PF1(3,N)=CMPLX(0.,0.)		
0071	DO 20 J=1,JEND		
0072	R=SQRT(RDSQ+2.*RD1*COF1(J))		
0073	RCOFI=(D1+R1*COF1(J))		
0074	RSIFI=R1*SIFI(J)		
0075	R2=R*R		
0076	F0R2=F0-R2/(4.*F0)		
0077	12 UN=SQRT(R2+4.*F02)		
0078	PP(1)=CMPLX(0.,0.)		
0079	PP(2)=CMPLX(0.,0.)		
0080	PP(3)=CMPLX(0.,0.)		
0081	DO 22 L=1,NEL		
0082	PX=RCOFI-EL0C(1,L)		
0083	PY=RSIFI-EL0C(2,L)		
0084	PZ=-F0R2-EL0C(3,L)		
0085	PX2=PX**2		
0086	PY2=PY**2		
0087	PZ2=PZ**2		
0088	ELEN2=PX2+PY2+PZ2		
0089	ELEN(L)=SQRT(ELEN2)		
0090	IF(NPOL.GT.0)GO TO 21		
0091	UM=SQRT(PY2+PZ2)		
0092	FJNOR=UN*UM*ELEN(L)		
0093	FJX(L)=(RSIFI*PY-2.*F0*PZ)/FJNOR		
0094	FJY(L)=-RCOFI*PY/FJNOR		
0095	FJZ(L)=-RCOFI*PZ/FJNOR		
0096	GO TO 23		
0097	21 JM=SQRT(PX2+PZ2)		
0098	FJNOR=UN*UM*ELEN(L)		

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PAT	SOURCE LISTING	ASL FAST FORTRAN COMPILER	RELEASE FT=X05
USN	STATEMENT	LP OPTIONS = (B,D,E,K,M,V)	DATE = 06/24/82
0099	FJX(L)=-RSIFI*PX/FJNOR		
0100	FJY(L)=(RCOFI*PX-2.*=0*PZ)/FJNOR		
0101	FJZ(L)=-RSIFI*PZ/FJNOR		
0102	23 AUG=EPLN(L)*PI2		
0103	PC=CMPLX(COS(AUG),SIN(AUG))		
0104	PP(1)=PP(1)+FJX(L)*PL		
0105	PP(2)=PP(2)+FJY(L)*PL		
0106	PP(3)=PP(3)+FJZ(L)*PL		
0107	22 CONTINUE		
	COMPUTE PHASE DUE TO DIFFERENT FIELD POINT		
0108	RCC=RCOFI*COFIC+RSIFI*SIFIC		
0109	DO 30 N=1,NPT		
0110	PHASE=FDR2*LOTAL(N)-RCC*SITAC(N)		
0111	AUG=PHASE*PI2		
0112	PC=CMPLX(COS(AUG),SIN(AUG))		
0113	PFIC(1,N)=PFIC(1,N)+PP(1)*JSP(J)*PL		
0114	PFIC(2,N)=PFIC(2,N)+PP(2)*JSP(J)*PL		
0115	PFIC(3,N)=PFIC(3,N)+PP(3)*JSP(J)*PL		
0116	30 CONTINUE		
0117	20 CONTINUE		
0118	IF(I.EQ.IEND)RSIMP=R		
0119	RSIMP=JSP(J)*R		
0120	DO 15 L=1,NPT		
0121	PSUM(1,L)=PSUM(1,L)+PFIC(1,L)*RSIMP		
0122	PSUM(2,L)=PSUM(2,L)+PFIC(2,L)*RSIMP		
0123	PSUM(3,L)=PSUM(3,L)+PFIC(3,L)*RSIMP		
0124	15 R1=R1*5INC		
	10 FIND PATTERN FUNCTION		
0125	PNOR=0.		
0126	DO 40 I=1,NPT		
0127	PC=LOTAL(I)*(PSUM(1,I)*COFIC+PSUM(2,I)*SIFIC)-PSUM(3,I)*SITAC(I)		
0128	PAT(1,I)=PC*CONJG(PC)		
0129	IF(PAT(1,I).GT.PNOR)PNOR=PAT(1,I)		
0130	PC=-PSUM(1,I)*SI=IL+PSUM(2,I)*COFIC		
0131	PAT(2,I)=PC*CONJG(PC)		

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PAT	SOURCE LISTING	ASC FAST FORTRAN COMPILER	RELEASE FTFX05
CSN	STATEMENT	CP OPTIONS = (B,D,E,K,M,V)	DATE = 06/24/82
0132	IF(PAT(2,I).GT.PNOR)PNOR=PAT(2,I)		
0133	PRINT 105,(PSUM(K,I),K=1,3)		
0134	105 FORMAT(10X,6E12.4)		
0135	40 CONTINUE		
0136	PRINT 104,(PAT (1,I),I=1,NPT)		
0137	PRINT 104,(PAT (2,I),I=1,NPT)		
0138	104 FORMAT(/,(10X,8E12.4))		
0139	CALL PLOTS(CERAS,500,2.)		
0140	CALL ORIGIN(4.,0.)		
0141	CALL SQUARE(0.,XSL,0.,YSL)		
0142	CALL NXAXIS(0.,0.,AST , 5.,ASF ,XSL,-.1,.1,-1)		
0143	CALL NYAXIS(0.,0.,-60.,10.,0.,YSL,-.1,.1,-1)		
0144	CALL CENTER(XSL/2.,-.8,.3,14HANGLE(DEGREES),0.,14)		
0145	CALL CENTER(-.5,YSL/2.,.3,13HRADIATION(DB),90.,13)		
0146	DO 50 K=1,2		
0147	DO 60 I=1,NPT		
0148	IF(PAT(K,I).LE.0.)GO TO 61		
0149	DB=10.*ALOG10(PAT(K,I)/PNOR)		
0150	YY(I)=(1.+DB/60.)*YSL		
0151	GO TO 62		
0152	61 YY(I)=-60.		
0153	62 IF(YY(I).GT.YSL)YY(I)=YSL		
0154	60 IF(YY(I).LT.0.)YY(I)=0.		
0155	JJ=0		
0156	IF(K.GT.1)JJ=10		
0157	CALL LINE(XX,YY,NPT,1,JJ,4)		
0158	50 CONTINUE		
0159	CALL ENDPLT		
0160	END		

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